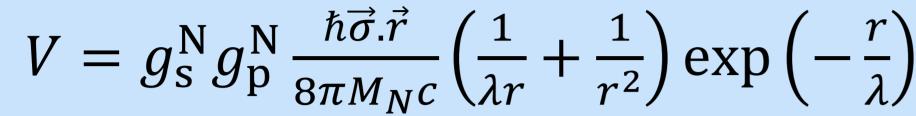
# Probing sub-eV particles with polarized <sup>3</sup>He Grenøble at the Institut Laue-Langevin

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### **Theoretical motivations**

• Theories beyond the Standard Model predict new light scalar bosons →Axions and Axion-like particles →WISP: candidate to Dark Matter →New short range monopole-dipole interaction potential *V* which occurs as a pseudo-magnetic field



 $\Gamma_1 = \Gamma_{1w} + \Gamma_{1dd} + \Gamma_{me} + \Gamma_{mi} + \Gamma_{NF}$ 



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# The apparatus

### • Improvements:

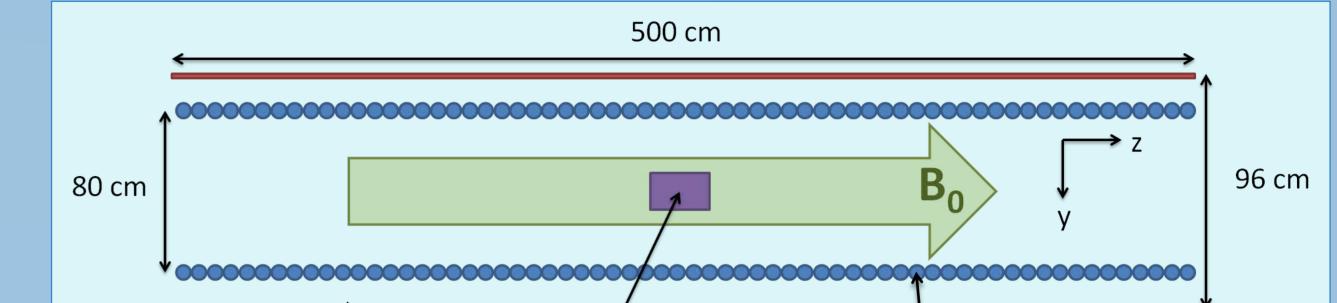
 $1\gamma_5 g_p$ 

 $m_{\phi}c$ 

 $\phi_A$ 

- Magnetic shield: gradients decreased by factor 30
- Solenoid: a more homogeneous  $B_0$  magnetic field \_

Cell



## **Principle of the measurement**

• Measure a polarized Helium 3 cell longitudinal relaxation rate  $\Gamma_1$ dependence with the holding magnetic field  $B_0$ •Search for an exotic contribution due to pseudo-magnetic field

Collisions with walls Collisions with dipoles

Exotic contribution External Holding field magnetic field inhomogeneities inhomogeneities

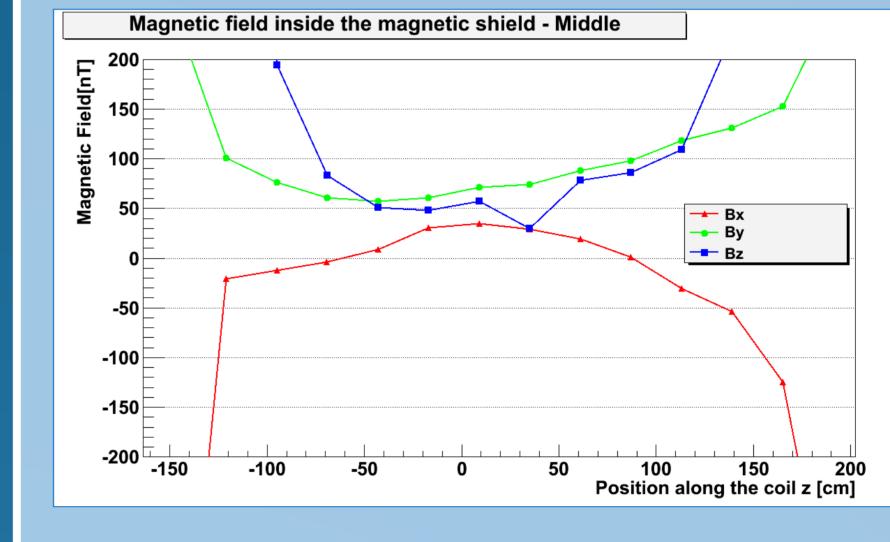
- Behaviour of contributions:
  - Constant with  $B_0: \Gamma_{1w}, \Gamma_{1dd}, \Gamma_{mi}$
  - Behave as  $B_0^{-2}$ :  $\Gamma_{me}$
  - $\Gamma_{NF}$  behaviour is very different from the other contributions <sup>1</sup>:

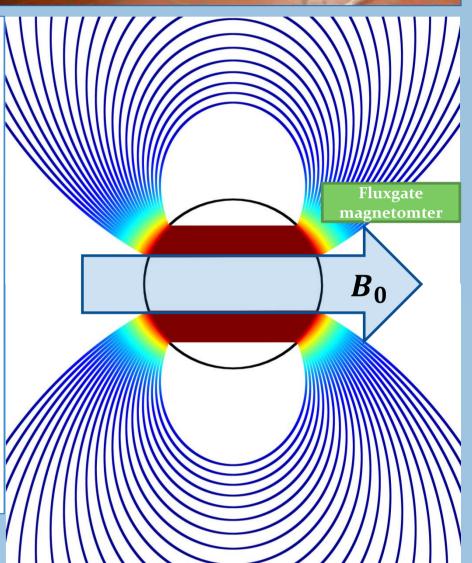
### µ-metal magnetic shield

solenoid







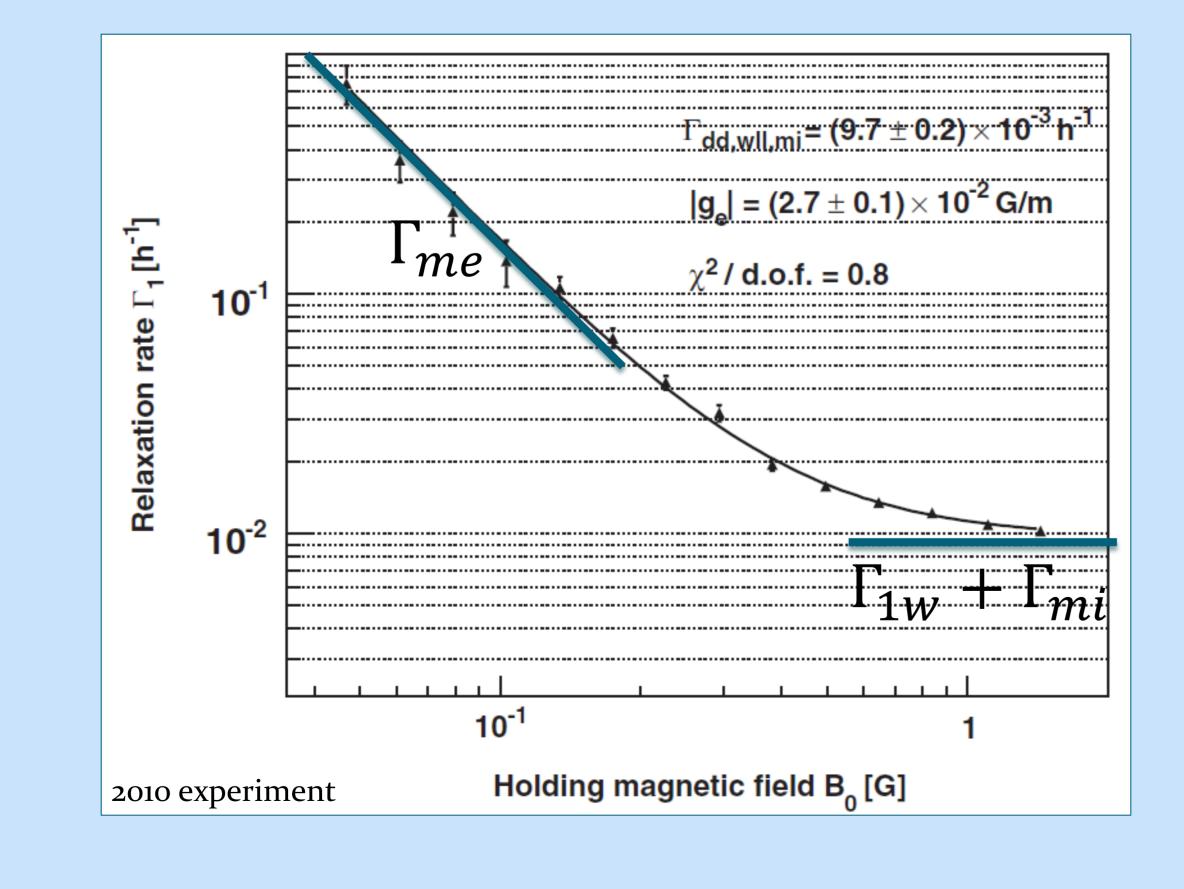


### •*Measurement* of $\Gamma_1$ :

Due to high polarization, the <sup>3</sup>He cell generates a magnetic field  $B_s$  (proportional to polarization) which can be measured with a three-axis fluxgate magnetometer.

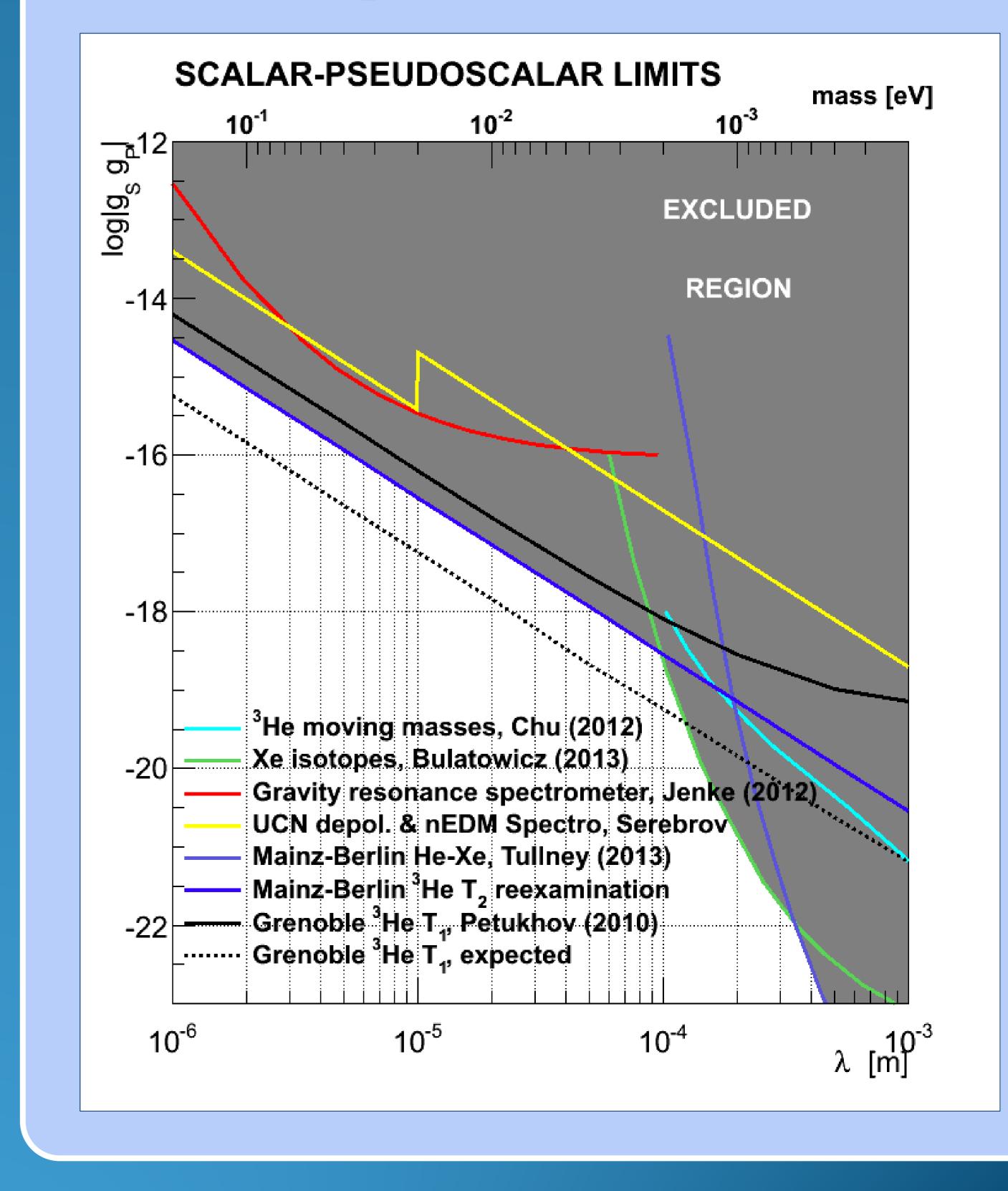
 $\Gamma_{NF} = \frac{\hbar^2 N^2}{8m_n^2 DR} \frac{\lambda^5 (g_s g_p)^2 (1 - e^{-d/\lambda})^2}{(1 + \phi_\lambda^2)^2} \left( \sqrt{\frac{2}{\phi_\lambda}} (1 - \phi_\lambda (2 - \phi_\lambda)) + (\phi_\lambda^2 - 3) \right)$ 

- $\phi_{\lambda} = \frac{\gamma B_0 \lambda^2}{D}$
- $\gamma$  is the gyromagnetic ratio of <sup>3</sup>He
- *D* is the diffusion coefficient
- *N* is the nucleon density of the cell walls and *d* their thickness
- $m_n$  is the mass of a nucleon
- *R* is the radius of the cell
- In 2010 experiment <sup>2</sup>, the limiting factors were: •Environmental magnetic inhomogeneities •Depolarization due to the walls •Holding magnetic field *B*<sup>0</sup> inhomogeneities



- $\rightarrow$  Evaluation of  $\Gamma_1$  with magnetic field exponential decrease with time:  $B_s \propto \exp{-\Gamma_1 t}$

### **Expected constraints**



1. M. Guigue, G. Pignol, Article in preparation 2. A. K. Petukhov, G. Pignol, D. Jullien, and K. H. Andersen, Physical Review Letters **105**, 170401 (2010)