

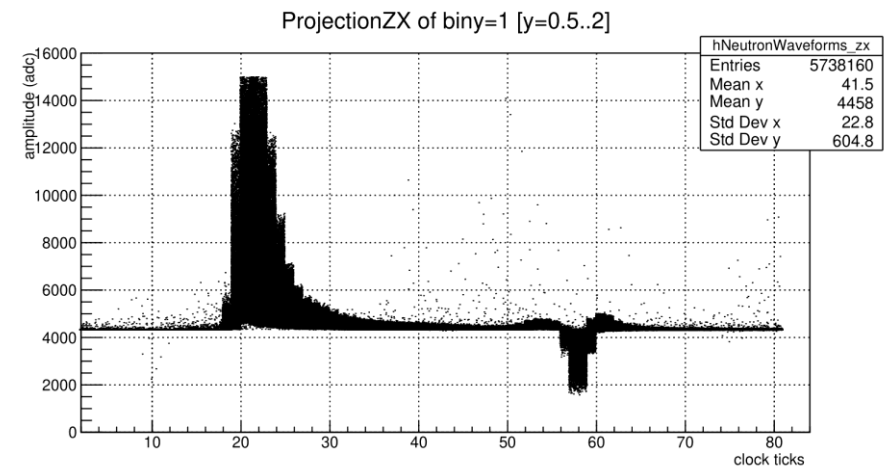
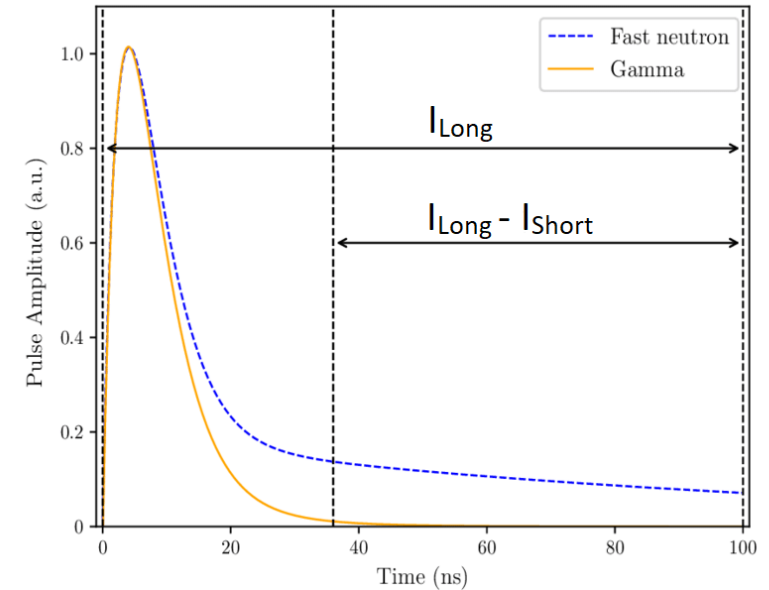
Neutron Pulse Shape Discrimination:

Impact of the short integration window

Michael Heines

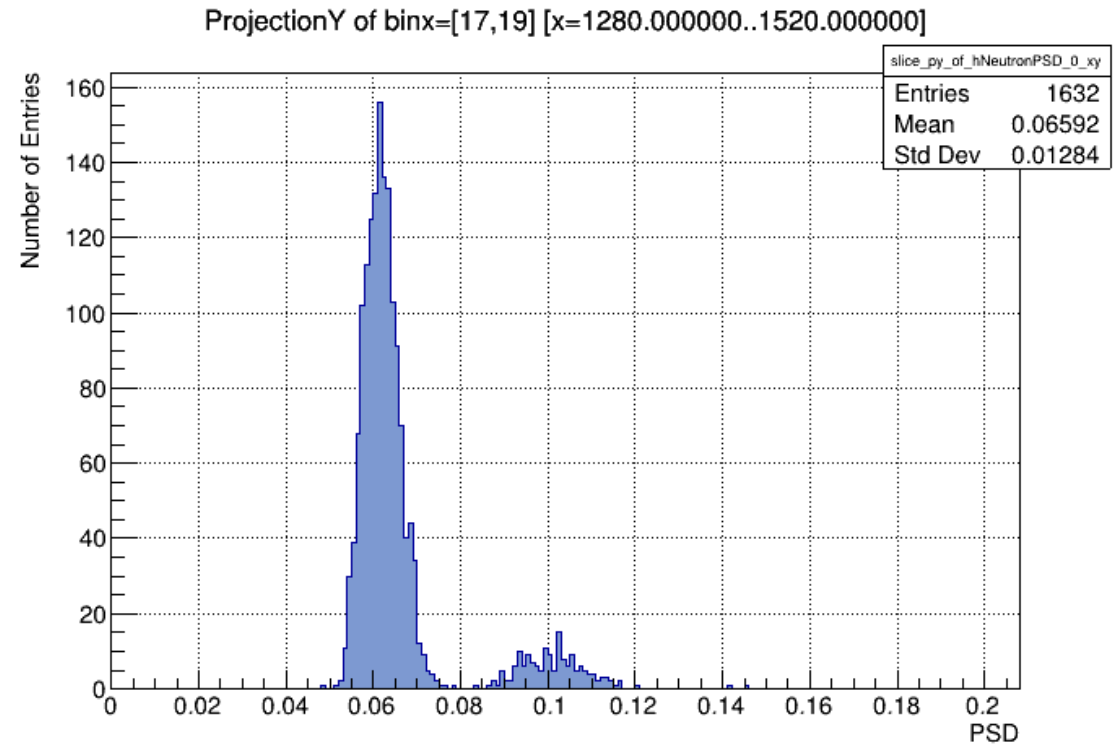
Recap - waveforms

- Neutrons are heavier \rightarrow longer pulse tails
- Compare main peak region and tail region
- Average baseline in first 10 clock ticks
- Integrals start from 10 clock ticks
- Still not using pile-up and overflow events

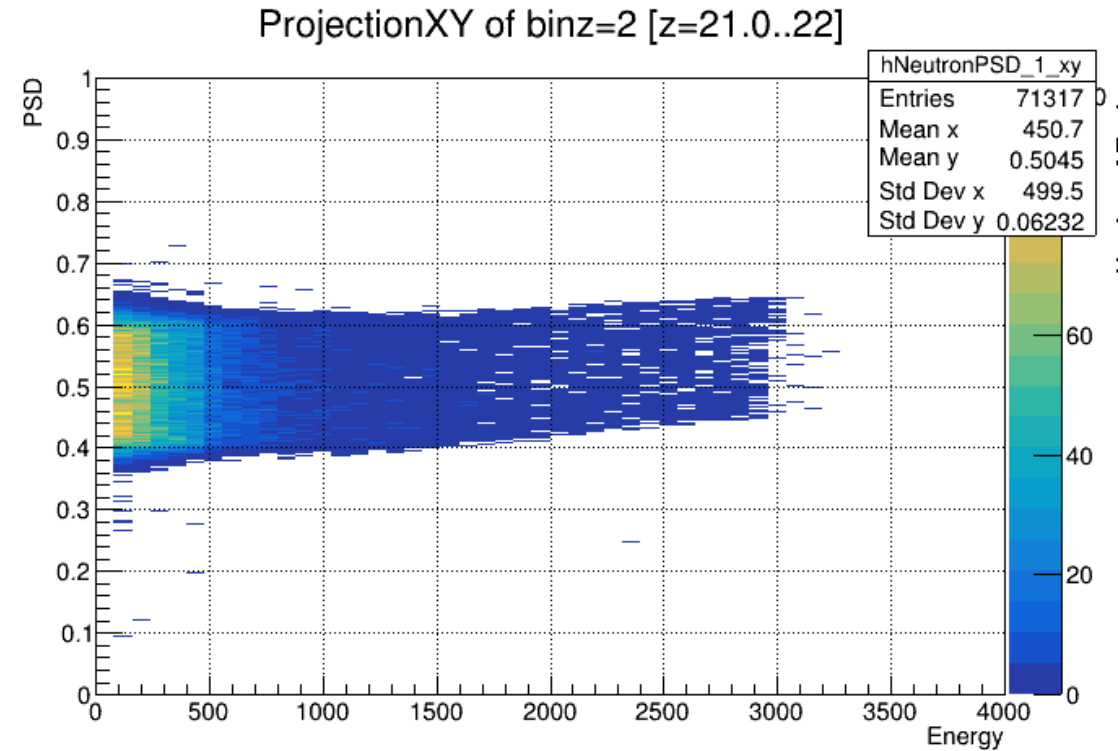
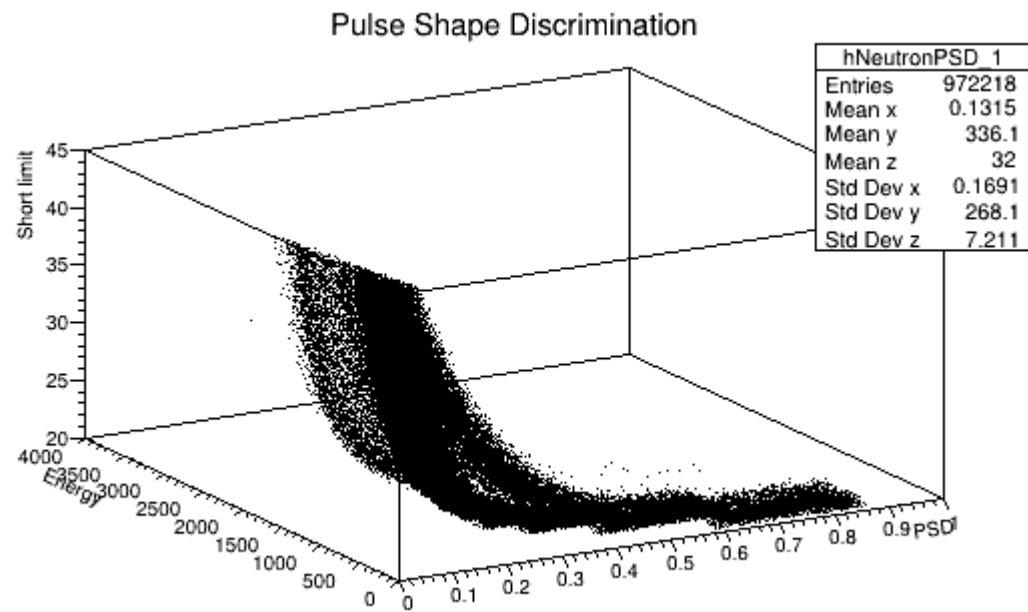


Recap – PSD and FOM

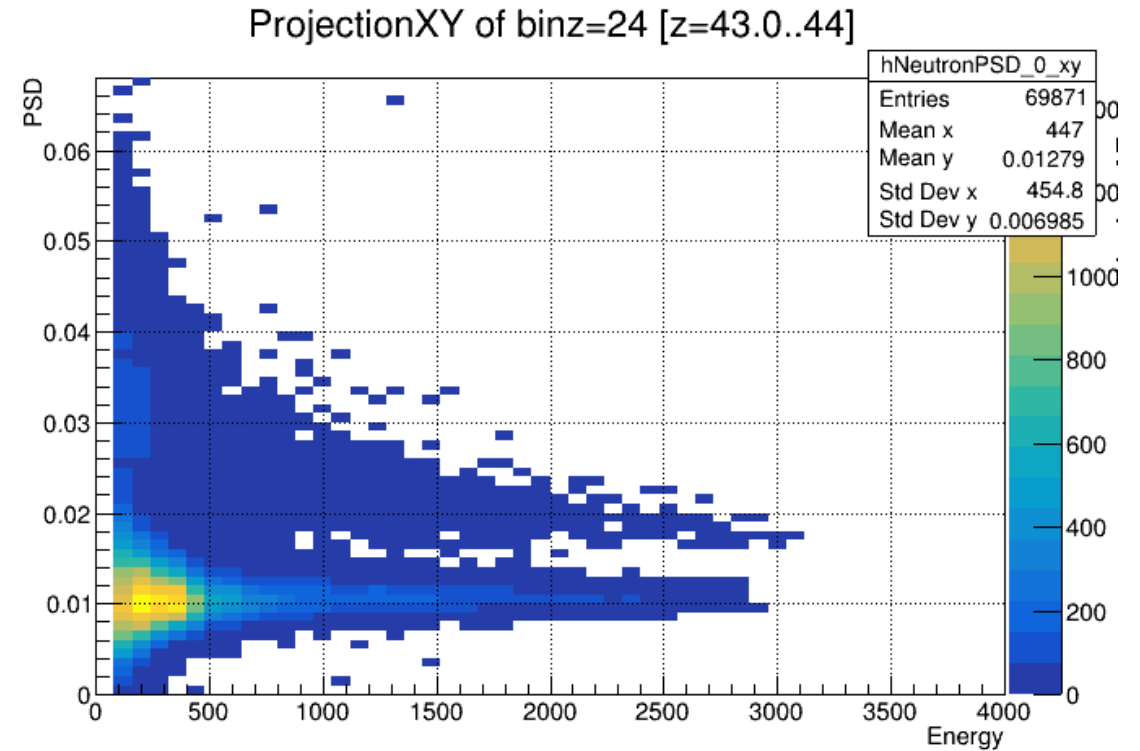
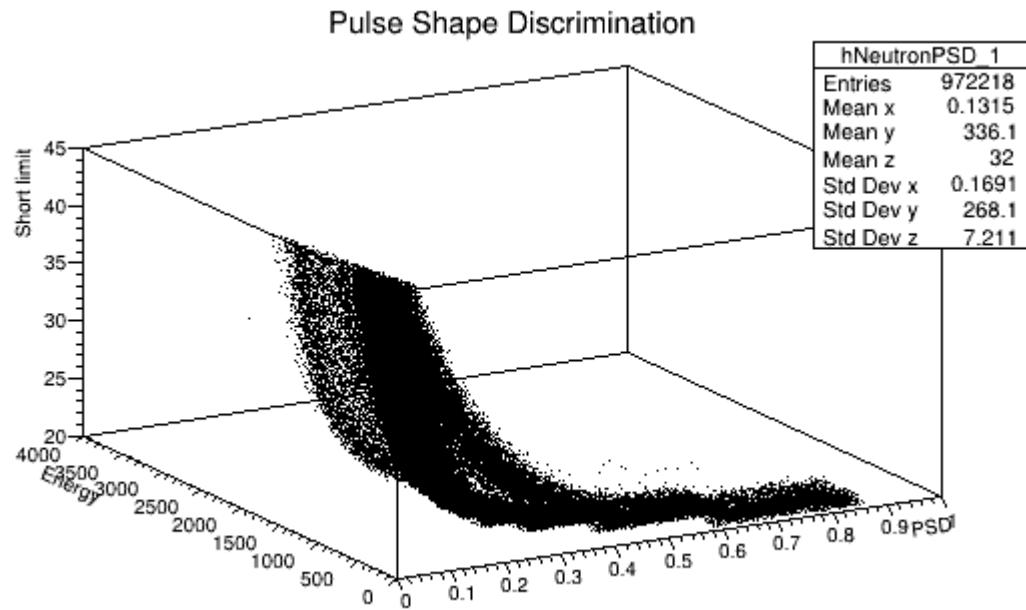
- $PSD = \frac{\text{Long integral} - \text{Short integral}}{\text{Long integral}}$
- $0 < PSD < 1$
- Fit 1D-projection with a double gaussian
- $FOM = \frac{\mu_2 - \mu_1}{2.355 (|\sigma_1| + |\sigma_2|)}$



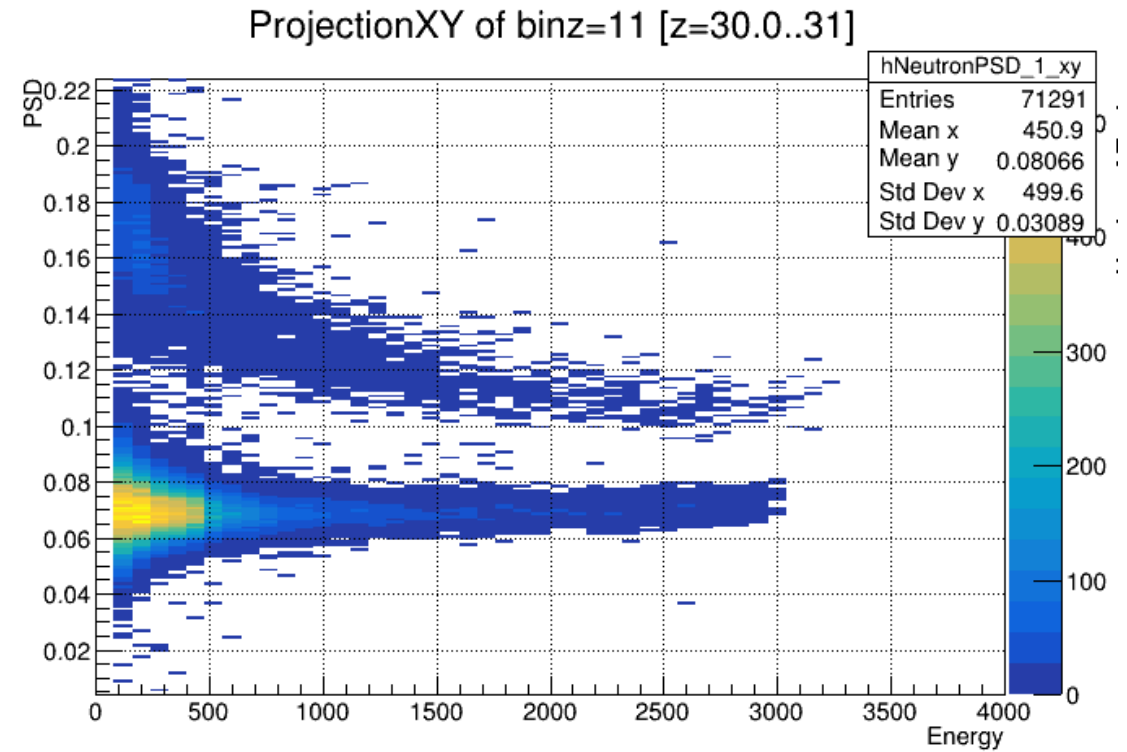
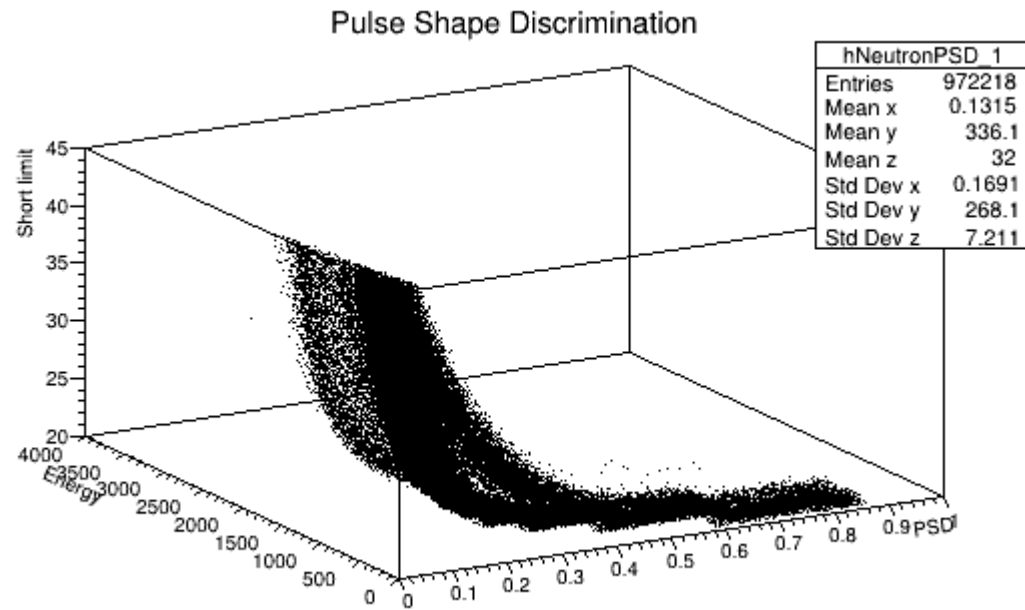
2D PSD Projection



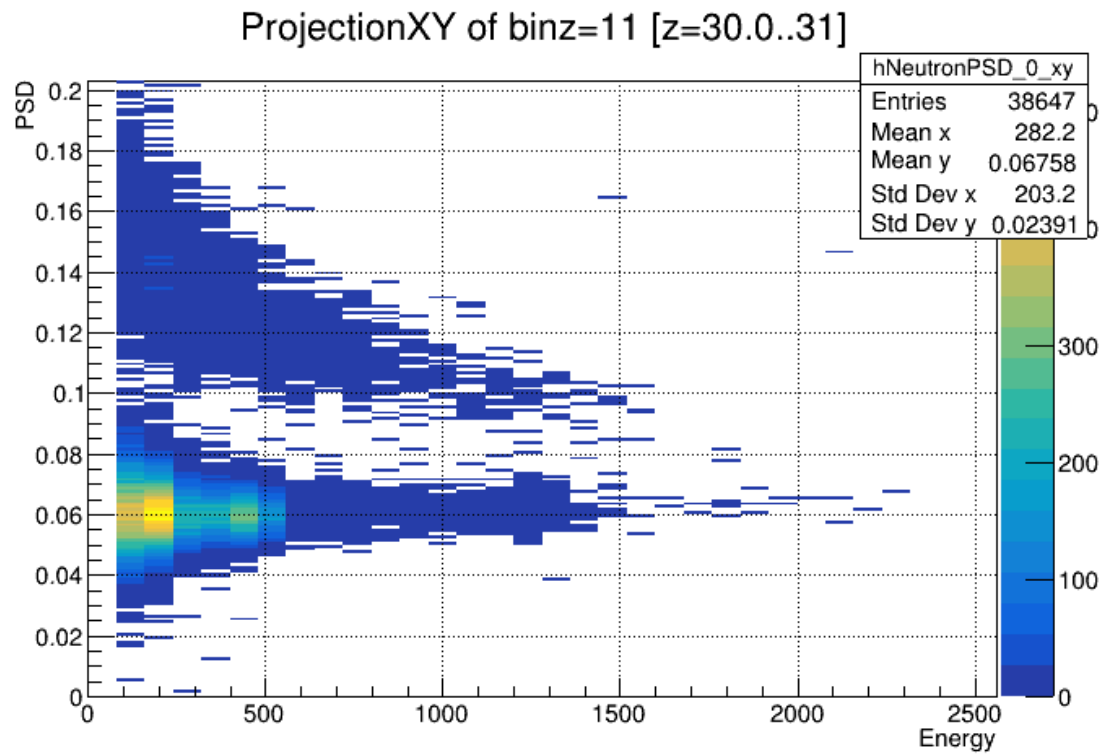
2D PSD Projection



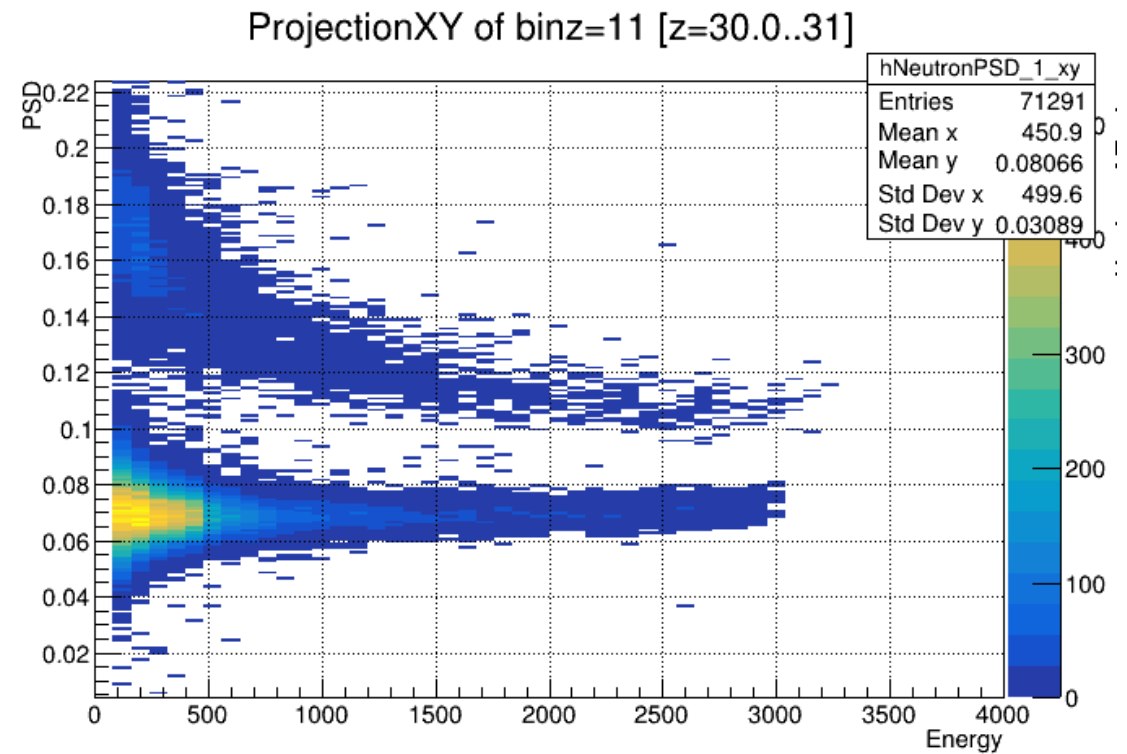
2D PSD Projection



Different runs

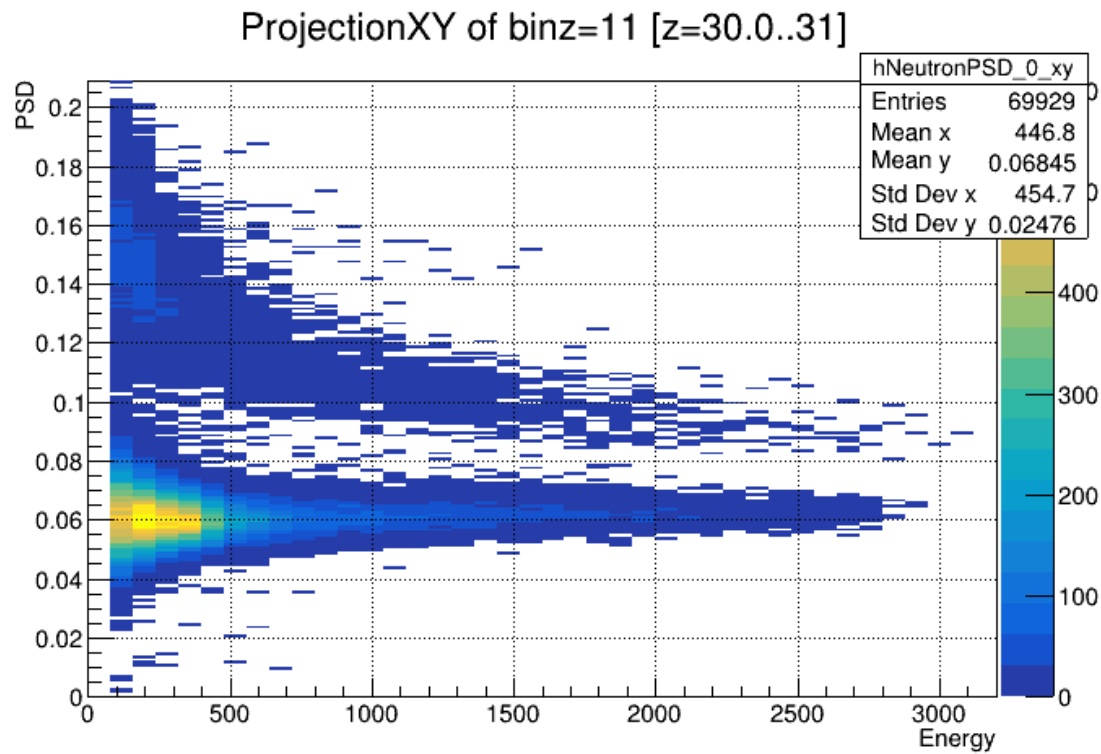


Calibration run

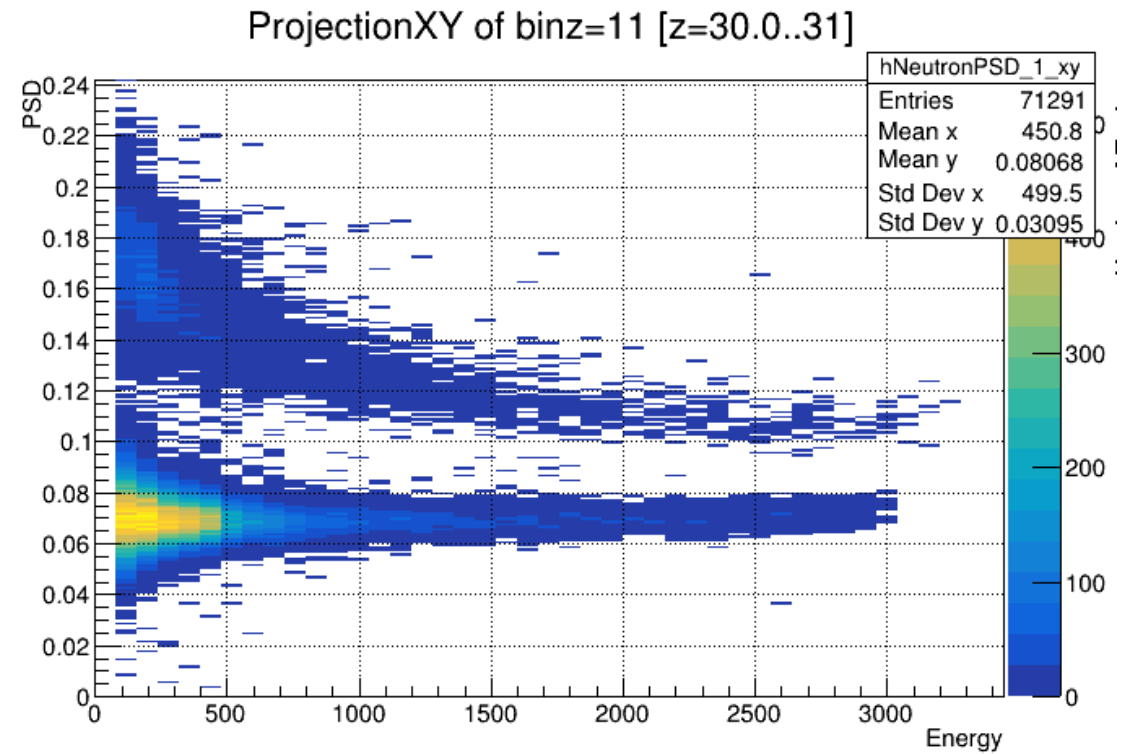


Beam on run

Different detectors



Detector 0



Detector 1

1D PSD Projection

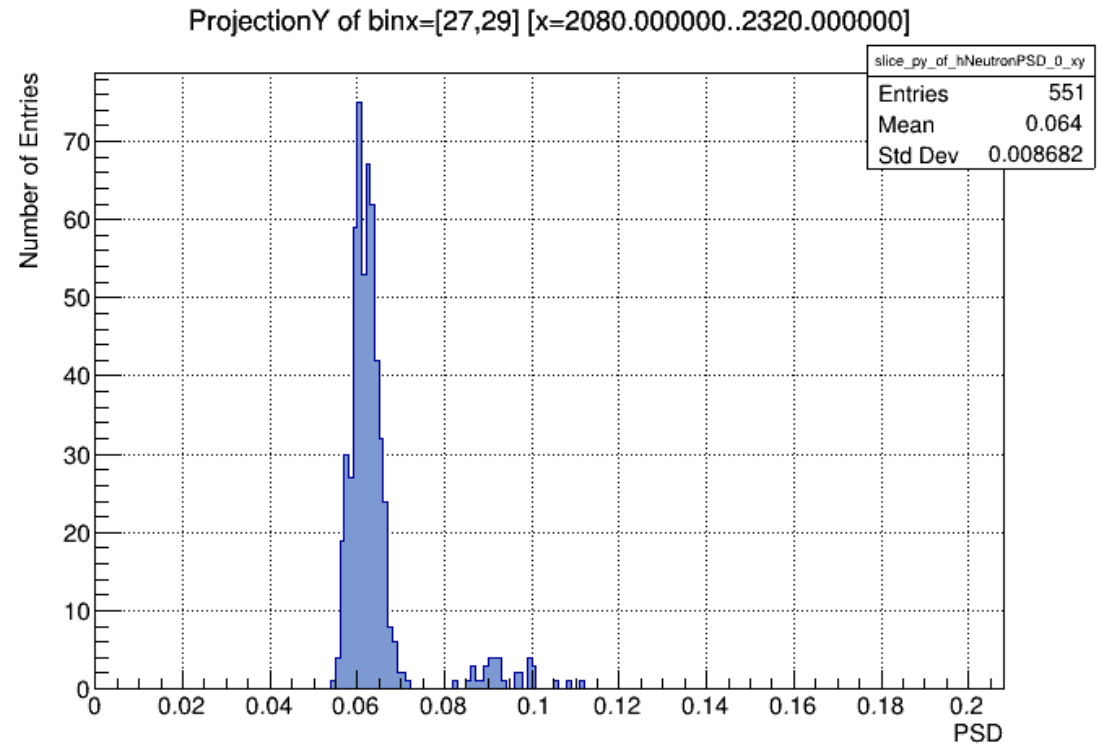
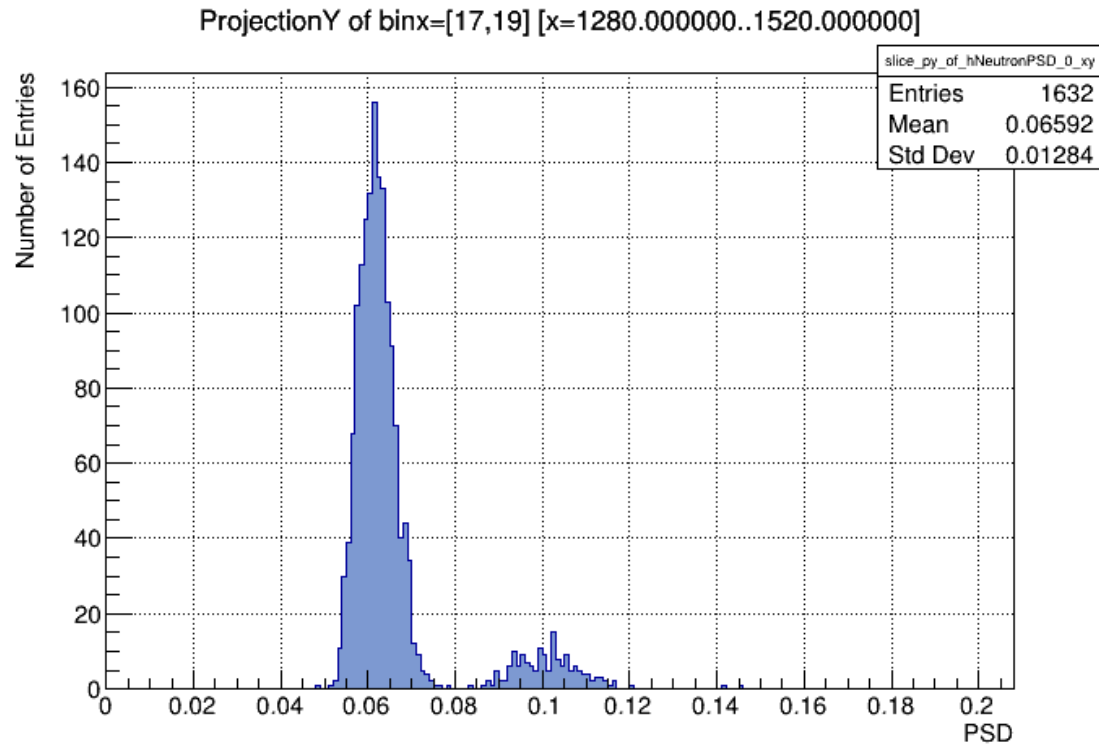
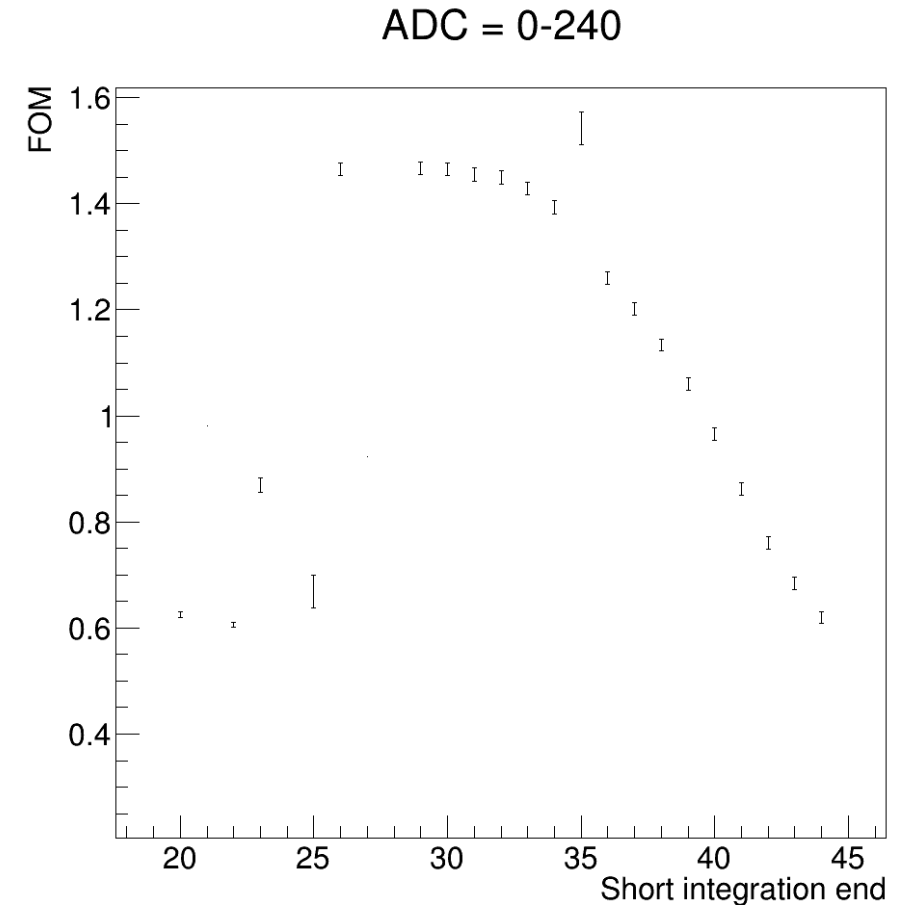


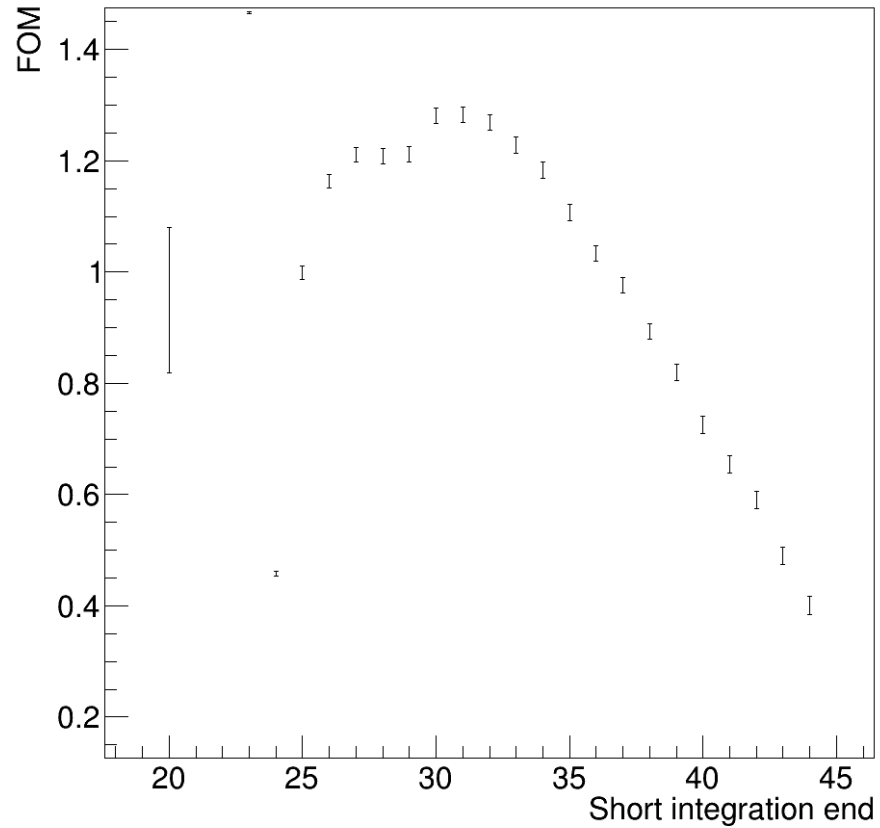
Figure of Merit

- Short integration end: Ideal value shifts upwards as a function of energy
- As a function of energy: Generally higher optimal FOM at higher energy
- Fit is not always stable (low statistics, skewed/double peaks)

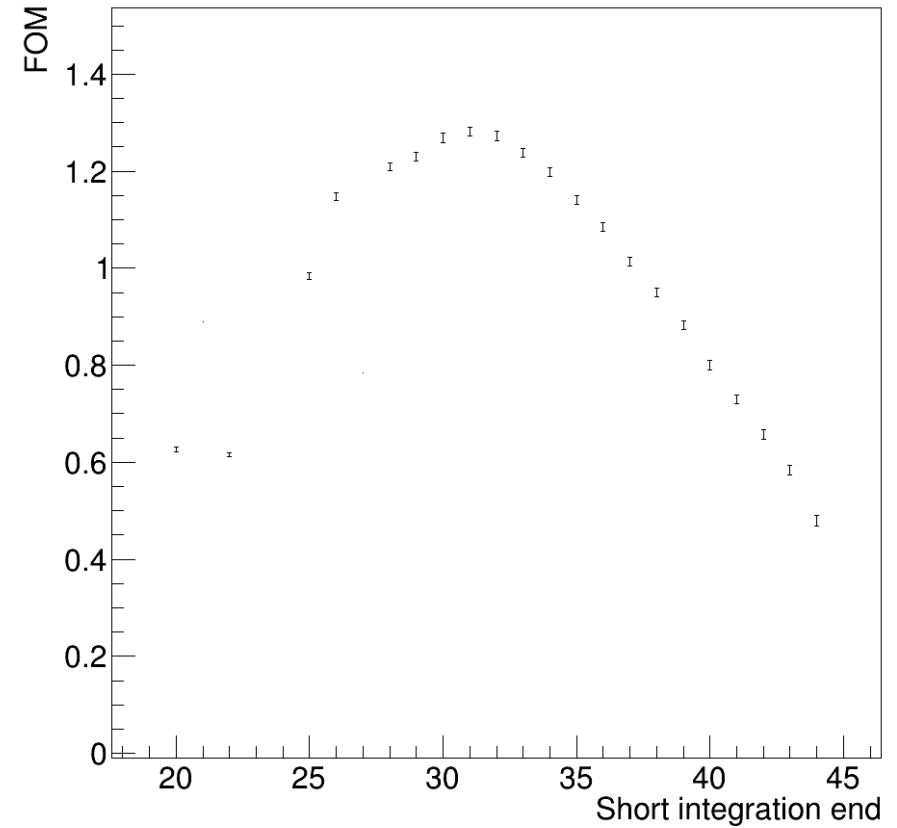


FOM for detector 0

ADC = 0-240

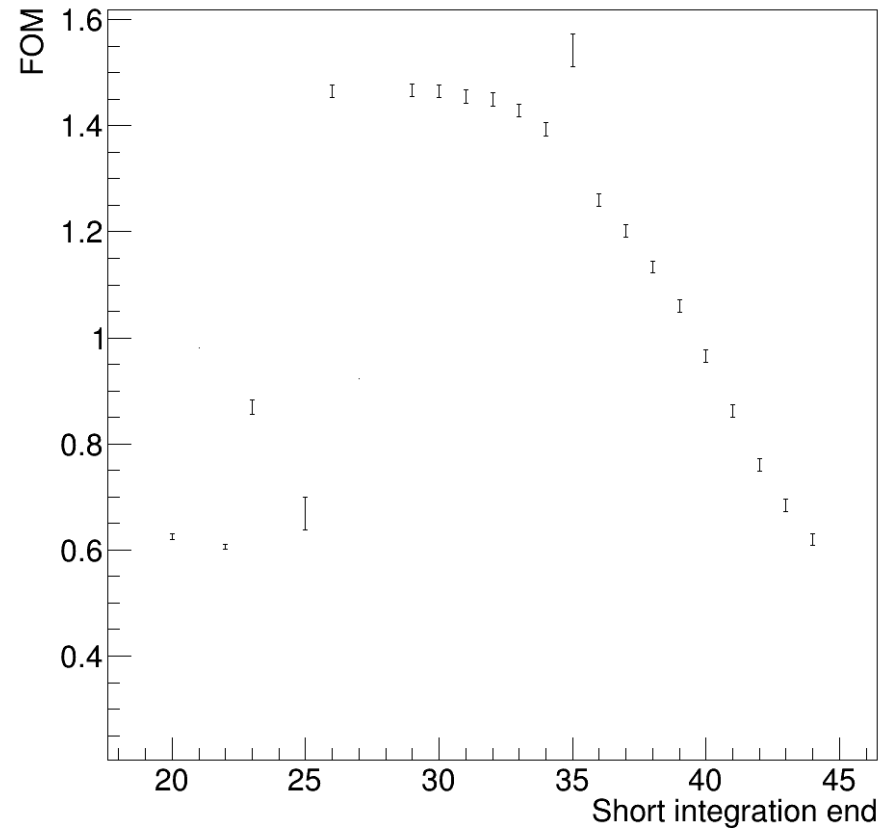


ADC = 0-240

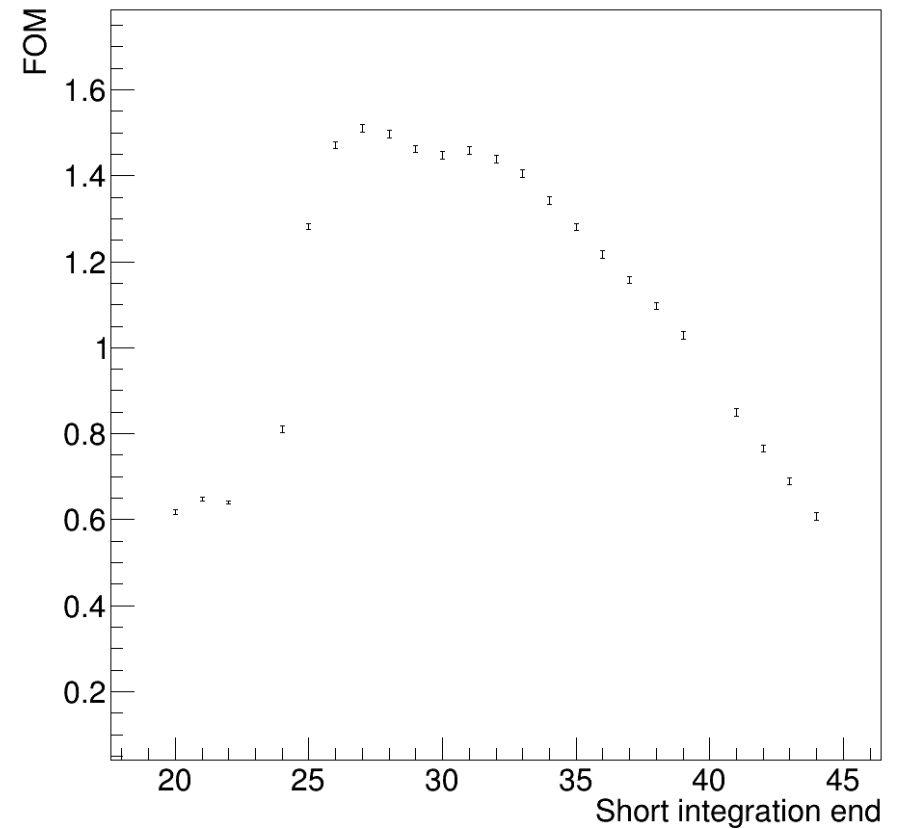


FOM for detector 1

ADC = 0-240



ADC = 0-240



Bayesian probabilities

- N = being a neutron
- \bar{N} = not being a neutron (roughly the same as being a photon)
- γ = being a photon
- f = being a flag

- $$P(N|f) \approx \frac{P(f|N)}{P(f|\gamma)} \left(\frac{P(f|\gamma)}{P(f)} - 1 \right) \left(1 + \frac{P(f|N)}{P(f|\gamma)} \right)^{-1}$$

- $P(f|\gamma)$ from run with only photons
- $P(f|N)$ from run with only neutrons

What's next?

- Choose best integration window: fixed or varying?
- Set Energy box (or several)
- Make NeutronCandidate Flag
- Perform calibration based on Compton edges

