



# Luminosity determination at the LHCb experiment

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The LHCb experiment

What is luminosity?

Van-der-Meer method

Beamgas Imaging method





#### The Large Hadron Collider



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# The Large Hadron Collider A bunched collider

- No continuous beam
- up to 3000 bunches
- Separation: d = 7.5m (25ns)
- $N_1$ ,  $N_2 pprox 10^{11} p$
- $f_{rev} = \frac{c}{\pi D} = 11.3 \text{kHz}$







#### The LHCb detector



21 metres long, 10 metres high and 13 metres wide. Situated at collision point 8 of the LHC at CERN, near Geneva.

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#### **VErtex LOcator**



VELO: Vertex detector, moveable to within 7mm of the beams. Achieves a vertex resolution of  $11 \mu m$  (in x/y) and  $60 \mu m$  (in z).

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# Motivation:

Given an observed number of events in my detector, what is the cross-section of that process?

$$\dot{N} = \mu f_{rev} = \varepsilon \sigma \mathcal{L},$$

with the rate N of a given process, the average number of those processes per crossing  $\mu$ , the revolution frequency  $f_{rev}$ , the cross-section of that process  $\sigma$ , the luminosity  $\mathcal{L}$  and the detector efficiency  $\varepsilon$  (neglected from now on). Integrated over time:

$$L_{int} = \int \mathcal{L}dt = \frac{1}{\sigma}N$$





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How many beam particles collide in a given time and space?

The unit of luminosity is  $cm^{-2}s^{-1}$ .

For two bunches of particles with  $N_1$  and  $N_2$  particles and density distributions  $\rho_1$  and  $\rho_2$ , respectively:

$$\mathcal{L} = f_{rev} N_1 N_2 \int \rho_1(x, y) \rho_2(x, y) dx dy$$

For gaussian beams (same widths, no offset):

$$\mathcal{L} = \frac{f_{rev} N_1 N_2}{4\pi \sigma_x \sigma_y}$$





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Ν<sub>1</sub> ρ<sub>1</sub>

 $N_2$  $\rho_2$ 





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# **Relative luminosity calibration**

 $\mathcal{L}$  is not easy to measure continuously. Therefore pick a reference process and observe the reference variable  $n_i$  in each event *i*:

$$L_{int} = \frac{1}{\sigma} N = \frac{1}{\sigma_{ref}} \sum_{i} n_{i},$$

with the reference cross-section  $\sigma_{ref}$  to be determined. Possible  $n_i$  include:

- Number of tracks reconstructed
- Number of vertices reconstructed
- Number of muon tracks reconstructed
- Energy deposition in the calorimeters





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# **Relative luminosity calibration**

The aim then is to provide a a calibration for the reference process. For this we need to measure  $\sigma_{ref}$ .

LHCb is the only LHC experiment which can measure this in two complementary ways:

- Van-der-Meer scan
- Beamgas Imaging





# Average interactions per bunch crossing

Poissonian probability to have no interaction, with an average number of interactions of  $\mu$ :

$$P_{\mu}(0) = rac{\mu^0}{0!} e^{-\mu} = e^{-\mu}$$

Number of zeros out of  $n_{tot}$  events:

$$n_0 = n_{tot} \cdot P_\mu(0) = n_{tot} \cdot \mathrm{e}^{-\mu}$$

Average number of (visible) interactions:

$$\mu = -\log\left(\frac{n_0}{n_{tot}}\right)$$







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where the beams by  $\Delta x$ ,  $\Delta y$ :

$$\mu(\Delta x, \Delta y) = \sigma_{ref} N_1 N_2 \int \rho_1(x, y) \rho_2(x + \Delta x, y + \Delta y) \, \mathrm{d}x \, \mathrm{d}y$$

And integrate over the separation:

$$\int \mu(\Delta x, \Delta y) \, \mathrm{d}(\Delta x) \, \mathrm{d}(\Delta y) = \sigma_{ref} N_1 N_2$$

 $N_1$ 

 $\mathbb{N}_2$ 





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Separate the beams by  $\Delta x$ ,  $\Delta y$ :

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#### Scanning the beam profile of beam 1 with beam 2:



#### In reality: finer steps and move both beams.





#### Example Van-der-Meer scan

 $\mu_{vis}$  as function of displacement in x (left) and y (right) for one specific bunch pair, fitted with a gaussian distribution:







# Beamgas Imaging method SMOG

- Unique feature of LHCb: Ability to inject neon gas into the VELO volume.
- Raises the pressure from  $10^{-9}$ mbar to  $10^{-7}$ mbar.
- Increases interaction rate of beams with gas by almost a factor 100.







# Beamgas Imaging method Vertices reconstructed in the VELO



#### beam 1 - gas, beam 2 - gas and beam 1 - beam 2.

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#### Beamgas Imaging method Fit to beamgas vertices







# Summary

At LHCb, the luminosity can be calibrated using two methods:

- Van-der-Meer scan
- Beamgas imaging

Using both methods, LHCb was able to calibrate its luminosity for 2011 and 2012 with a combined relative precision of 1.12% arXiv:1410.0149.

This is the most precise luminosity calibration at a bunched hadron collider to date.

A preliminary calibration for 2015 data is already available (with a relative precision of 3.9%). Data for a more precise calibration was taken this week.



#### *LHCb* ГНСр

# Appendix





# Main uncertainties

Van-der-Meer scan

- Bunch populations  $(N_1, N_2)$ 
  - Ghost charge (measured with BGI)
  - Satellites (external input)
  - Total beam population (from DCCTs)
  - Relative bunch populations (from FBCTs)
- Beam separation
  - Absolute scale of  $\Delta x$  and  $\Delta y$
  - separation drift (orbits drift)
- Shape model
  - Factorizibility (controlled by BGI)





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# Corrections

**Crossing-angle** 

Effective beamsize:

$$\sigma_{\rm eff} = \sigma \cdot \sqrt{1 + \left(\frac{\sigma_z}{\sigma_x}\frac{\phi}{2}\right)}$$







# Corrections Hourglass effect

Assumption so far: transverse beam sizes are constant over the whole collision region. But:

$$eta(z)=eta^*\left(1+\left(rac{z}{eta^*}
ight)^2
ight)$$





# Average interactions per bunch crossing LHCb







# Average interactions per bunch crossing ATLAS

