

PAUL SCHERRER INSTITUT



Victoria Kletzl :: Paul Scherrer Institute

# Minimizing the Magnetic Dipole Contamination in the n2EDM Experiment

LTP Seminar – October 11<sup>th</sup> 2022



- The n2EDM experiment @ PSI
- The false EDM effect
- New apparatus: the gradiometer
  - Requirements
  - Caesium magnetometry
  - Design
  - Measurements
- Summary and Outlook



- Looking for the permanent neutron electric dipole moment (nEDM) via

$$f_n = \frac{1}{\pi\hbar} |\mu_n \vec{B}_0 \pm d_n \vec{E}|$$

- Use ultra cold neutrons (UCN)
- Ramsey method of separated oscillating fields
- Current limit:  $d_n < 1.8 \times 10^{-26} e \text{ cm}$  (90% C.L.) [1]
- Projected sensitivity for n2EDM:  $d_n = 1 \times 10^{-27} e \text{ cm}$  [2]
- Improvements depend on controlling the magnetic field stability and uniformity

[1] C. Abel *et al.* Phys. Rev. Lett. 124, 081803, 2020.

[2] N. J. Ayres *et al.* EPJ C, 2021.



- Special relativity gives a motional magnetic field for particles moving in an electric field :

$$\vec{B}_m = \vec{E} \times \frac{\vec{v}}{c^2}$$

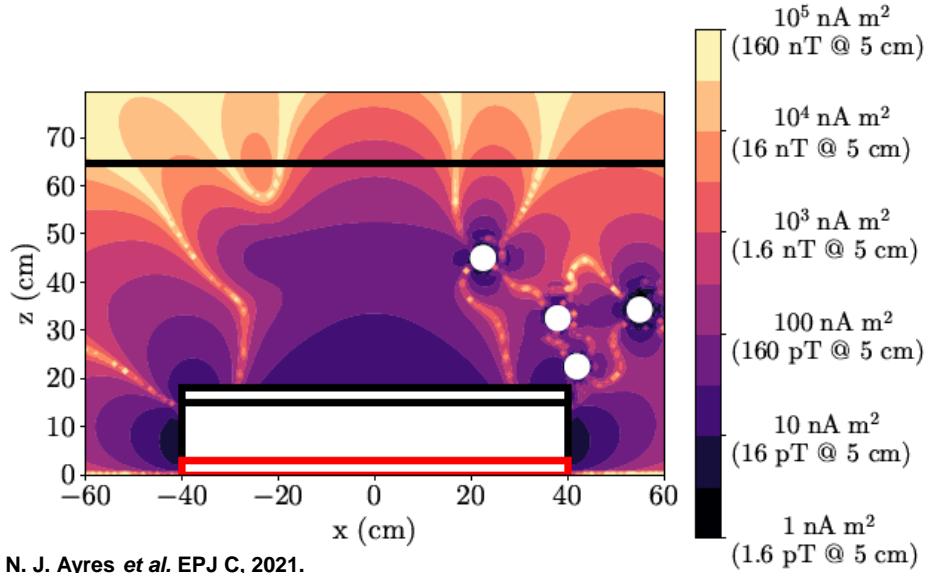
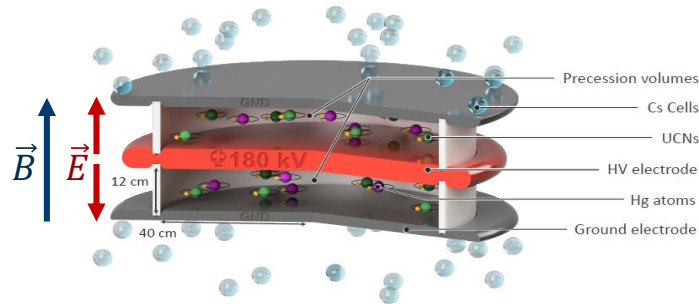
- If  $\vec{B}_0 \neq$  uniform  $\rightarrow d^{false}$  for neutrons and Hg comagnetometer
- $d^{false}$  for neutrons and Hg are not the same due to different velocities and precession frequencies!
- This leads to Hg induced false nEDM [3]:

$$d_{n \leftarrow Hg}^{false} = - \left| \frac{\gamma_n}{\gamma_{Hg}} \right| d_{Hg}^{false}$$

- Gradient fields can be monitored and corrected, except if localized (e.g. dipole contaminations)!



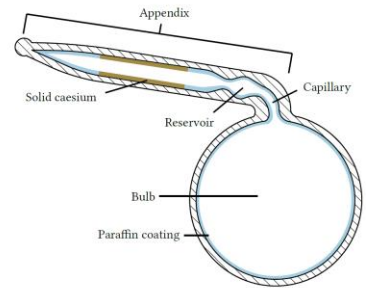
- Sensitivity : low pT range
  - Magnetic shield (shielding factor = 100 000)
  - Cs magnetometer array
  - Averaged measurements
- Local to PSI!
- Measurements must be fast (< 1 min)



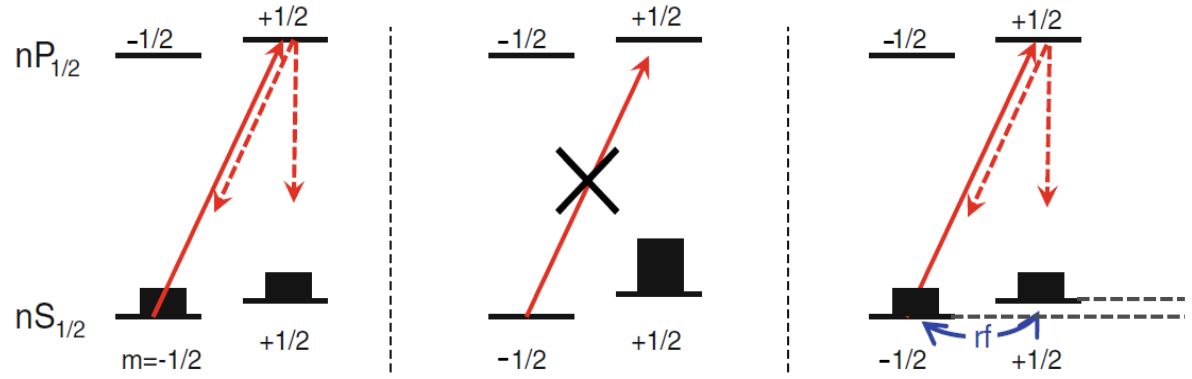
# Working Principle of Cs Magnetometers



- Glass bulbs filled with cesium vapor
- Optically pumping on  $D_1$  transition with  $\sigma^+$
- Read out modulated pumping light



D.A. Pais, Diss. ETH No. 27742, 2021.

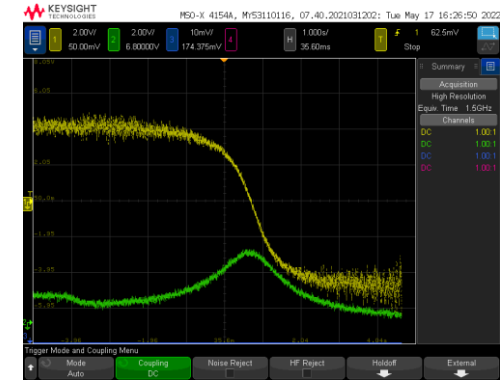
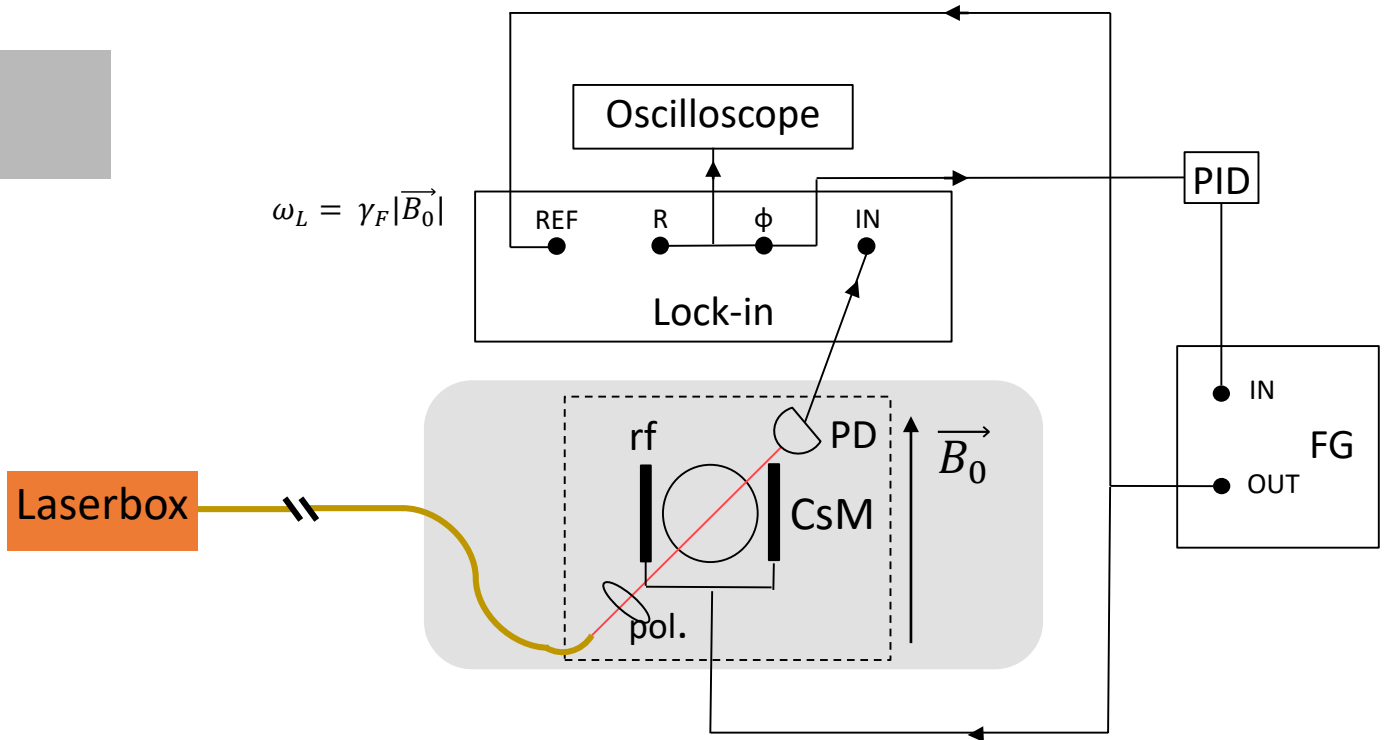


$$\Delta E = |\gamma_F| |\vec{B}_0| \hbar$$

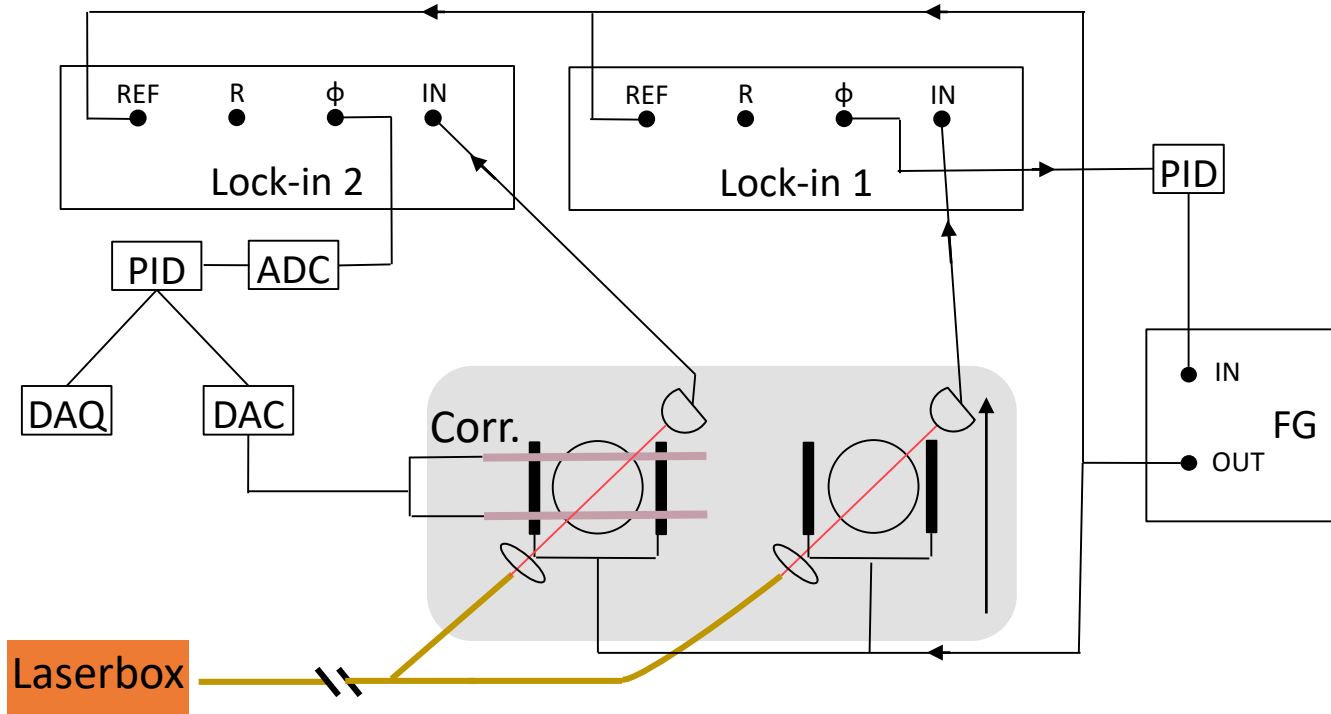
$$\omega_L = \gamma_F |\vec{B}_0|$$

Adapted from A. Weis, G. Bison, Z.D. Grujic in *High Sensitivity Magnetometers*, Springer 2017.

# Mx Magnetometer Mode

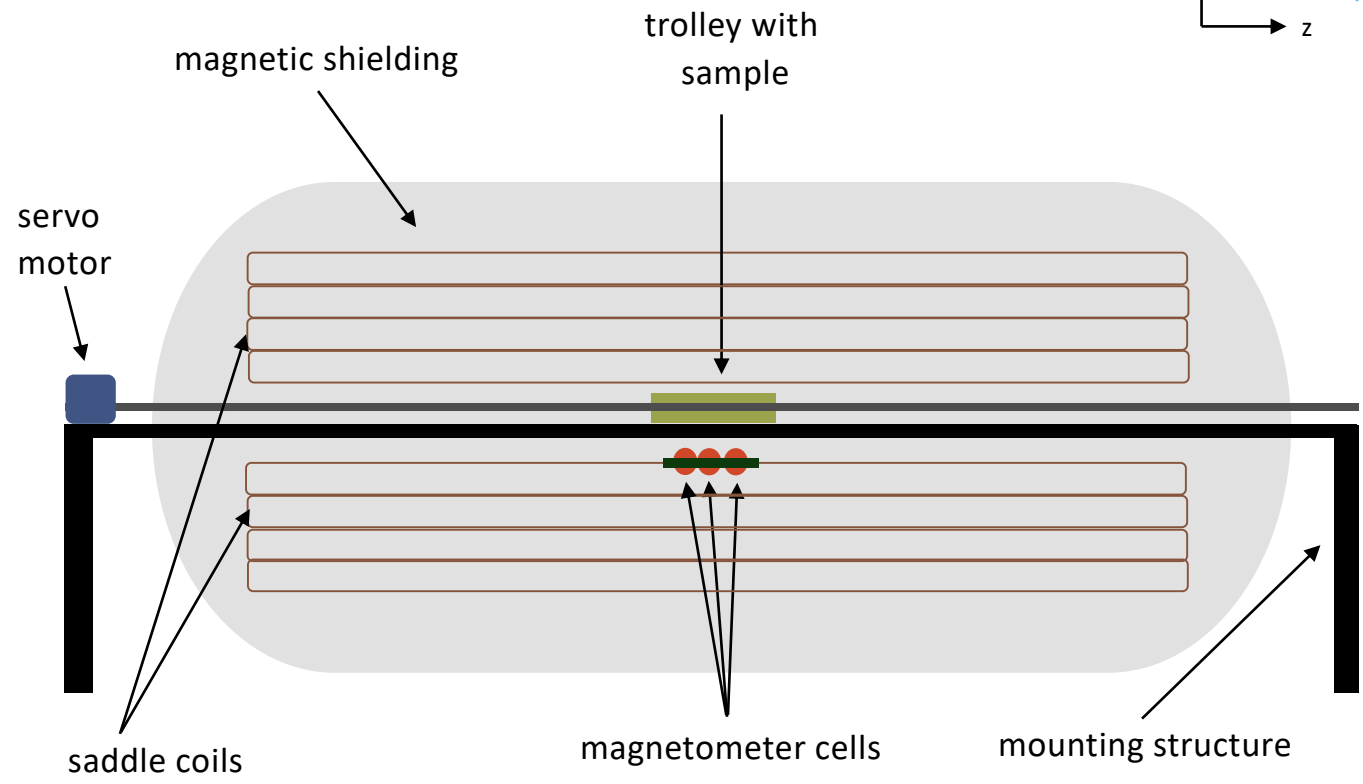
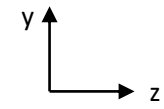


# Cs Magnetometer Array





# The Gradiometer - Design

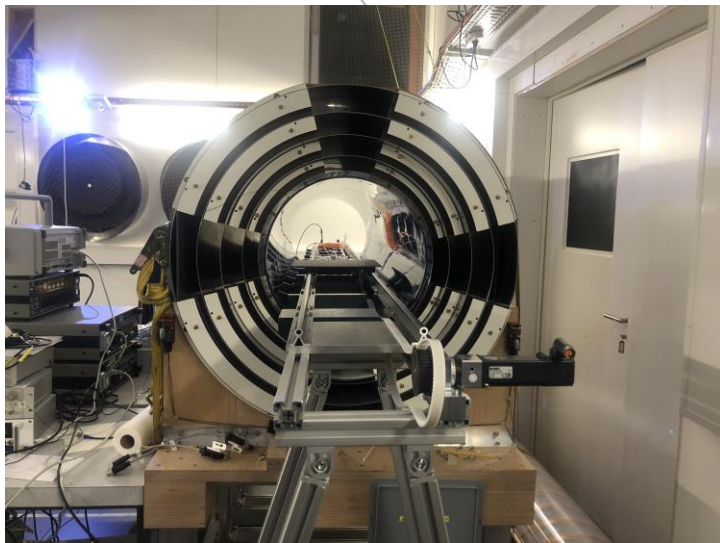


# The Gradiometer - Design



magnetic shielding

trolley with sample



saddle coils

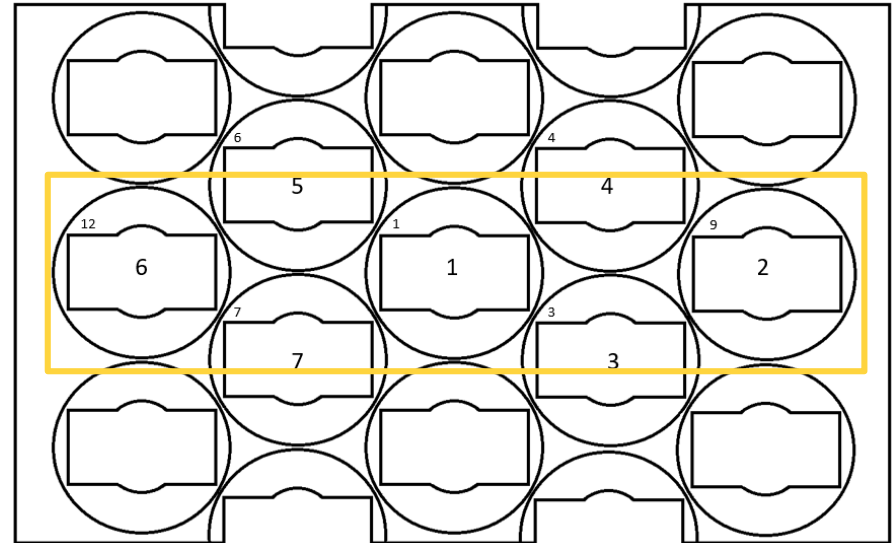
magnetometer cells

mounting structure

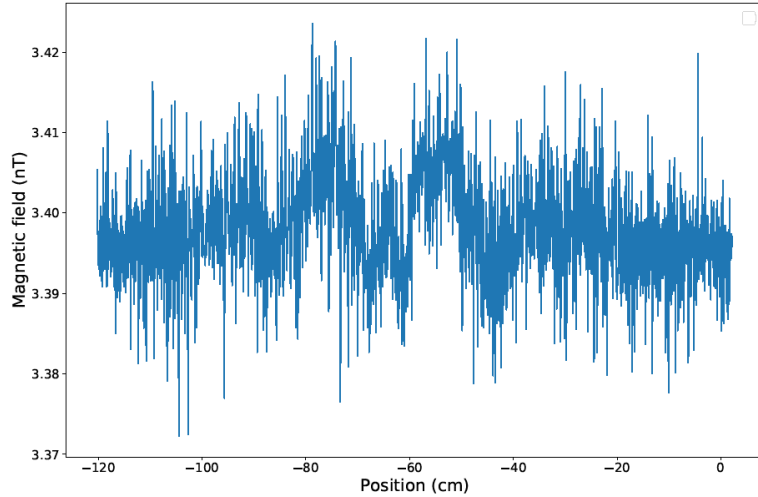




- Select cells 6, 1 and 2
- Cell 1 as reference
- Cells 6 and 2 are connected to DAQ

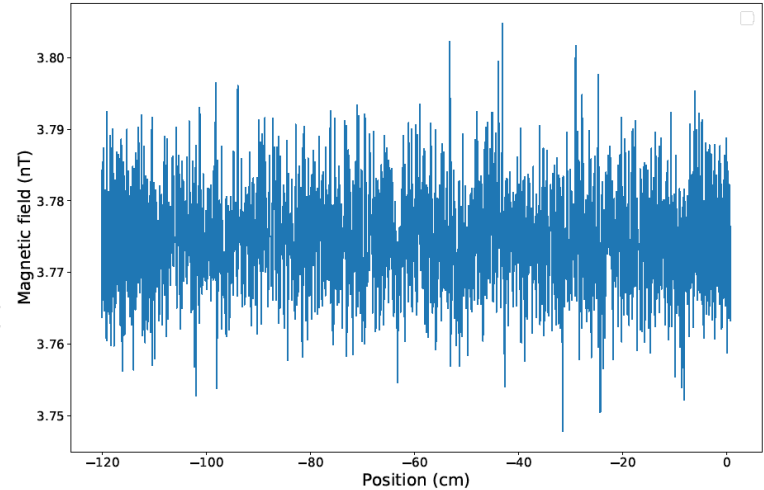


← Trolley movement →



Noise is too high for  $\sim$  pT measurement

20pT structures are clearly visible





## Summary

- Systematic error induced by magnetic contaminations
- Building local apparatus
- Based on Cesium magnetometry
- Goal:  $\sim$ pT sensitivity

## Outlook

- Reduce noise
- Implement fitting function for automatic magnetic dipole moment readout

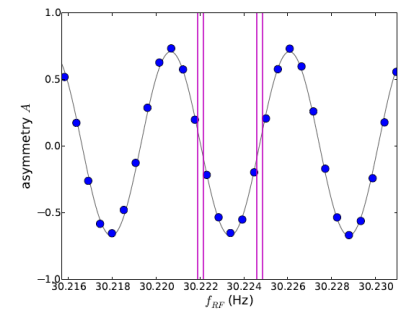
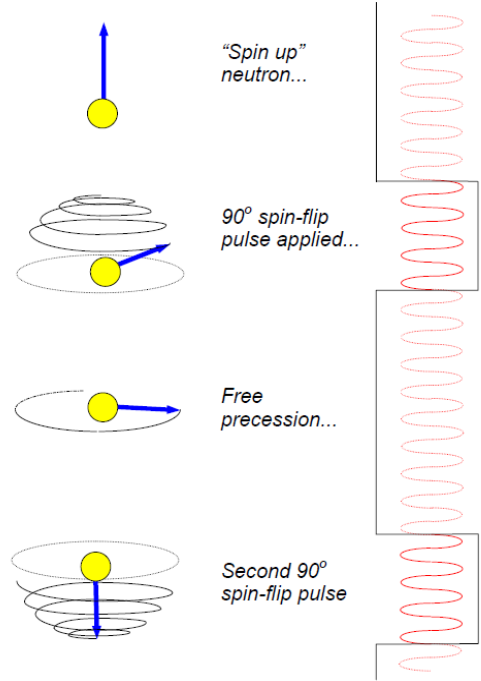
**Thank you for your  
attention!**



# The Ramsey Method



1. System is polarised along main field axis
2. Linear oscillating field with frequency  $\omega$  induces spin-flip
3. Particle precesses freely in plane perpendicular to field axis
4. Second linear oscillating field with frequency  $\omega$  induces second spin-flip



N. J. Ayres *et al.* EPJ C, 2021.

S P. Harris, *The Neutron EDM Experiment*,  
arXiv:0709.3100v3 (2007) .

## Mercury co-magnetometer

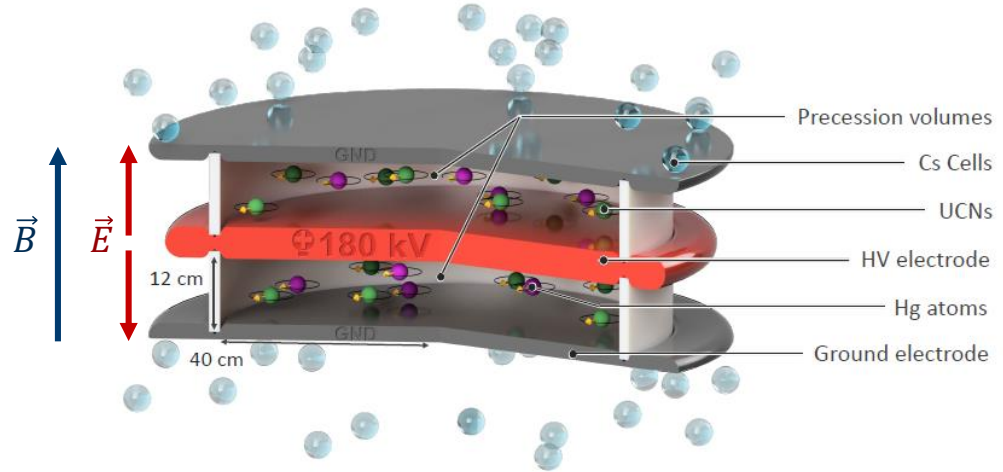
- Inside the precession chambers
- Optical readout of spin precession
- Corrects for field drifts, linear gradients
- Sensitivity of 25fT was already demonstrated

## Cs magnetometer array

- Surrounds the precession chambers
- Optical readout of spin precession
- Corrects higher order gradients
- Accuracy goal: 5pT

## Dipole contamination scanners

- SQUID array @ PTB Berlin (660 km)
- Gradiometer @ PSI (100m)



N. J. Ayres *et al.* EPJ C, 2021.



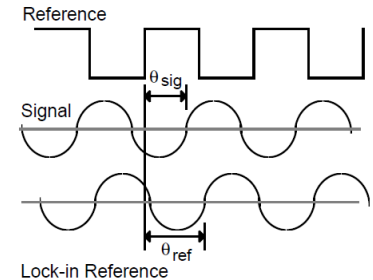


$$F = 4 \rightarrow F' = 3$$



# Lock-in amplifier: Principle

- Reads in the signal and amplifies  $V_{sig} \sin(\omega_r t + \theta_{sig})$
- Signal is multiplied with reference signal  $V_L \sin(\omega_L t + \theta_{ref})$
- Product is difference between two AC signals with frequencies  $(\omega_r - \omega_L)$  and  $(\omega_r + \omega_L)$
- Add low pass filter  $\rightarrow$  AC signals are filtered out
- If  $(\omega_r = \omega_L) \rightarrow$  DC signal  $1/2 V_{sig} V_L \cos(\theta_{sig} - \theta_{ref})$
- Add  $90^\circ$  shifted reference signal and multiply  $\rightarrow 1/2 V_{sig} V_L \sin(\theta_{sig} - \theta_{ref})$



Stanford Research Instruments:  
SR830 manual

# Lock-in amplifier: Signals

- $X = V_{sig} \cos \theta$  (in phase component)
- $Y = V_{sig} \sin \theta$  (quadrature component)
- $R = \sqrt{X^2 + Y^2} = V_{sig}$  (Amplitude of the signal)
- $\theta = \tan^{-1}\left(\frac{Y}{X}\right)$  (Phase shift)