Inferring Networks from Distances: the "Landscape" of Glycosidase Protein Structures

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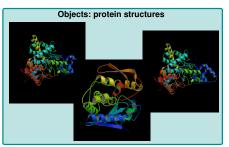
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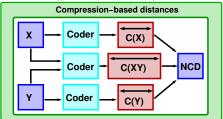


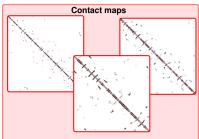
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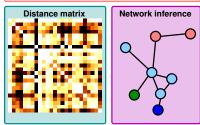


Graphical Abstract



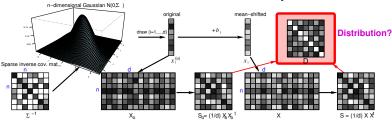






Bayesian Inference

 Idea: construct probabilistic generative model, condition on observed data and infer distribution of parameters.



- We observe pairwise distances D.
- $D \sim \text{singular Wishart}$, parametrized by inverse covariance Ψ .
- Link to Gaussian graphical models:

$$\Psi_{ij} = 0 \rightsquigarrow (i,j)$$
 conditionally independent \rightsquigarrow no edge.



Infer Ψ by Markov Chain Monte Carlo sampling.



Compression Distance between Protein Structures

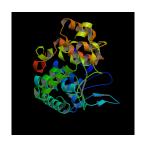
• Normalized Information Distance: length of the shortest program that computes x|y and y|x.

$$\mathit{NID}(x,y) \propto \max\{K(x|y),K(y|x)\} = K(xy) - \min\{K(x),K(y)\}$$

Approximation: Normalized Compression Distance:

$$NCD(x, y) \propto C(xy) - \min\{C(x), C(y)\}.$$

 In our application: x, y are vectorized contact maps for Glycosidase enzymes in Escherichia coli.





The "Landscape" of Glycosidase Protein Structures

