

PEN Experiment

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PEN Collaboration

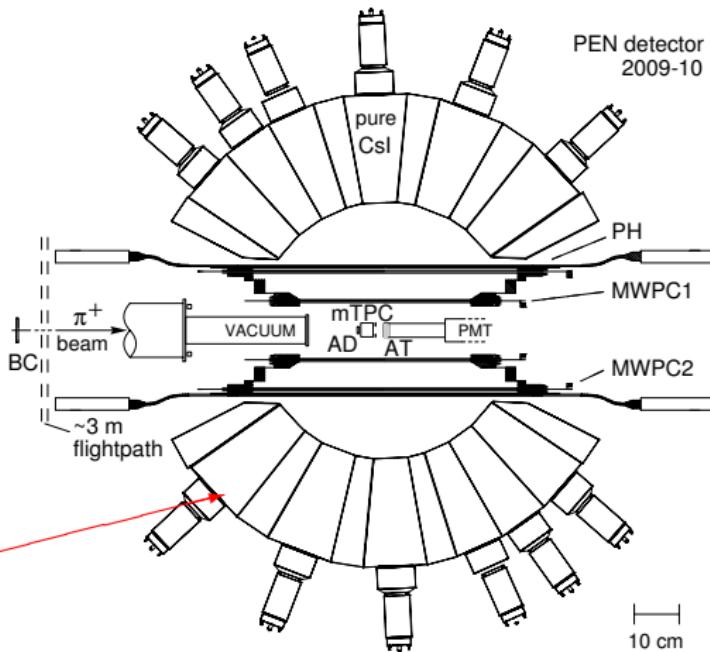
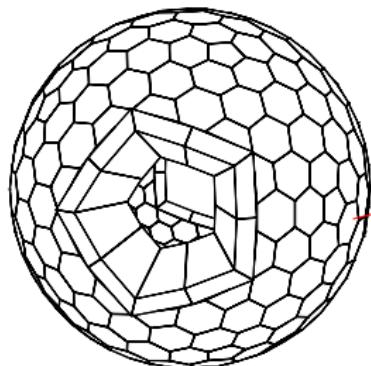


Overview

- Detector
- PEN approach
- Simulation
- Tools
- Where we are

Detector Setup

- π E1 beamline at PSI
- stopped π^+ beam
- active target counter
- 240 module spherical pure CsI calorimeter
- central tracking
- beam tracking
- digitized waveforms

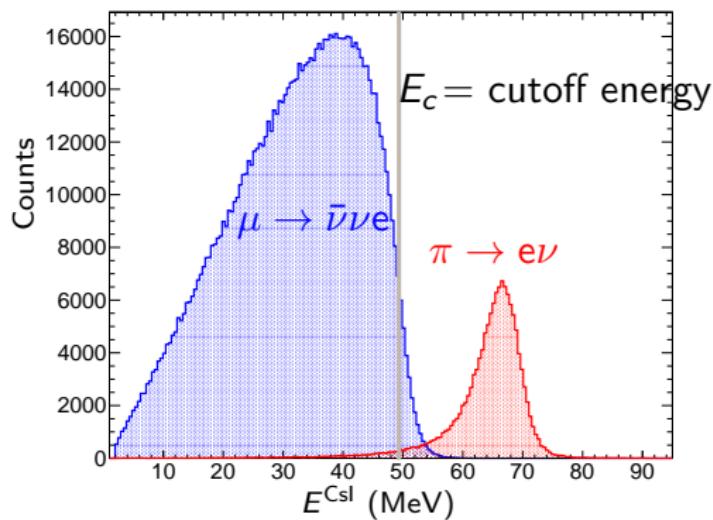


BC: Beam Counter
AD: Active Degrader
AT: Active Target

PH: Plastic Hodoscope (20 stave cylindrical)
MWPC: Multi-Wire Proportional Chamber (cylindrical)
mTPC: mini-Time Projection Chamber

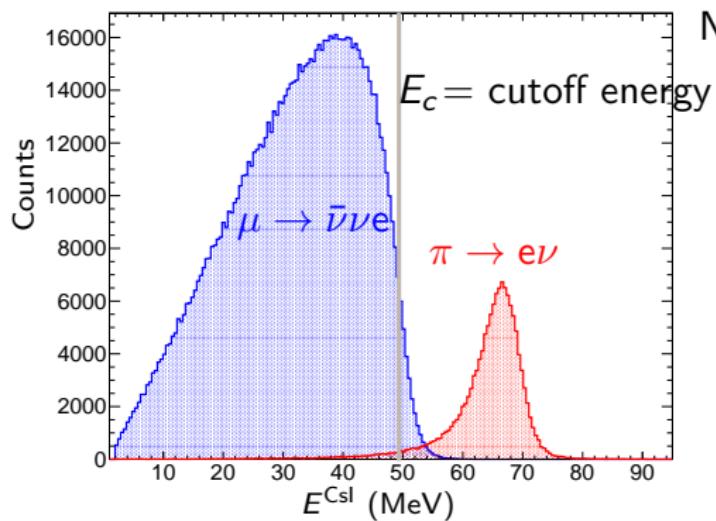
PEN analysis approach

$$R_{\pi 2e}^{\text{exp}} = \frac{N_{\text{peak}}}{N_{\pi \rightarrow \mu \nu(\gamma)}} \times (1 + \epsilon_{\text{tail}}) \times \text{corrections}$$



PEN analysis approach

$$R_{\pi 2e}^{\text{exp}} = \frac{N_{\text{peak}}}{N_{\pi \rightarrow \mu \nu(\gamma)}} \times (1 + \epsilon_{\text{tail}}) \times \text{corrections}$$



Need:

$N_{\pi \rightarrow \mu \nu(\gamma)}$ (Data)

N_{peak} (Data)

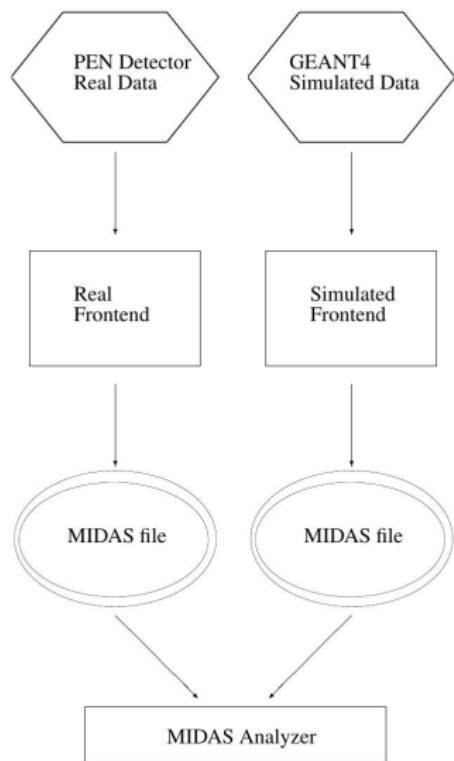
Tail fraction (Simulation)

Time window (Data/theory)

Cut efficiencies/acceptances

etc. (Simulation)

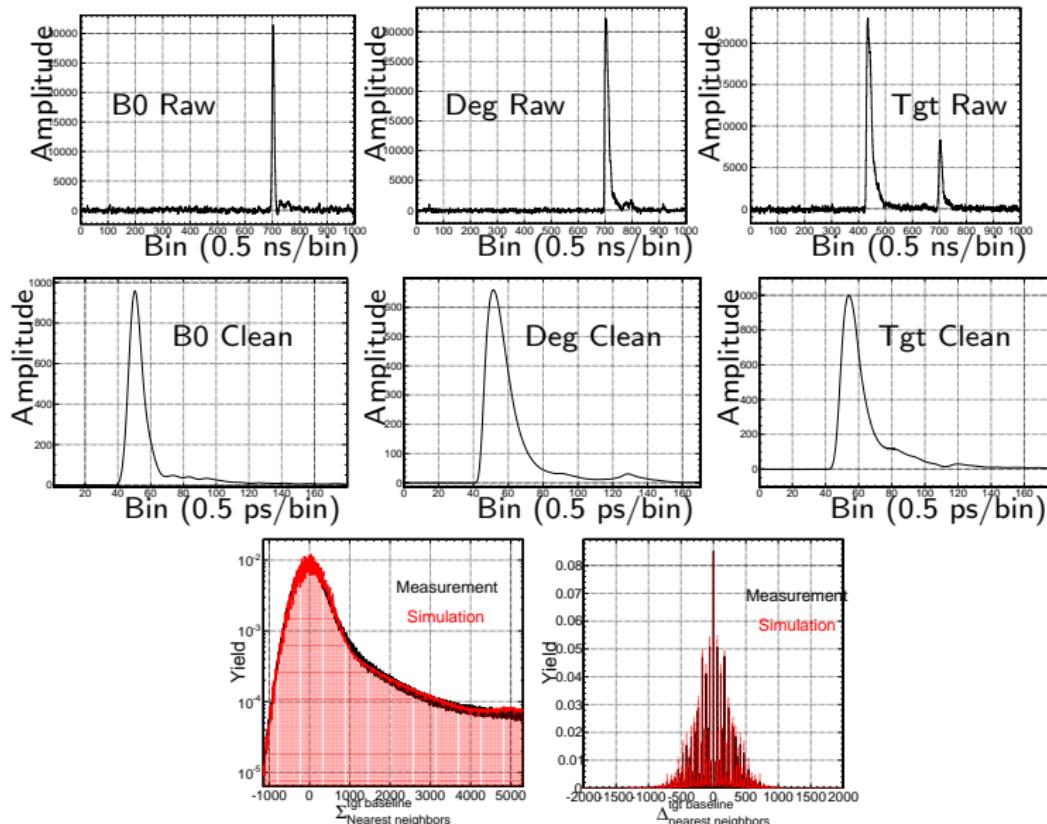
Used to determine tail fraction, acceptances, systematics etc ...
Ultra-realistic simulation required!



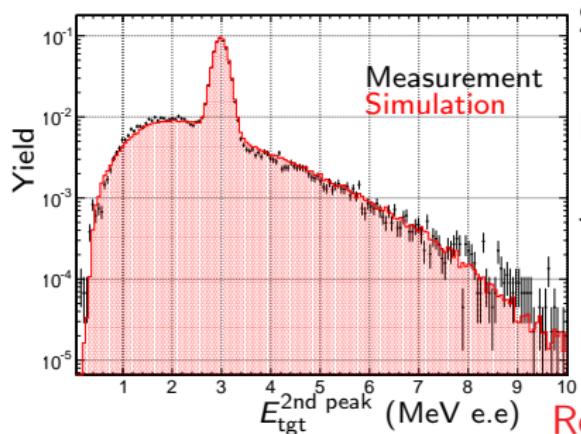
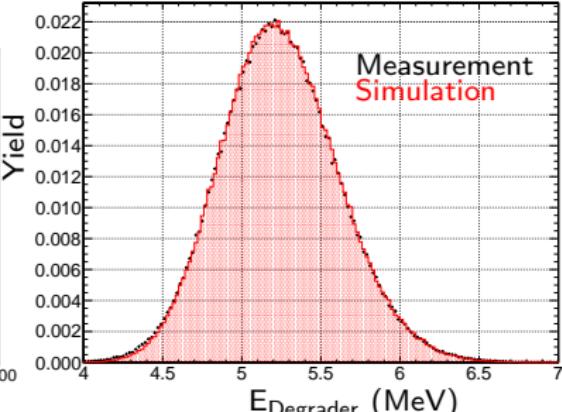
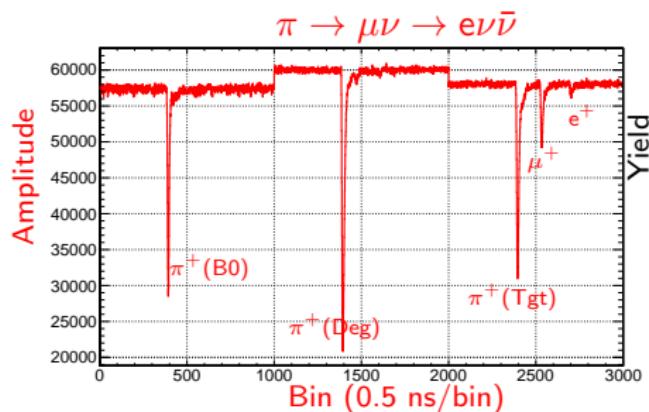
- Synthetic waveforms and baseline
- Detector responses
- Electron equivalent energies
- Correct beam profile and detector resolution
- Pedestals
- Attenuation of signals
- Correct CsI responses

Output of analyzer indistinguishable

Responses



Outputs



Synthetic waveforms are constructed

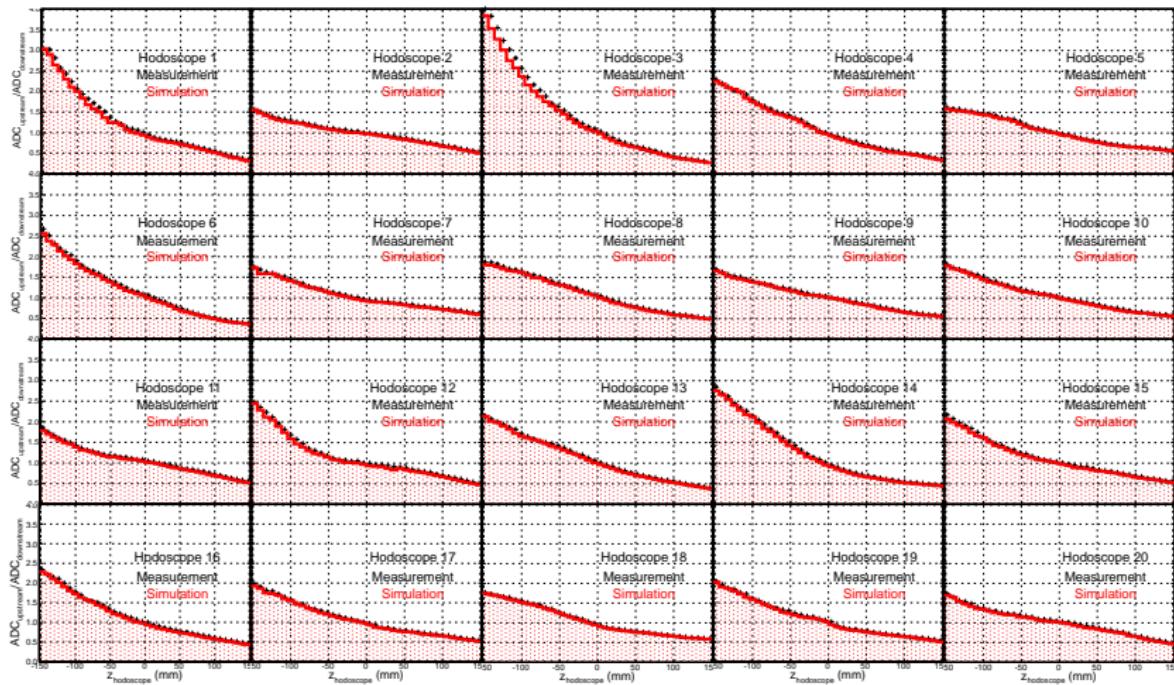
Electron equivalent energies used for amplitude

Timing for position

Photo electron statistics/ "smearing"

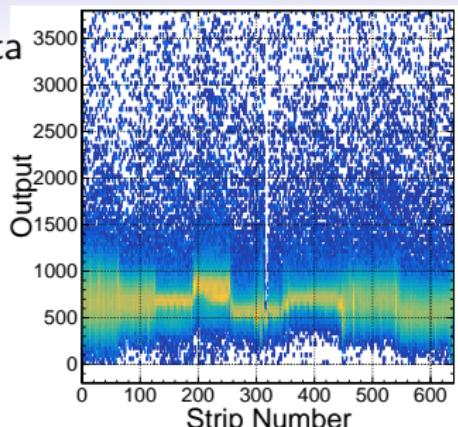
Reconstructed observables indistinguishable

Hodoscopes

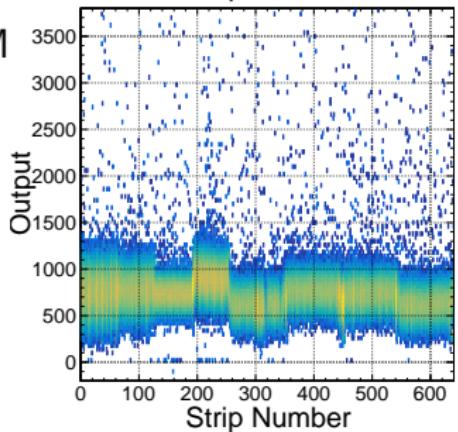


Attenuation of signal is simulated for all 20 staves

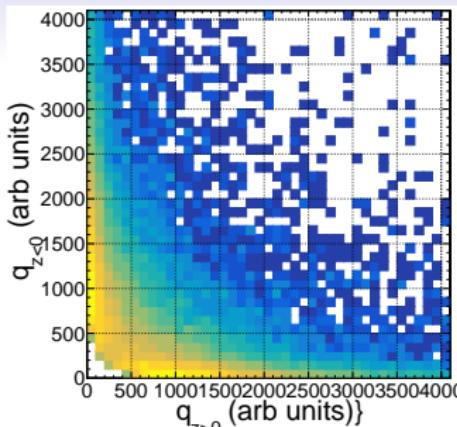
MWPC
S



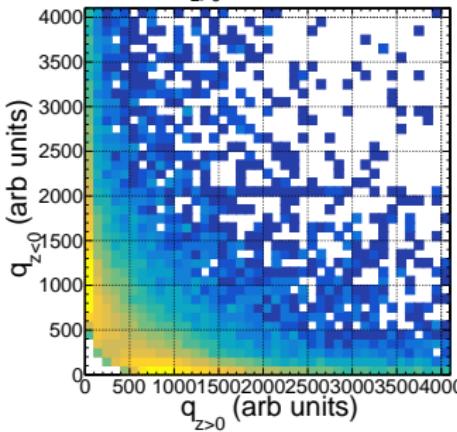
SIM



MWPC pedestals

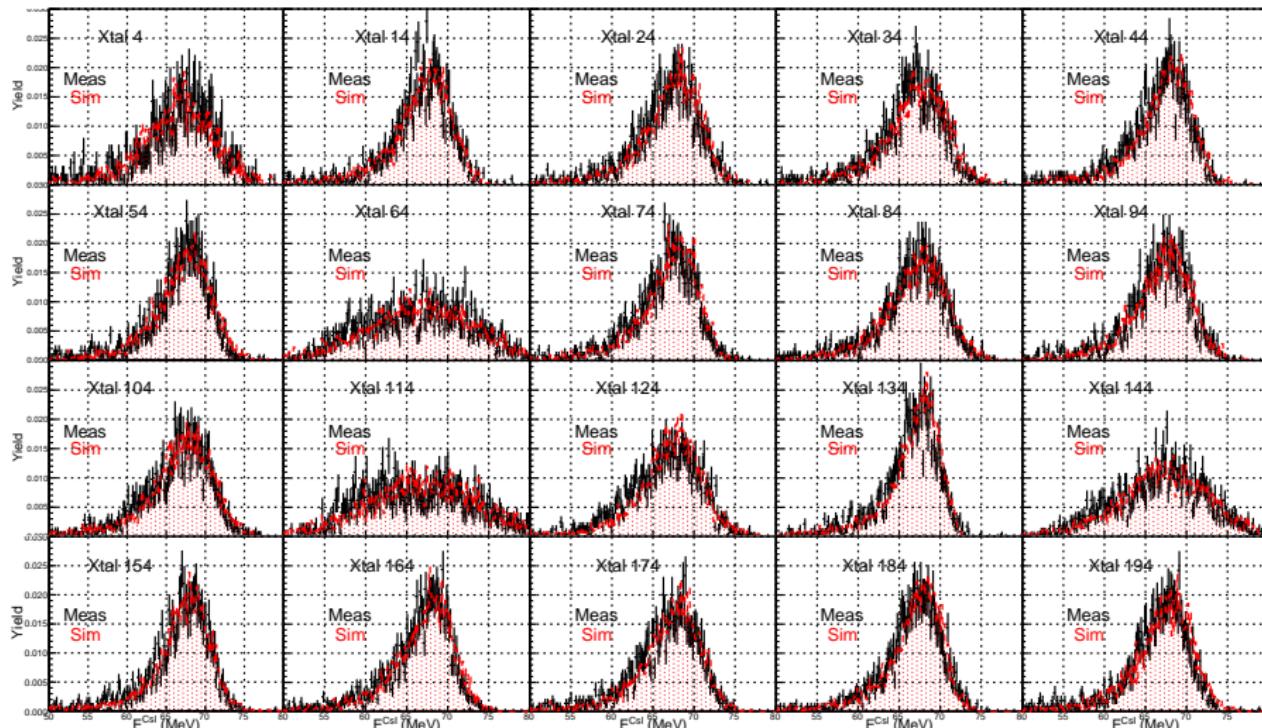


SIM



Charge up vs down z around 0

CsI



Non-uniformities, efficiencies, etc all unique to each crystal

Run changes

run 1

1 geometry

2 momenta

4 wedged deg

No mtpc

Supercluster trig

1232 runs

run 2

7 geometries

8 momenta

5 mm deg

mtcp 10mm sep

Simple trig

6427 runs

run 3

4 geometries

4 momenta

7 mm deg

mtcp 12.5mm sep

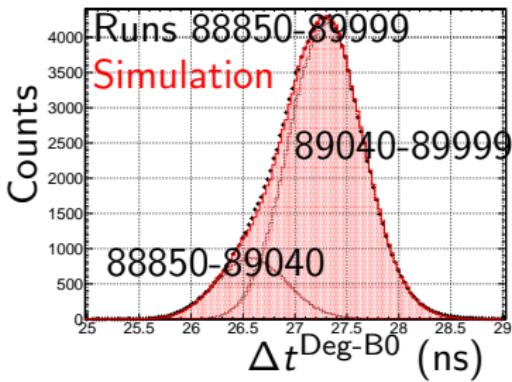
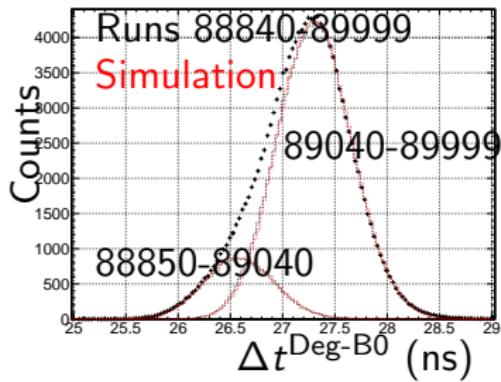
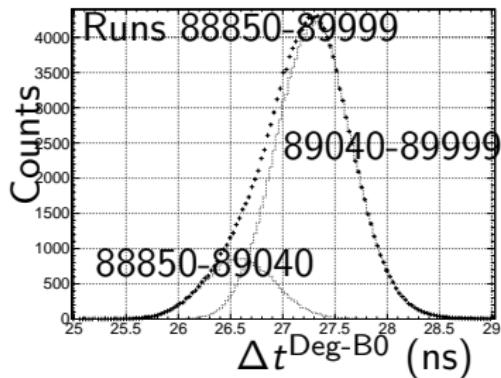
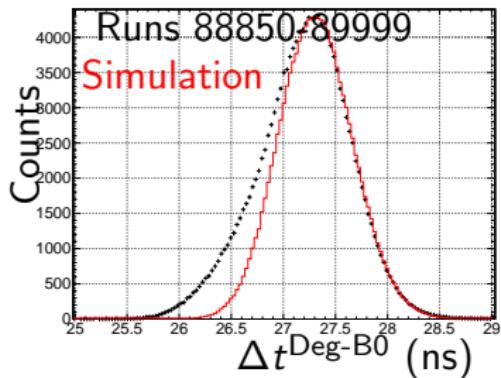
Simple trig

6606 runs

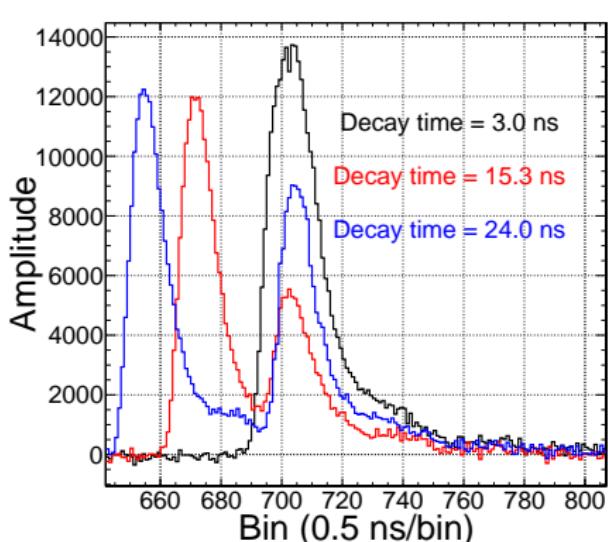
12 simulation configurations needed to fully simulate PEN

Debugging/blinding uses one simulation each for runs 2 and 3

One geometry, different momentum

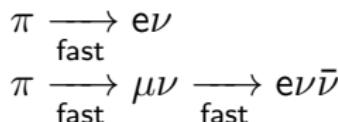


Target responses

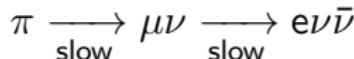


$$\text{Decay time} = t_e^{\text{birth}} - t_\pi^{\text{stop}}$$

As few as 1 peak



At most 3 peaks

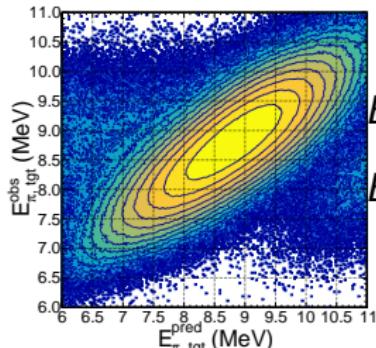


Different decays produce different target responses

Peak pileup complicates energy and timing extraction

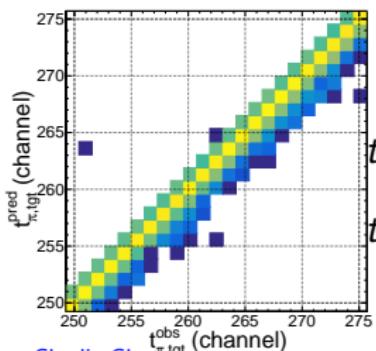
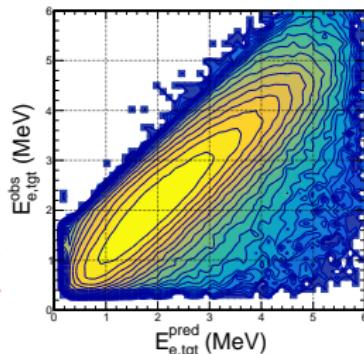
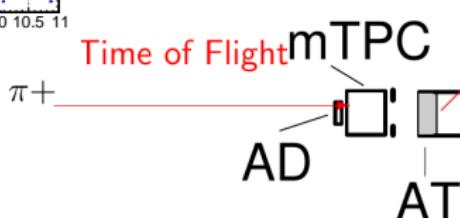
Need more than just target responses

Predicting times and energies



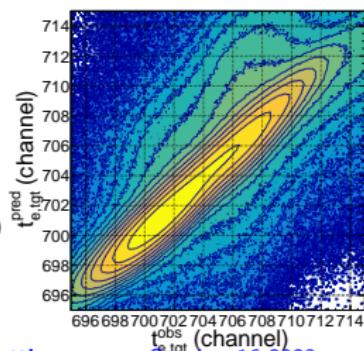
$E_{\pi} : \text{TOF} + \text{AD}$

$E_e : \text{MWPC} + \text{mTPC}$

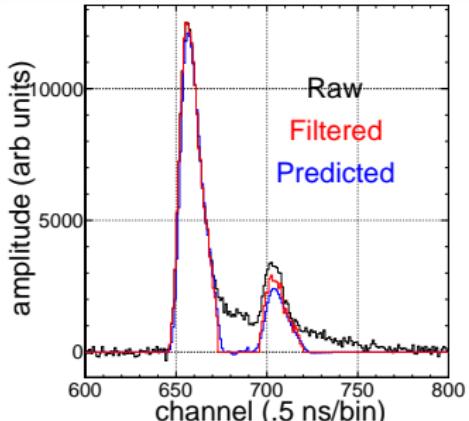


$t_{\pi} : \text{TOF} + \text{AD}$

$t_e : \text{MWPC} + \text{mTPC} + \text{HOD}$

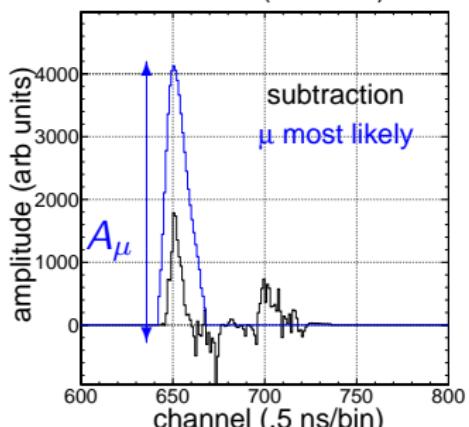


Predict the tgt waveform



Create a predicted waveform

Compare predicted and filtered, χ^2_{peak}

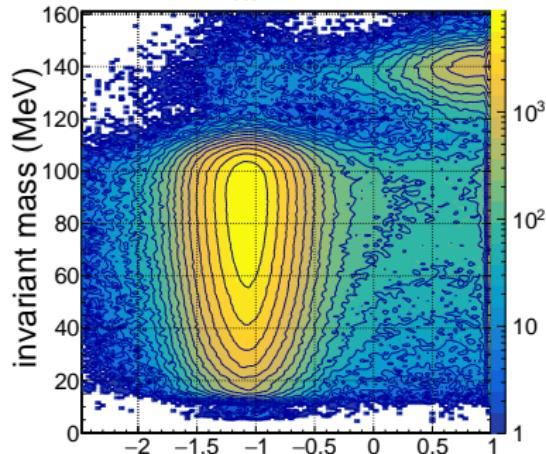
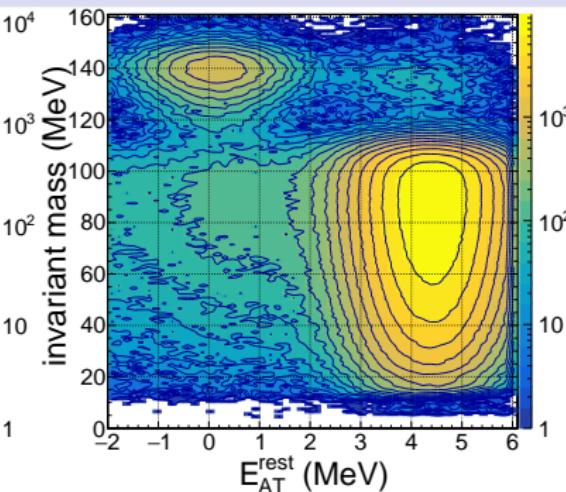
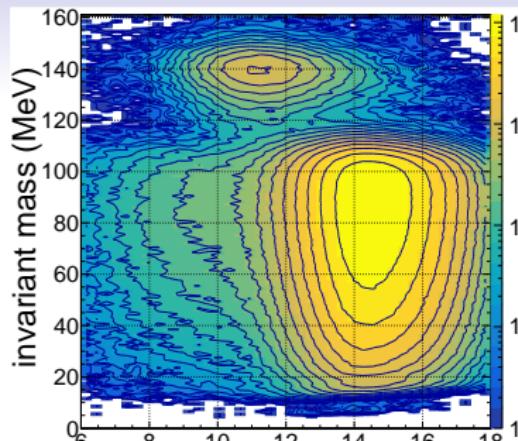


Subtract predicted and filtered

Muon placed at each bin between π and e

Perform comparison at each bin χ^2_{peak}

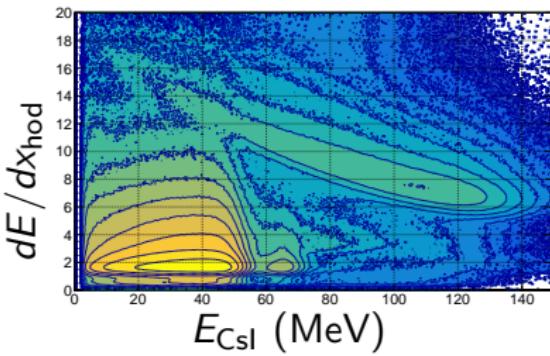
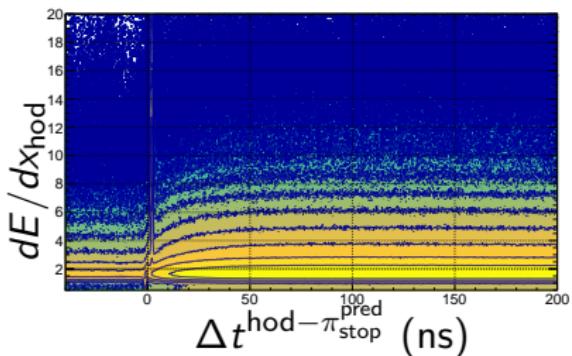
Take $\chi^2_{\text{peak,min}}$



$$\Delta \chi^2 = \frac{\left(\chi^2_{\text{2-peak}} - \chi^2_{\text{3-peak,min}} \right)}{(A_\mu)^2}$$

Hadronic/prompts

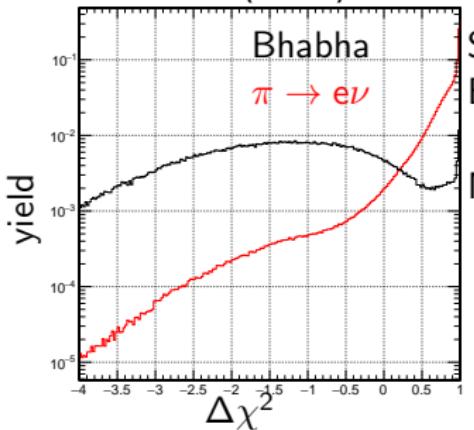
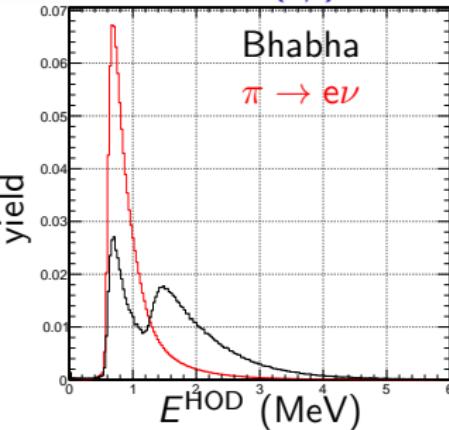
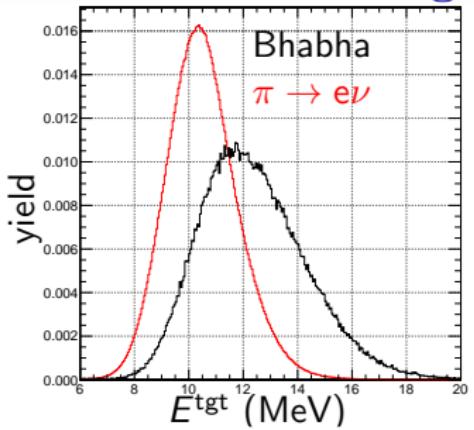
Pions can be absorbed by nuclei (Carbon) producing proton or deuteron, $^{12}C(\pi^+, p)X$.



Proton makes its way to the calorimeter at the pion predicted stopping time

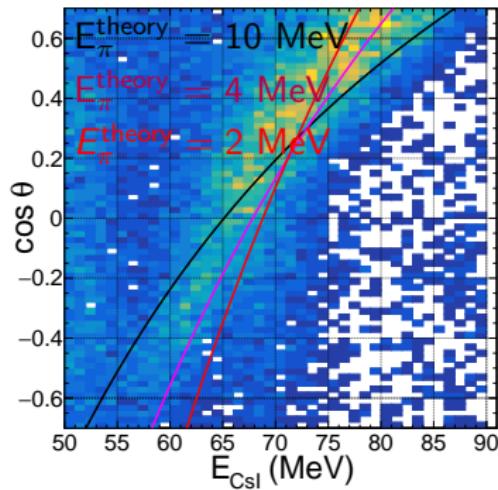
dE/dx selection in the hodoscope is preferable to time selection

Bhabha scattering from $\pi \rightarrow e\nu(\gamma)$ decays



Stringent $\pi \rightarrow e\nu$ selection isolates > 99%
Bhabha

MWPCs tracking



$-3 < \text{decay time} < 3 \text{ ns}$

Target energy deficit

$$\cos \theta = \frac{E_\pi}{\sqrt{E_\pi^2 - m_\pi^2}} - \frac{m_\pi^2}{2E_e\sqrt{E_\pi^2 - m_\pi^2}}$$

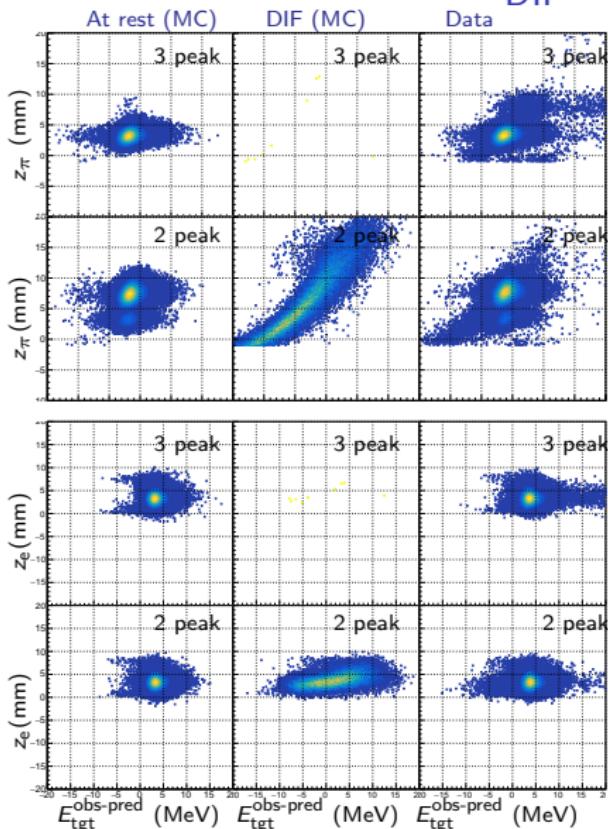
$$N_{\text{Peak}} \sim 10^{-3}$$

$$\epsilon_{\text{Tail}} \sim 10^{-4} \text{ contribution (built in to MC)}$$

Inclusion requires selection:

decay time $> -4 \text{ ns}$ (actually a good thing!)

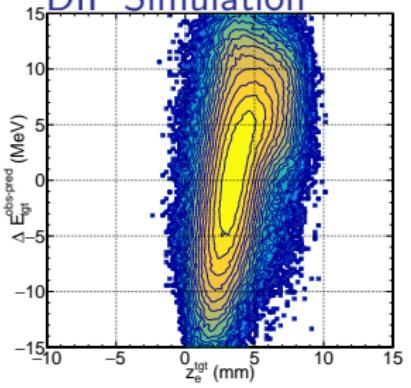
$$\pi \xrightarrow{\text{DIF}} \mu\nu \rightarrow e\nu\bar{\nu}$$



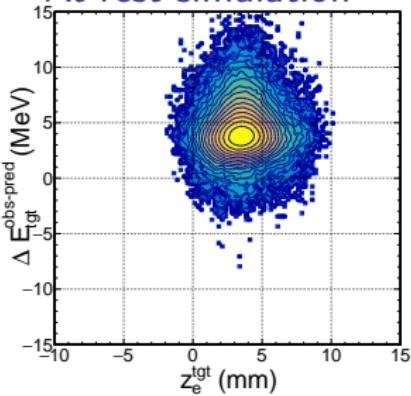
- 30-50 MeV selection
- 3 target peaks:
Well separated $\pi \rightarrow \mu\nu \rightarrow e\nu\bar{\nu}$
- 2 target peaks:
Expected in decays in flight
- z_e starting position of e^+
along beam line (from MWPCs)
- z_π stopping position of π^+
from target energy in first peak
- $E_{\text{tgt}}^{\text{obs-pred}}$ (MeV) target energy balance
total energy minus predictions

$$\pi \longrightarrow \mu\nu \rightarrow e\nu\bar{\nu}$$

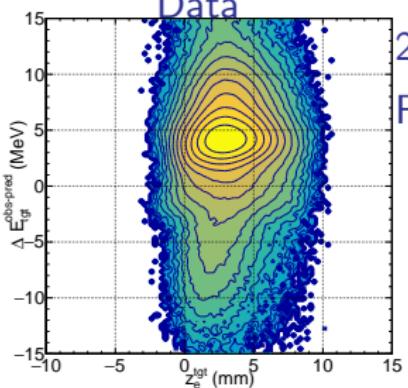
DIF Simulation



At rest simulation



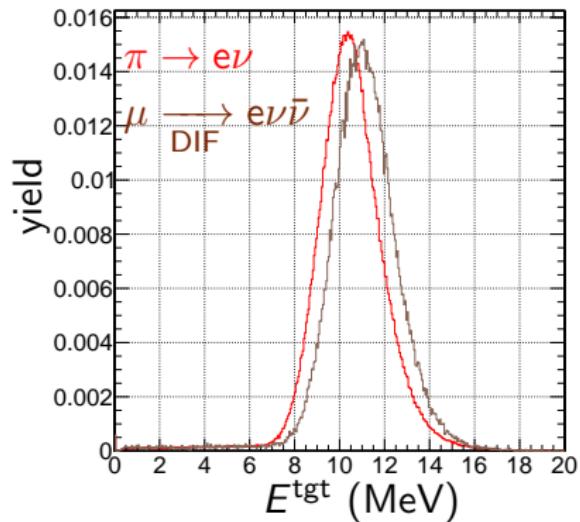
Data



2D cuts can help isolate/eliminate DIF

Rigorous cuts used in exp tail

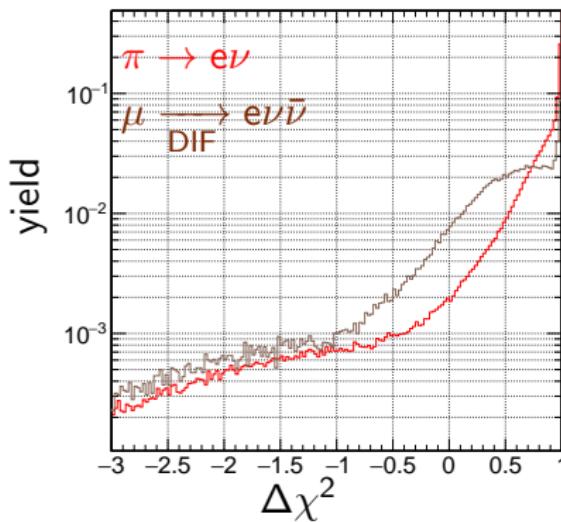
$$\pi \rightarrow \mu\nu \xrightarrow{\text{DIF}} e\nu\bar{\nu}$$



Identical decay time spectra

Nearly identical target energy

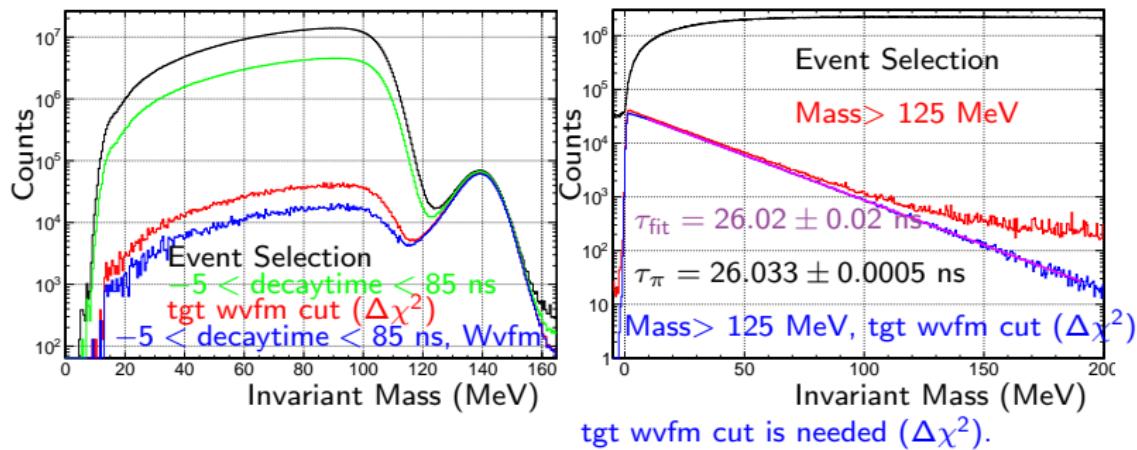
Nearly all $\mu \xrightarrow{\text{DIF}} e\nu\bar{\nu}$ in low energy tail



$\Delta\chi^2 \sim 0.5$

Eliminate $\sim 40\%$ $\mu \xrightarrow{\text{DIF}} e\nu\bar{\nu}$
At expense $\sim 18\%$ of $\pi \rightarrow e\nu$

Number of $\pi \rightarrow e\nu$



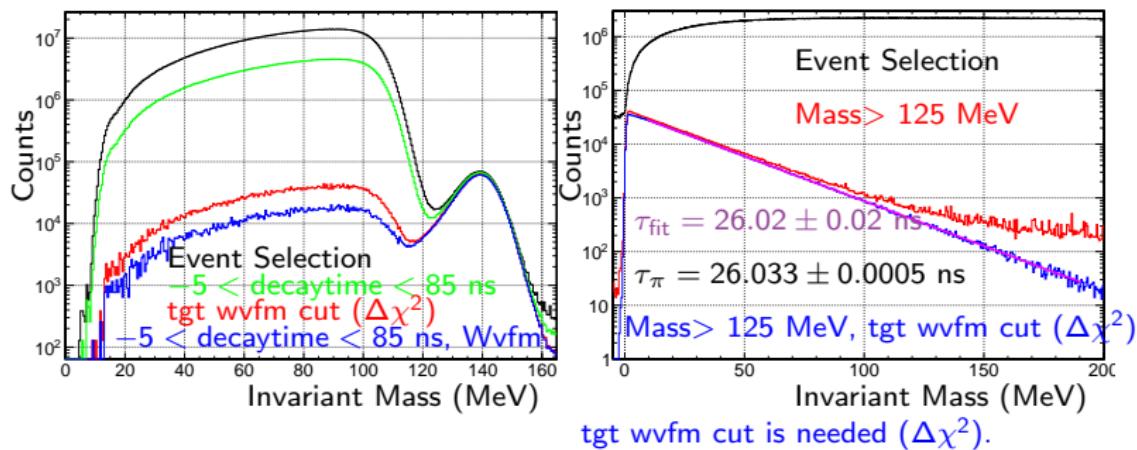
$$N_{\pi \rightarrow e\nu(\gamma), \text{run 2}} = (1409.33 \pm 1.18) \times 10^3$$

$$N_{\pi \rightarrow e\nu(\gamma), \text{run 2}} = (2413.81 \pm 1.63) \times 10^3$$

$$\delta N_{\pi \rightarrow e\nu(\gamma), \text{run 2}} / N_{\pi \rightarrow e\nu(\gamma), \text{run 2}} = 8.50 \times 10^{-4}$$

$$\delta N_{\pi \rightarrow e\nu(\gamma), \text{run 3}} / N_{\pi \rightarrow e\nu(\gamma), \text{run 3}} = 6.49 \times 10^{-4}$$

Number of $\pi \rightarrow e\nu$



$$N_{\pi \rightarrow e\nu(\gamma), \text{run 2}} = (1409.33 \pm 1.18) \times 10^3$$

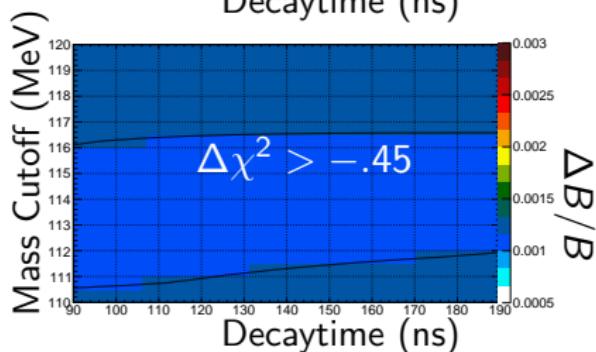
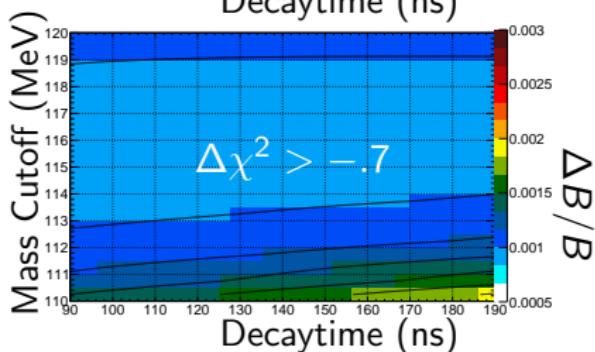
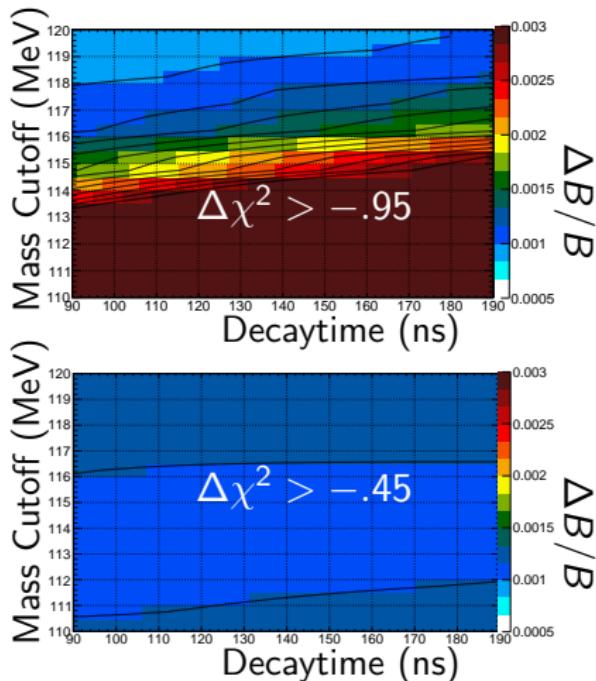
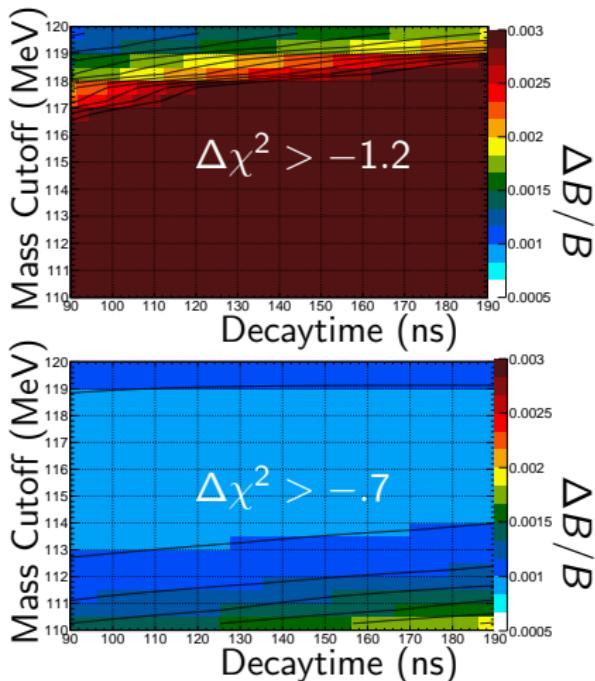
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$$\delta N_{\pi \rightarrow e\nu(\gamma)} / N_{\pi \rightarrow e\nu(\gamma)} = 5.26 \times 10^{-4} \quad (\text{GOAL: } 5 \times 10^{-4})$$

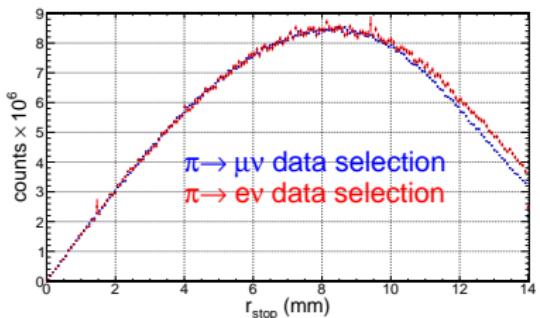
Minimizing Error for $\pi \rightarrow e\nu(\gamma)$



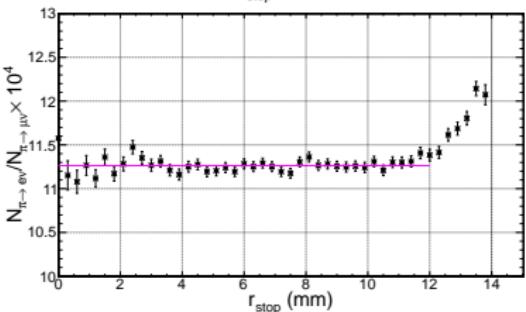
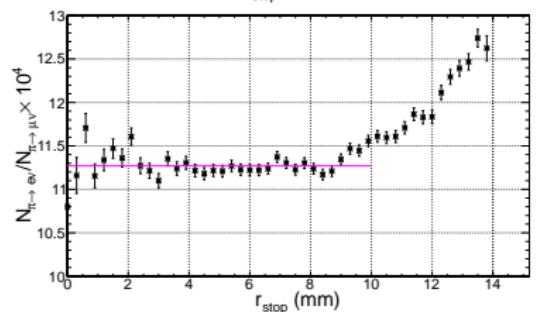
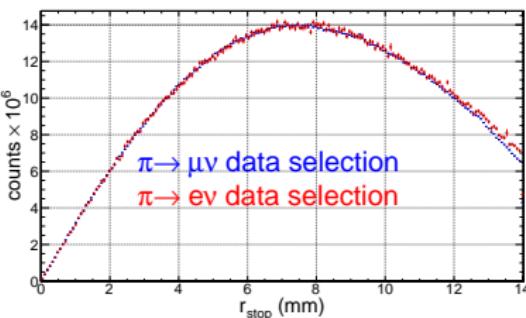
Time window, cutoff, waveform cut ... etc

Energy requirement at positron birth

Run 2

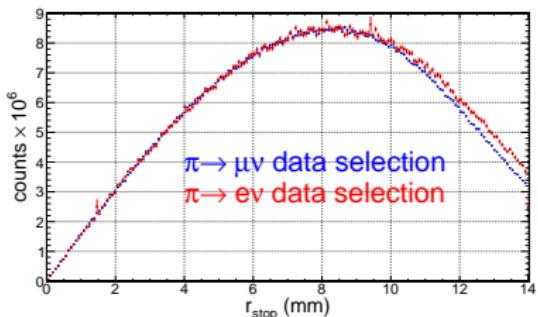


Run 3

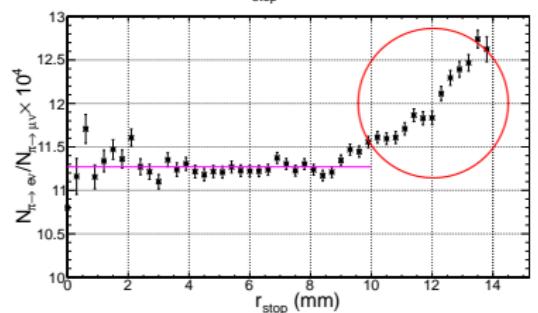
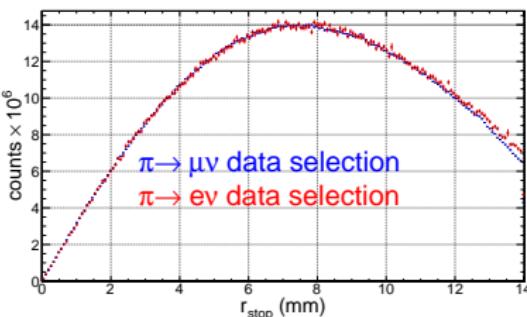


Energy requirement at positron birth

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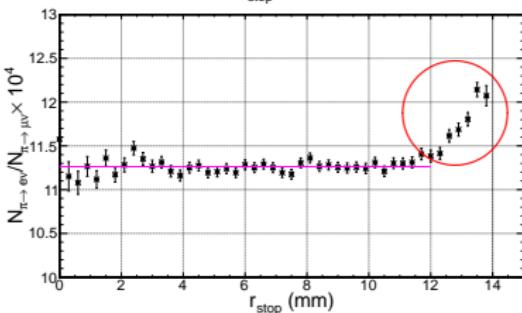


Run 3



run 2 data $\sim 50\%$

$$\delta N/N \sim 4.13 \times 10^{-4}$$



run 3 data $\sim 30\%$

Key take aways

- All detectors are active in both time and energy
- Almost no dead material
- Detectors serve multiple purpose
- Double up detectors (redundant use)
- Geometry changes accounted for in simulation
- Correct stopping distribution is needed
- Different tools to “isolate” decay modes

Continuing tasks

- Improvements on $\Delta\chi^2$ via predictions
- Ultra-realistic radiative muon decay generator
- Correction for r-stop trigger threshold
- Final check on calibrations
- Finalizing the various simulation configs
- Improving statistics on experimental tail
- Improving understanding of $\delta\epsilon_{\text{tail}}$

Thanks for listening



Thanks for listening



And ... Goodnight Seattle!

Family

Active and former PIBETA and PEN collaborators

L. P. Alonzi, K. Assamagan, V. A. Baranov, W. Bertl, C. Broennimann,
S. Bruch, M. Bychkov, Yu.M. Bystritsky, M. Daum, T. Fl "ugel, E. Frlež,
C. Glaser, R. Frosch, K. Keeter, V.A. Kalinnikov, N.V. Khomutov,
J. Koglin, A.S. Korenchenko , S.M. Korenchenko , M. Korolija,
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Lehman, W. Li, J. S. McCarthy, R. C. Minehart, D. Mzhavia ,
E. Munyangabe, A. Palladino , D. Počanić *, B. Ritchie, S. Ritt ,
P. Robmann, O.A. Rondon-Aramayo, A.M. Rozhdestvensky,
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M. Vitz, V.P. Volnykh, Y. Wang, C. Wigger, H.-P. Wirtz, K. Ziock.

Home pages: <http://pibeta.phys.virginia.edu>
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