



# The mercury co-magnetometer in the n2EDM experiment

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### Introduction of a laser-based mercury co-magnetometer

- Aim: correct the neutron frequency for the drifts of the magnetic field
- Optical pumping <sup>199</sup>Hg, flip Hg-spin, measure the precession frequency  $f_{Hg}$
- Substitute  $f_{\text{Hg}} = \frac{\gamma_{\text{Hg}}}{2\pi} B_0$  into the ratio  $R = \frac{f_n}{f_{\text{Hg}}} = \left| \frac{\gamma_n}{\gamma_{\text{Hg}}} \right| \mp \frac{|E|}{\pi \hbar f_{\text{Hg}}} d_n$
- Use R to calculate  $d_n$



$$m_F = -3/2 m_F = -1/2 m_F = 1/2 m_F = 3/2$$

Optical pumping process of <sup>199</sup>Hg, a fermionic isotope of mercury

To MSR, n2EDM measurement



Laser source: frequency stabilization

Test two locking schemes:

- Doppler-free saturated spectroscopy  $\bullet$ with frequency modulation
- Sub-Doppler dichroic atomic vapor • laser lock



#### Alternative locking scheme requiring magnetic field



Locking with frequency modulation technique





Photo of the locking scheme

Mercury absorption lines

Zoom-in view of the Doppler-free peak

# Laser path to the experimental area

- Challenge: Free-space propagation > 10 m
- Transit points: Boxes with foam protecting optics from acoustic waves
- In future: Fibre test for the pump beam; guiding laser to chambers lacksquare



# **Detection scheme + Measurement**

- Spin polarize <sup>199</sup>Hg atoms  $\bullet$
- Release Hg into precession chambers  $\rightarrow$  Hg "cohabits" with UCNs
- Apply  $f_{\rm RF} \approx 8$  Hz  $\rightarrow$  Flip the Hg spin by  $\pi/2$  $\bullet$
- Hg free precession  $\rightarrow$  UV beams traversing two chambers

• PD signal: 
$$A(t) = a e^{-\frac{c}{T_2}} \sin(2\pi f_{\text{Hg}}t + \phi_0) \rightarrow \text{extract } f_{\text{Hg}}$$



#### Differential PD signal

#### Sketch of measurement scheme

## Hg related systematic effect in the n2EDM experiment

Dominant effect from the motional field  $\overrightarrow{B_{\rm m}} = \vec{v} \times \vec{E}/c^2$ 

According to the Spin relaxation theory:  $\delta \omega = \delta \omega_{B^2} + \delta \omega_{BE} + \delta \omega_{E^2}$ – quadratic terms can be mostly canceled with the double chamber design.  $- \delta \omega_{BE} \propto \frac{\partial B_0}{\partial z} E \implies d_{n \leftarrow Hg}^{\text{false}} = \left| \frac{\gamma_n}{\gamma_{Hg}} \right| d_{Hg}^{\text{false}} = \left| \frac{\gamma_n}{\gamma_{Hg}} \right| \frac{h}{4\pi E} \delta \omega$ 

 $\rightarrow$  Study the relationship between  $d_{n \leftarrow Hg}^{false}$  and the magnetic field gradient

Alternative solution: tune the  $B_0$  field to a "magic" value to cancel  $d_{n \leftarrow Hg}^{false}$  out



