

# Dead material impact on MIP energy measurement

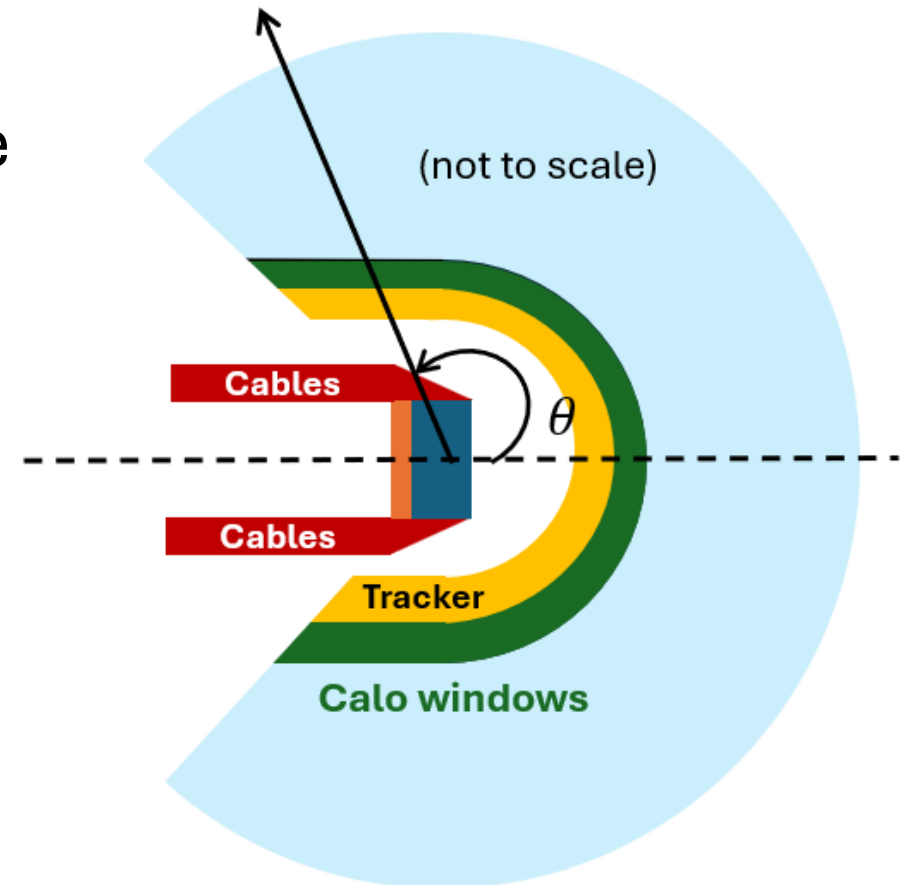
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# Goals

1. Obtain an estimate of the energy lost due to dead material as a function of  $\theta_{MIP}$
2. Using this method to estimate energy loss in dead material:
  - What is the resultant spread in measured energy for a signal at a specified energy?
  - How does this spread change with different geometries?
  - What is a useful fiducial volume?

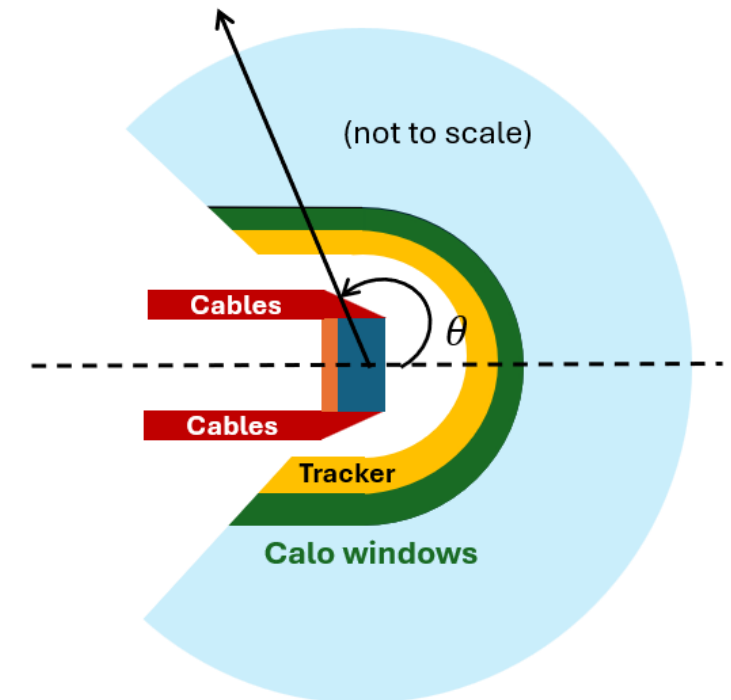
Ultimately, how much dead material can PIONEER tolerate?



# Geometry

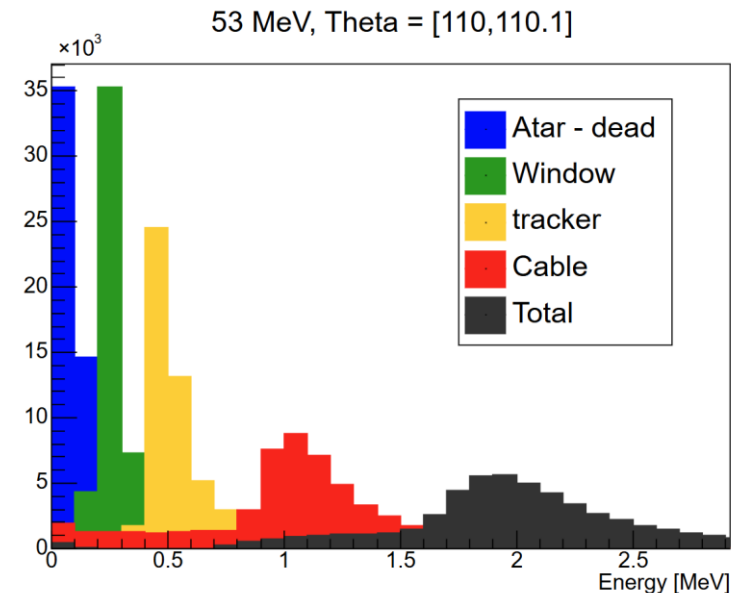
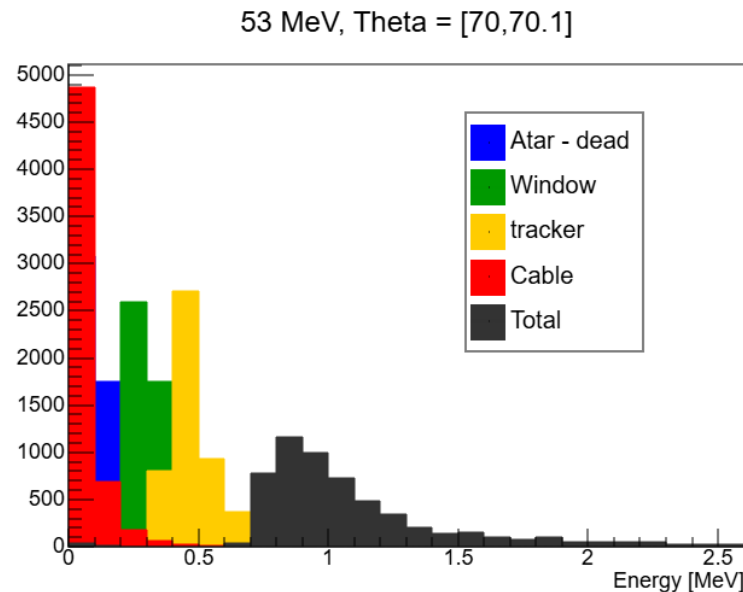
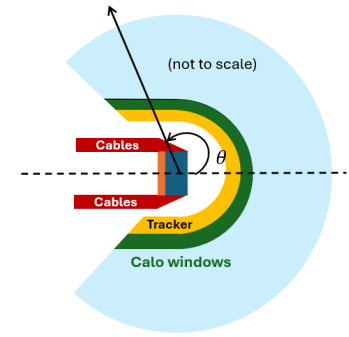
- LXe calorimeter with  $\theta = [0, 145]$  degrees
- Atar
  - 24 sandwich layers which contains 48 layers of 100 strips each
  - One sandwich layer has:
    - Two layers of strips (active), surrounded by aluminum guard rings: **0.4 mm thick**
    - Aluminum backing separating active strips: **1  $\mu\text{m}$  thick**
    - Electrodes for each strip: **1  $\mu\text{m}$  thick**
  - Sandwich layers are separated by an HV layer: **15  $\mu\text{m}$  of Kapton**
- Windows
  - Inner material: Aluminim
  - **Inner Thickness: 0.5 mm**
  - Outer material: 90% titanium, 6% aluminum, 4% vanadium
  - Density: 4.5 g/cm<sup>3</sup>
  - **Outer Thickness: 0.2 mm**
- Tracker (micro urwell, circa 2022)
  - Layers of glue, copper, Kapton, and gas
  - **Total thickness of 4 mm**
- Cables
  - Density: 0.45 g/cm<sup>3</sup>, 45% aluminum, 55% Kapton

Sketch of one sandwich layer in atar



# Strategy

- The energy lost in a given amount of dead material follows a Landau distribution
- The amount of dead material a MIP travels through is strongly correlated to  $\theta_{MIP}$
- Thus, we can use the mean of the Landau distribution as an estimate of the energy lost in dead material for a given  $\theta_{MIP}$
- We expect this to increase the spread of the energy distribution without changing its mean

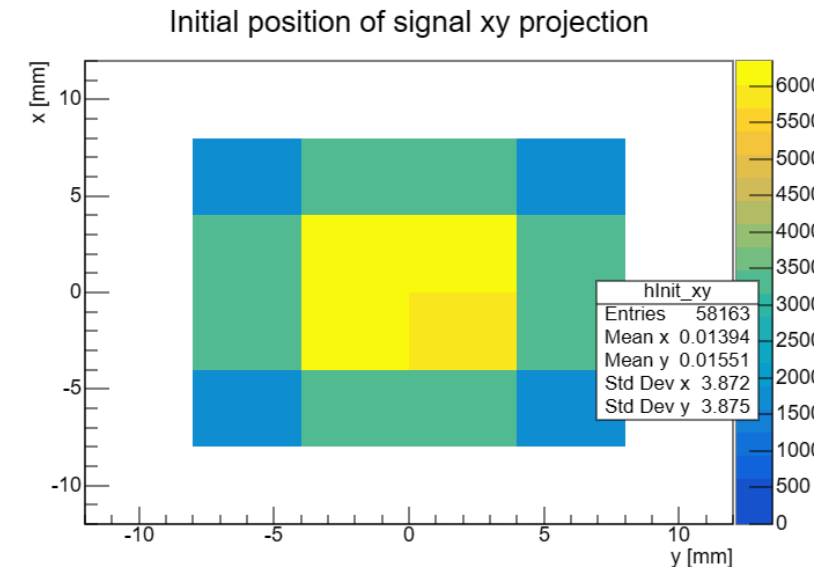
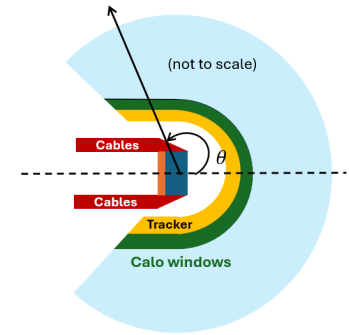


# Set up

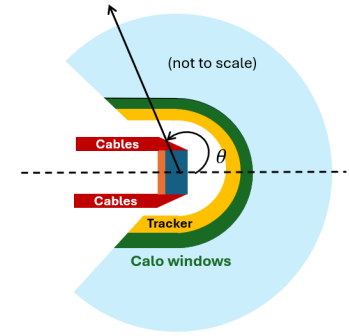
- 53 MeV positron signal generated with a Gaussian distribution centered in ATAR ( $\sigma_{x,y} = 5 \text{ mm}$ ,  $\sigma_z = 2 \text{ mm}$ ) with  $\theta_{MIP} \in \{[0,0.1], [10,10.1], \dots, [170,170.1]\} \text{ deg}$

## Cuts:

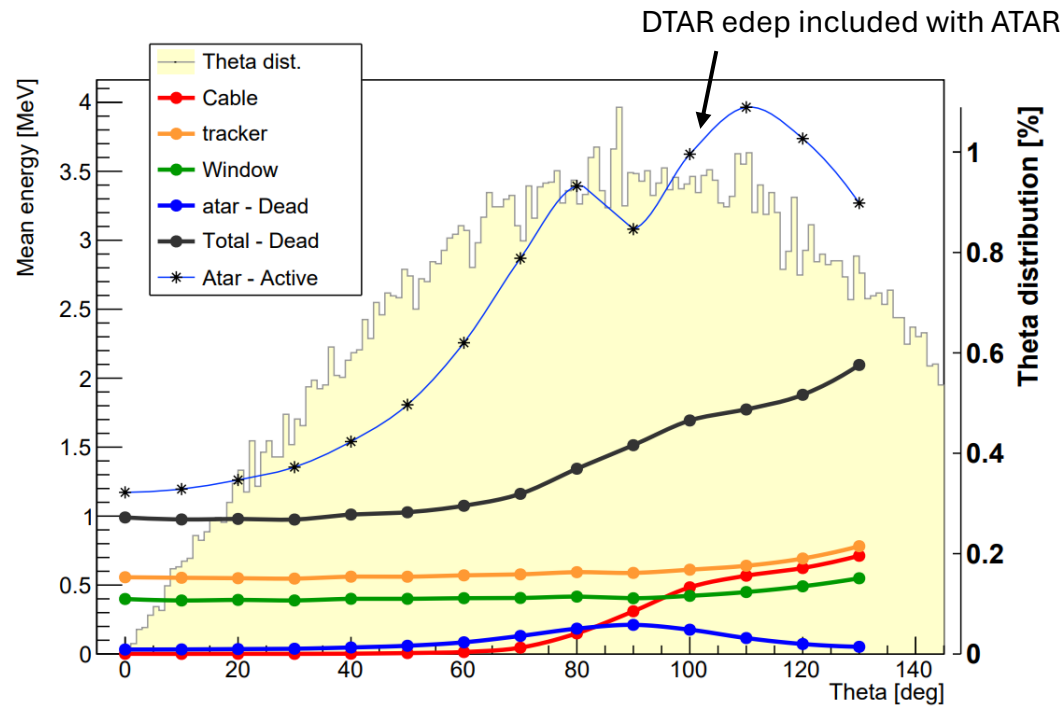
- Positrons generated outside of  $\text{abs}(x) < 8$ ,  $\text{abs}(y) < 8$ , or  $1.2 < z < 4.8$



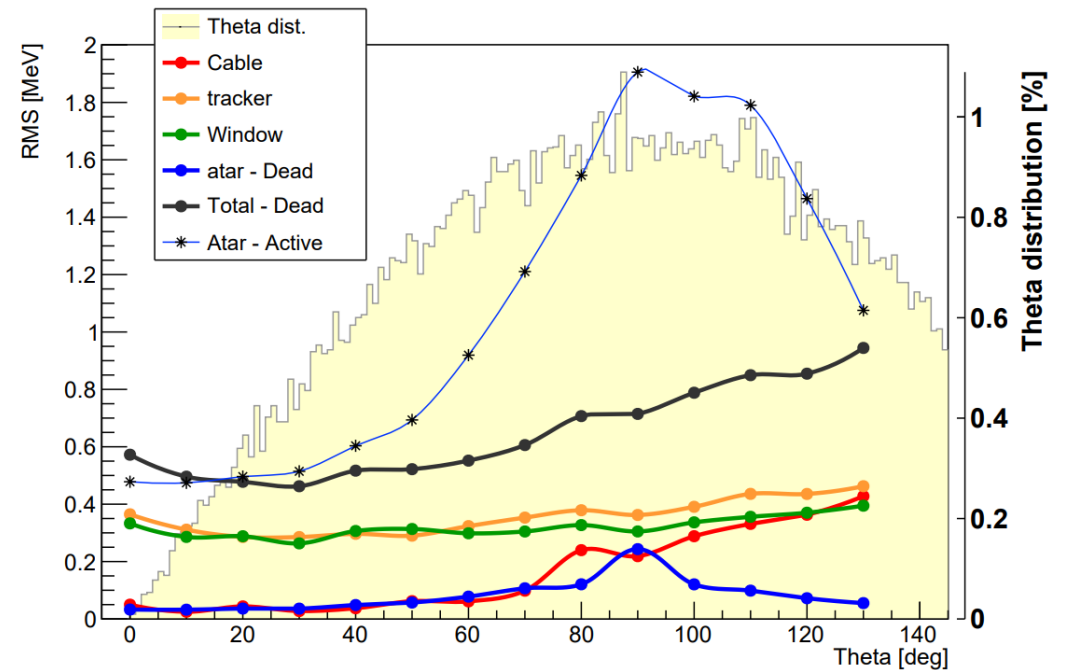
# Quantifying Energy Loss in Dead Material



- Default geometry:

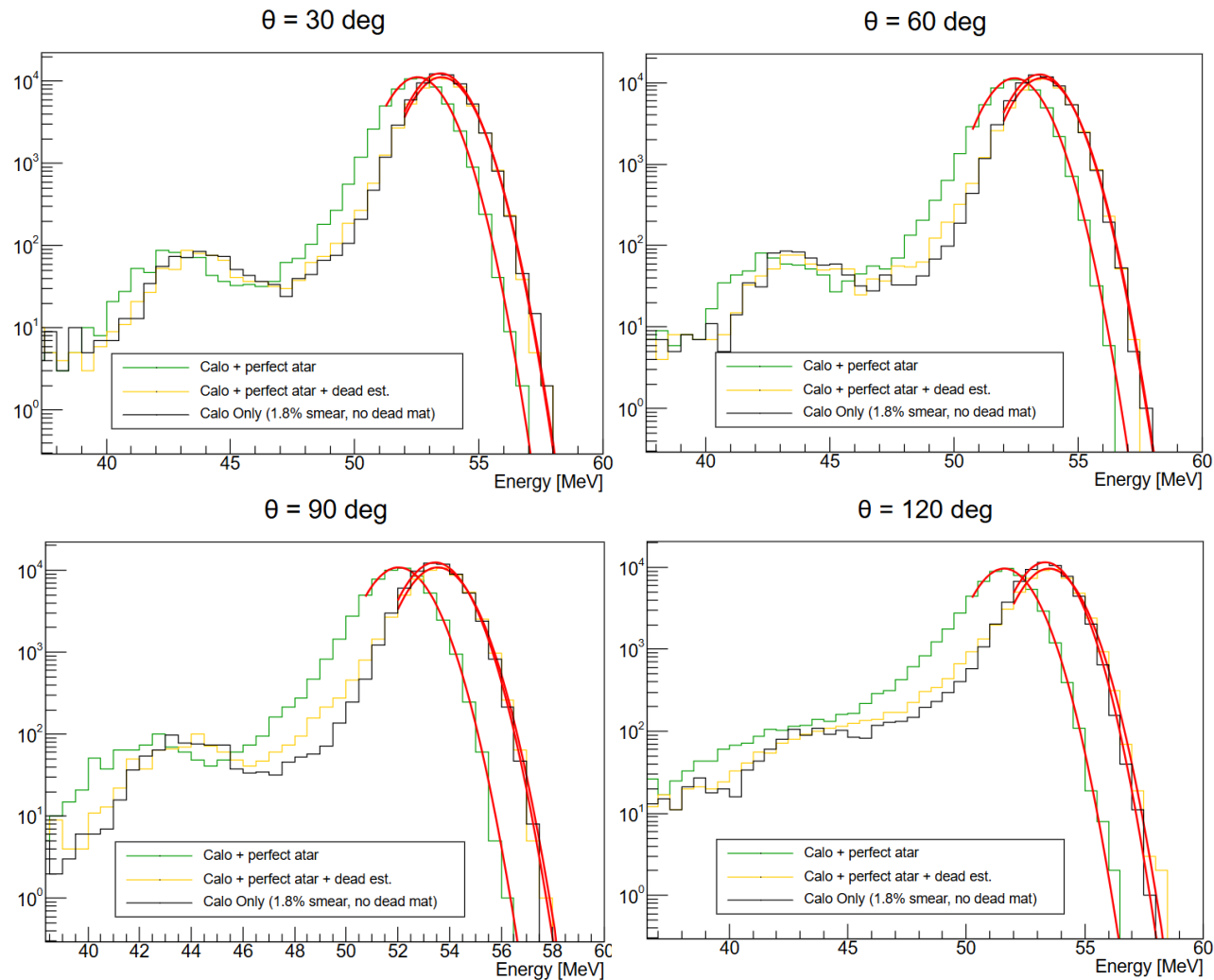
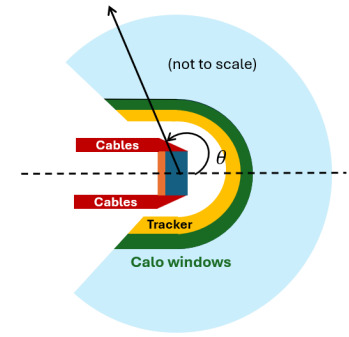


→ The mean total energy loss (black) will be added back to each event as a function of theta. Values are determined by interpolating between the computed results



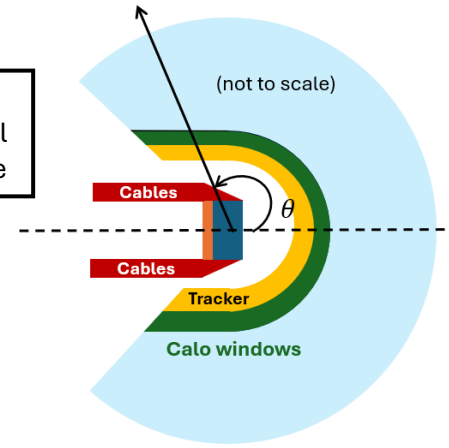
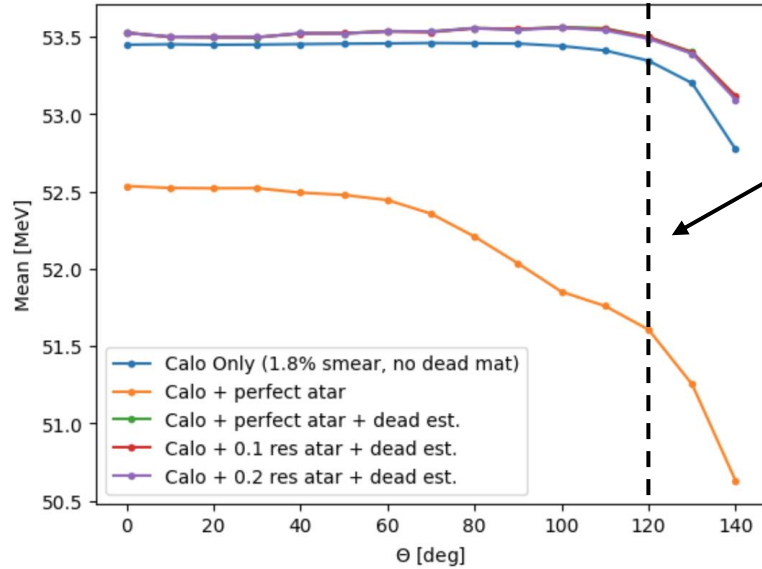
→ Resolution in dead material is dominated by cables in the regions with the most events

# Effect of dead material on resolution

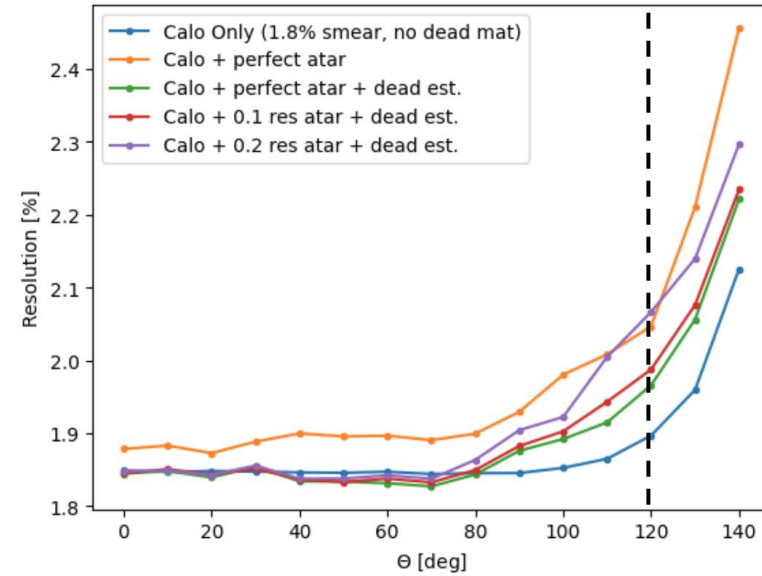


- The dead energy added back is determined via interpolation and fitted with a Gaussian
- “Calo Only” has no atar or dead material (acts as our “best detector”)
- The addition of the dead estimate gives a mean close to that of the “best detector,” but is a bit broader
- Note that the Gaussian fit is worse at larger angles due to leakage in the calo

# Effect of dead material on resolution



End of fiducial volume



→ Atar resolution has a larger affect at larger angles  
 → Dead estimate is better when  $\theta < 80^\circ$  (before cables start to have a substantial affect)

**Notice:**

→ Resolution at larger angles is skewed by larger tails from leakage

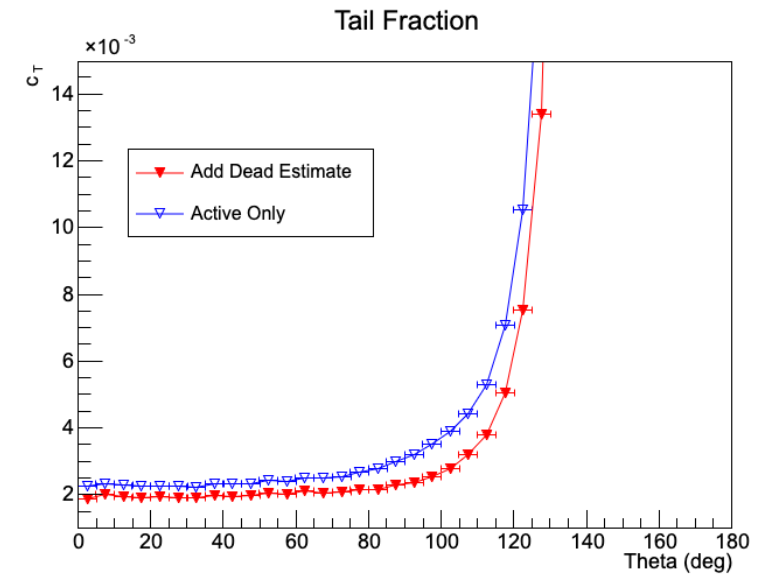
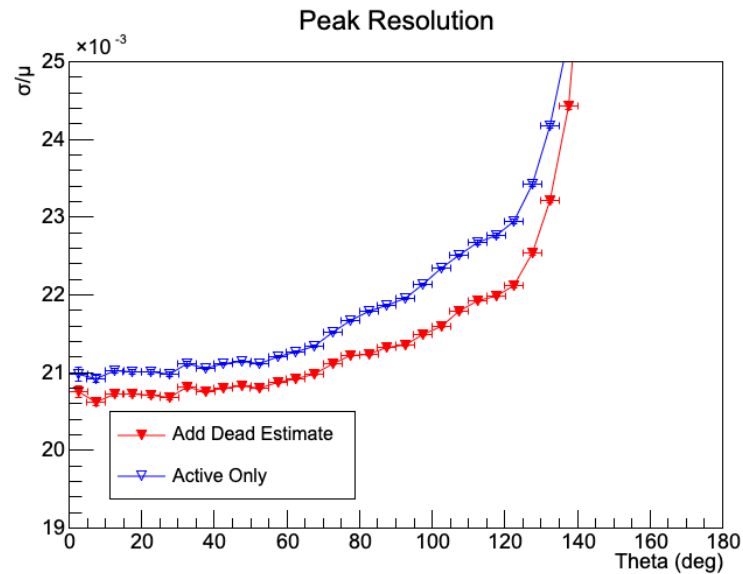
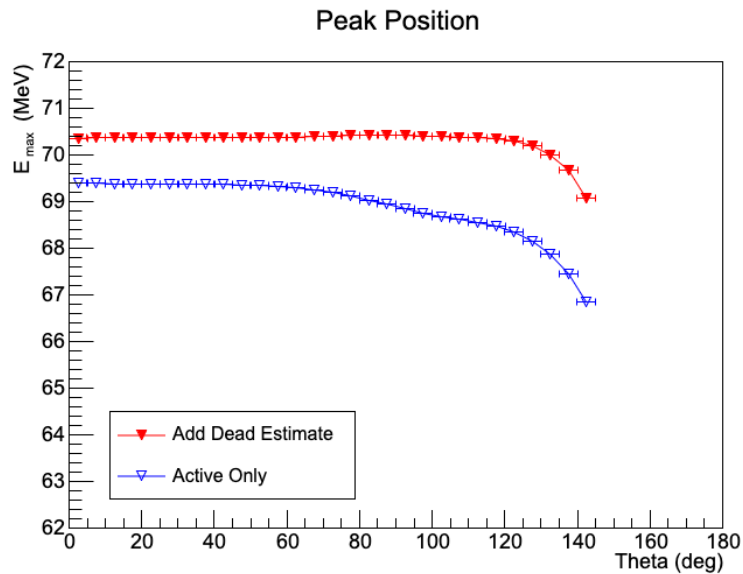
Inclusive ( $\theta \in [0,120]$  deg):

- Calo only
  - Mean: 53.439
  - Resolution: 1.840%
- Calo + perfect atar (w/ dead material):
  - Mean: 52.204
  - Resolution: 1.983%
- Calo + perfect atar + dead estimate:
  - Mean: 53.529
  - Resolution: 1.865%
- Calo + 10% atar resolution + dead estimate:
  - Mean: 53.532
  - Resolution: 1.867%
- Calo + 20% atar resolution + dead estimate:
  - Mean: 53.529
  - Resolution: 1.891%



# Adding it to the framework

- Dead material correction implemented in the central simulation/reconstruction
- Impact of the correction for pienu sample



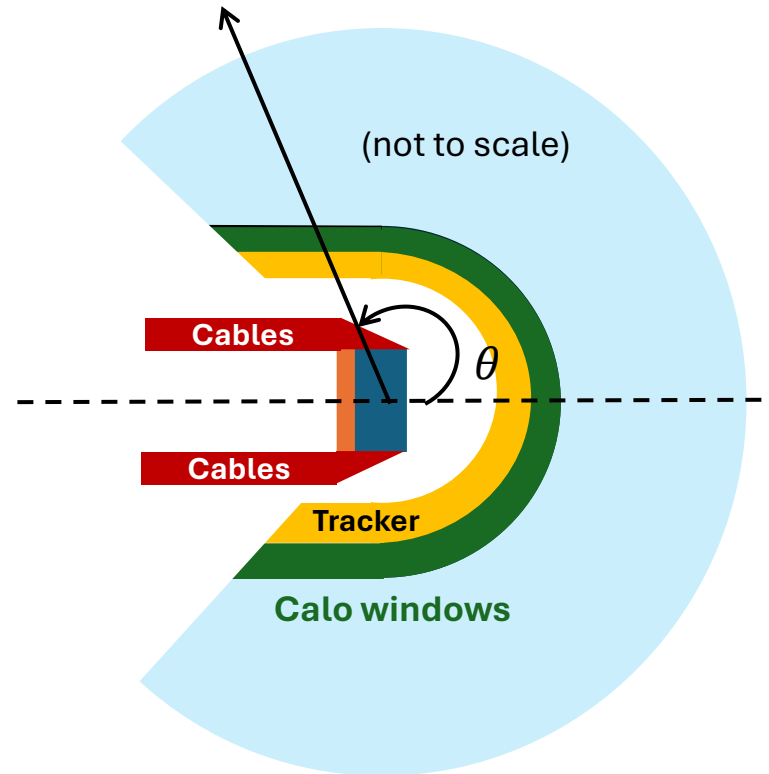
# Summary

- Impact of dead material on energy resolution is strongly dependant on  $\theta_{MIP}$
- Key numbers:
  - Around 1-2 MeV of energy lost in dead material per event (vs. 3-4 MeV measured by the ATAR)
  - Resolution decreases from  $\sim 2\%$  to  $\sim 1.85-1.9\%$  with dead energy estimate
- Study can be repeated for different geometries to determine:
  - How much energy is lost in a given dead volume
  - Effects on resolution
- Estimates (and therefore resolutions) can be improved by:
  - Computing the average energy lost fore more theta values
  - Parameterizing with respect to phi, position, and energy

# Backup

## Tracker Layers

| Material  | Thickness (cm) |
|-----------|----------------|
| Glue      | 0.01           |
| Copper    | 0.0005         |
| uRWELLGas | 0.2            |
| Copper    | 0.0005         |
| Kapton    | 0.005          |
| Carbon    | 0.00001        |
| Glue      | 0.0028         |
| Copper    | 0.0017         |
| Glue      | 0.0028         |
| Copper    | 0.0017         |
| Kapton    | 0.16           |
| Copper    | 0.0017         |



uRWELLGas = 45% argon + 15% CO<sub>2</sub> + 40% CF<sub>4</sub>