



PSI Summer School

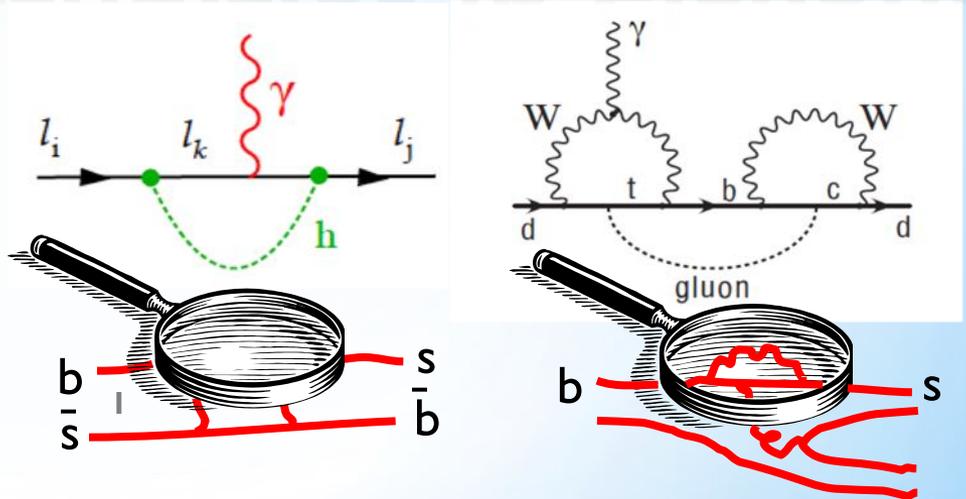
Particle Flavour Fever

Lyceum Alpinum, Zuoz, August 12–18, 2018



Future Opportunities in Flavour Physics.

Frederic Teubert
CERN, EP Department

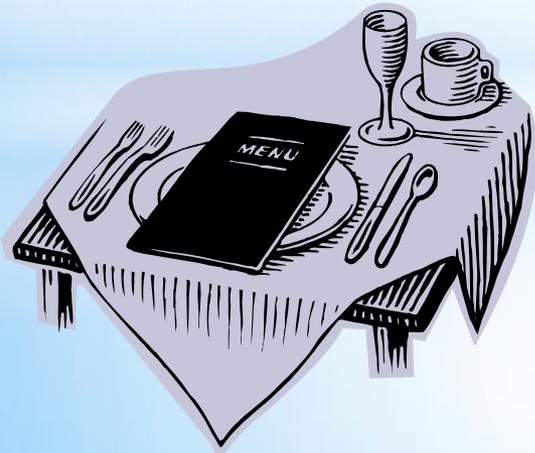


* Plan of this lecture:

1. Introduction
2. History as a guide to the future
3. Flavour in the SM and beyond: what are the questions?
4. Future experimental facilities: opportunities and challenges:
 - 4.1 In the lepton sector
 - 4.2 In the quark sector
 - 4.3 Nucleon EDMs
5. Take home messages.

Lecturers

- Dmitry Budker (Mainz): Exotics searches in atoms and molecules
- Augusto Ceccucci (CERN): Exotics searches at low energy
- Sacha Davidson (Lyon): Exotics and flavour
- Tobias Golling (Geneva): Exotics searches in ATLAS and CMS
- Francis Halzen (Wisconsin): IceCube: Building a new window on the Universe from Antarctica
- Matthias Neubert (Mainz): Flavour physics in the Standard Model and beyond
- Patrick Owen (Zurich): Status of B anomalies
- David Straub (TU Munich): Interpreting B anomalies
- Frederic Teubert (CERN): Future opportunities in flavour physics



Loops approach

If the **precision** of the measurements is high enough, we can discover NP due to the effect of “**virtual**” **new particles** in loops.

But not all loops are equal... In “**non-broken**” **gauge theories** like QED or QCD the “**decoupling theorem**” (Phys. Rev. D11 (1975) 2856) makes sure that the contributions of **heavy ($M > q^2$) new particles are not relevant**. For instance, you don't need to know about the top quark or the Higgs mass to compute the value of $\alpha(M_Z^2)$.

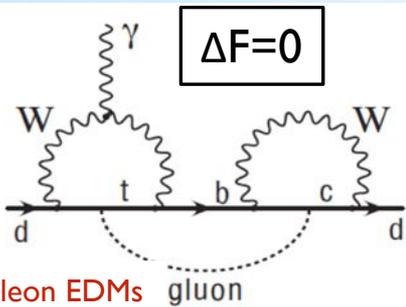
However, in broken gauge theories, like in the **SM weak interactions**, radiative corrections are usually **proportional to Δm^2** , i.e. the size of the isospin symmetry breaking. **Flavour in the SM** is due to the **Higgs Yukawa interactions** which are **not protected at all by any gauge symmetry!**

In general, **larger effects** of NP expected in loops where symmetry is more badly broken (**3rd family in the SM**) and/or in **flavour physics** where there is no symmetry at all.

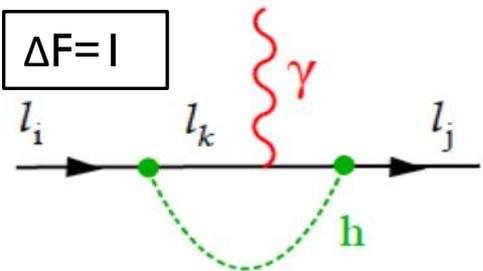
Quantum interference: access to the couplings phase.

Moreover, through the study of **the interference of different quantum paths** one can access not only to the magnitude of the couplings of NP, but also to their **phase** (for instance, by measuring **CP asymmetries**). Within the SM, **only weak interactions through the Yukawa mechanism** can produce a **non-zero CP asymmetry**. It is indeed a big mystery why there is no CP violation observed in strong interactions (axions?) \rightarrow extra motivation for nucleon EDMs.

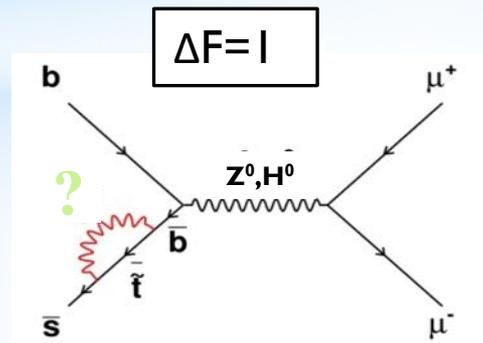
Therefore, **precision measurements of FCNC can reveal NP** that may be **well above the TeV scale**, or can provide key information on the **couplings and phases** of these new particles if they are visible at the TeV scale.



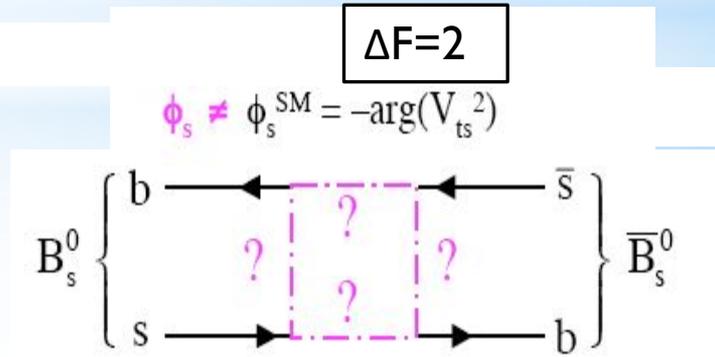
Direct and indirect searches are both needed and equally important, complementing each other.



$l_i \rightarrow l_j \gamma$ LFV radiative decay



$B_s \rightarrow \mu^+ \mu^-$ Higgs "Penguin"



$B_s - \bar{B}_s$ oscillations: "Box" diagram

Status of searches for NP

So far, **no significant signs for NP** from direct searches at the LHC while a (the SM?) **Higgs boson** has been found with a mass of $\sim 125 \text{ GeV}/c^2$.

Before LHC/LEP, expectations were that “*naturally*” the masses of the **new particles would have to be light** in order to reduce the “*fine tuning*” of the radiative corrections to the Higgs mass. Theory departments were full of advocates of supersymmetric particles appearing at the TeV energy scale.

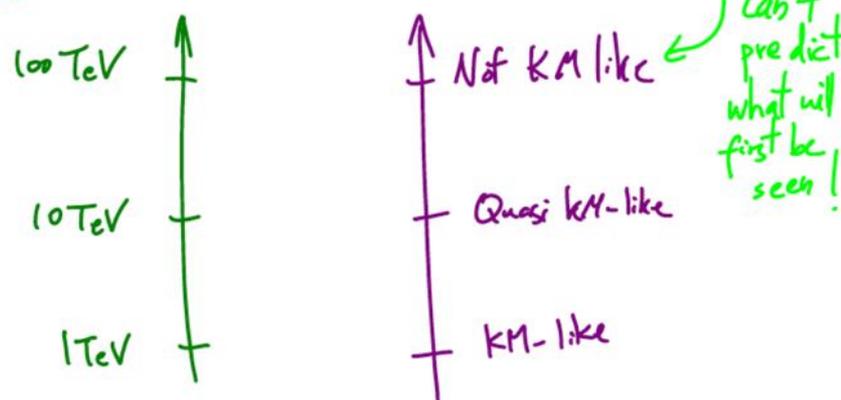
However, the absence of NP effects already observed in flavour physics implies some level of “*fine tuning*” in the flavour sector. Why, if there is NP at the TeV energy scale, it does not show up in precision measurements?

NP FLAVOUR PROBLEM →
Minimal Flavour Violation (MFV).

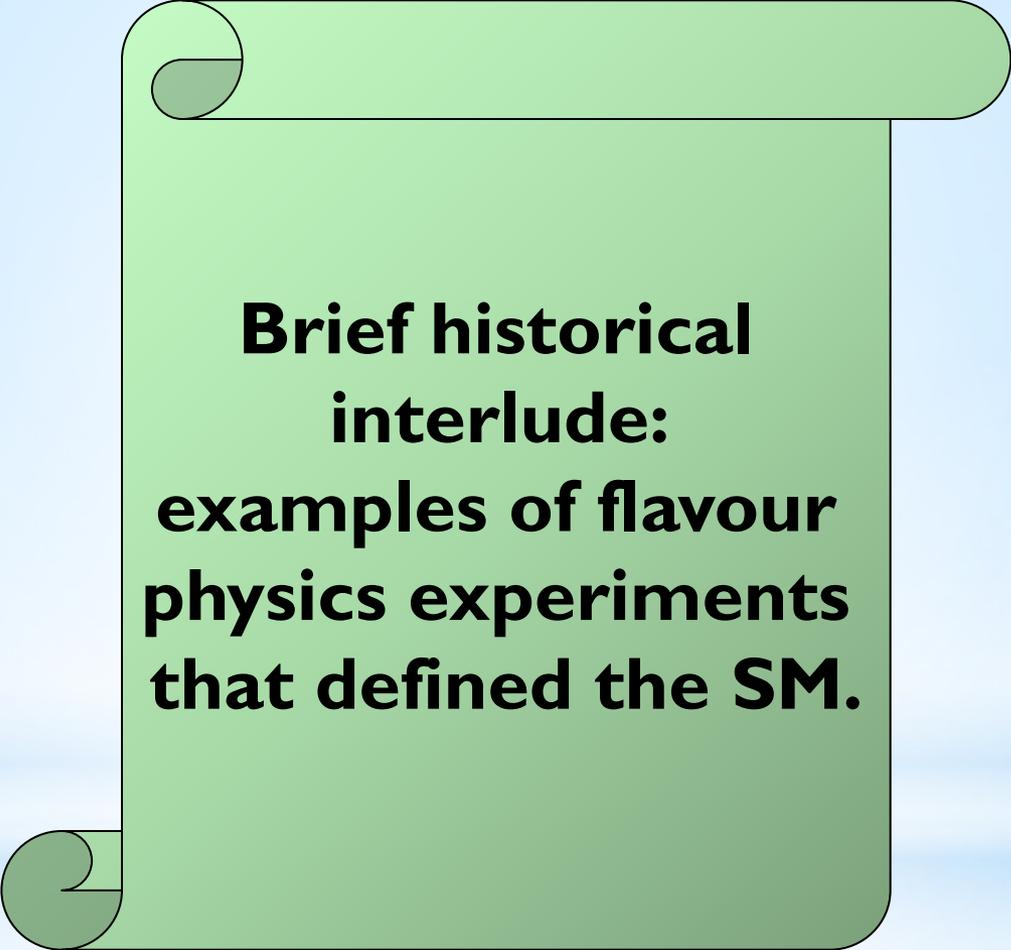
N.Arakani-Hamed,
Intensity Frontier
Workshop (Nov
2011, Washington)

As we push the **energy scale of NP higher**, the **NP FLAVOUR PROBLEM is reduced**, hypothesis like MFV look less likely → **chances to see NP in flavour physics have increased** when Naturalness (in the Higgs sector) seems to be less plausible!

Naturalness' Loss = Flavour Gain



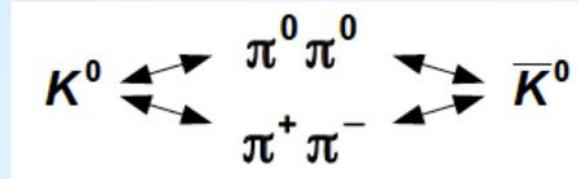
CAST A WIDE NET



**Brief historical
interlude:
examples of flavour
physics experiments
that defined the SM.**

CP symmetry

K^0 can mix as strangeness is not conserved. In the language of the 60s:



If CP is conserved, then one can define two states $K_{1,2}$ that are eigenstates of both the weak interactions and the CP operator:

$$|K_1\rangle = \frac{1}{\sqrt{2}} \cdot \{ |K^0\rangle + |\bar{K}^0\rangle \} \Rightarrow CP |K_1\rangle = + |K_1\rangle$$

$$|K_2\rangle = \frac{1}{\sqrt{2}} \cdot \{ |K^0\rangle - |\bar{K}^0\rangle \} \Rightarrow CP |K_2\rangle = - |K_2\rangle$$

Gell-Mann, Pais (*PR* 97 (1955) 1387))

K_1 can decay into two pions while K_2 cannot if CP is conserved. All other possible decays channels for K_2 are suppressed by parity conservation (semi-leptonic) or by phase space. \rightarrow **K_2 is expected to have a much longer lifetime than K_1 (x500).**

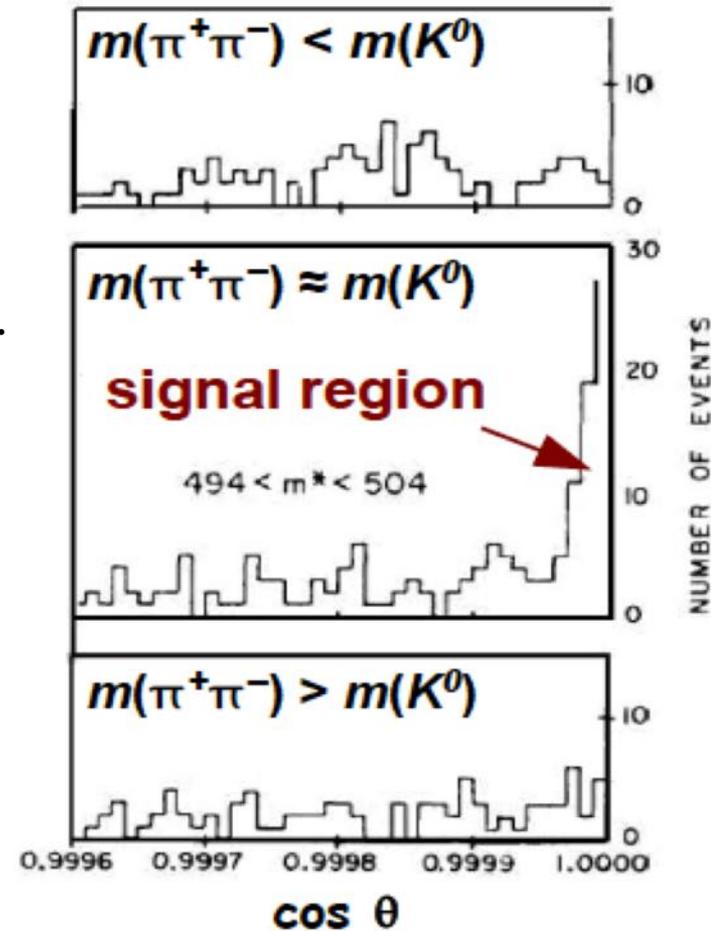
K mixing and CP violation

Christenson, Cronin, Fitch, Turlay (PRL, 13, 138, 1964): **Observation of $K_2 \rightarrow \pi^+\pi^-$** . The experiment shoot protons on a target to produce K^0 , after a long enough trip in a vacuum pipe, they achieved a pure K_2 beam.

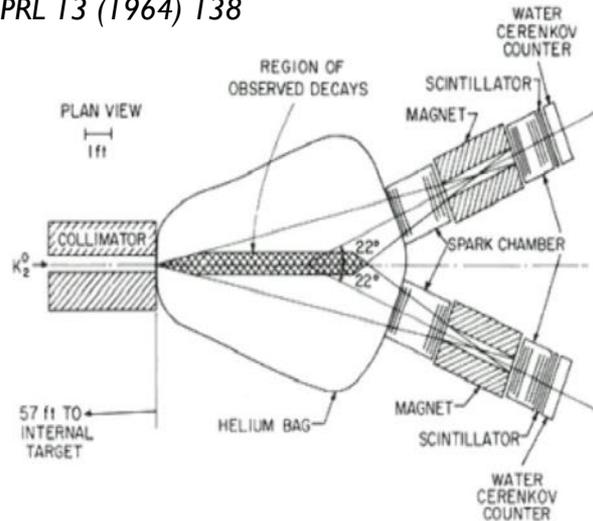
Experimentally use invariant mass (energy conservation) and angle between K_2 and $\pi^+\pi^-$ (momentum conservation). Find excess of ~ 56 events in the signal region: **$BF(K_2 \rightarrow \pi^+\pi^-) \sim 2 \times 10^{-3} \rightarrow$ CP violation!**

This was beyond what theory could explain then before the discovery of charm and beauty \rightarrow Superweak models.

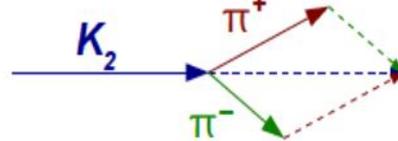
Absence of nEDM in the 50s excluded most of these models.



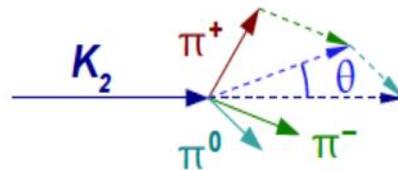
PRL 13 (1964) 138



2-body decay (signal):



3-body decay (background):



Cabibbo and GIM mechanism

Moreover, the **weak coupling did not look to be universal**: why $\text{BR}(K \rightarrow \mu\nu) \ll \text{BR}(\pi \rightarrow \mu\nu)$ after dealing with phase space?

Cabibbo (1963): **weak interactions couples to a linear combination of the mass eigenstates**, using today's language:

$$d' = \cos \theta_c \cdot d + \sin \theta_c \cdot s \quad (\text{PRL } 10 \text{ (1963) } 531)$$

$$\frac{s \rightarrow u W^-}{d \rightarrow u W^-} = \frac{\sin^2 \theta_c}{\cos^2 \theta_c} \approx \frac{1}{20}$$

But, if the neutral weak currents also couples to d' **expect large FCNC**. Experimentally, however, $\text{BR}(K_2 \rightarrow \mu\mu) \sim 7 \times 10^{-9}$.

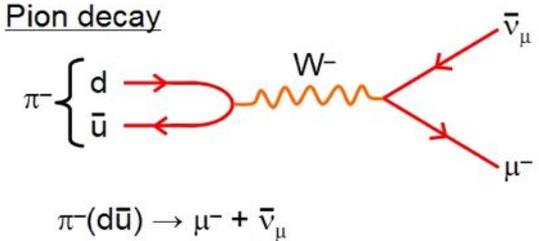
Glashow, Ilioupoulos and Maiani (1970). *(PRD 2 (1970) 1285)*

Assume a **new (not yet observed quark)** in SU(2) quark doublets \rightarrow **FCNC cancel at tree level!**

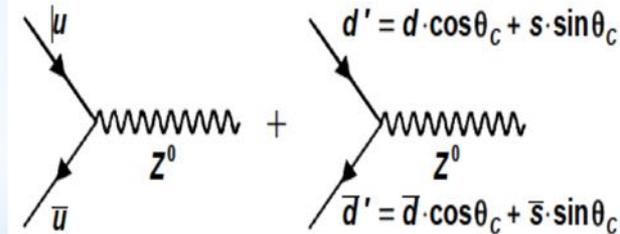
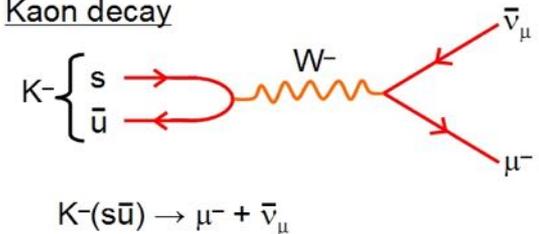
From the Δm_K measurements, m_c was predicted to be **$\sim 1.5 \text{ GeV}$** ! Gaillard and Lee (1974)

(PRD 10 (1974) 894)

Pion decay



Kaon decay



$$\begin{pmatrix} u \\ d' \end{pmatrix} \begin{pmatrix} c \\ s' \end{pmatrix} \text{ with } \begin{pmatrix} d' \\ s' \end{pmatrix} = \begin{pmatrix} \cos \theta_c & \sin \theta_c \\ -\sin \theta_c & \cos \theta_c \end{pmatrix} \cdot \begin{pmatrix} d \\ s \end{pmatrix}$$

CKM mechanism

Kobayashi, Maskawa (1972): If we have 3 quark generations, CP violation is possible!

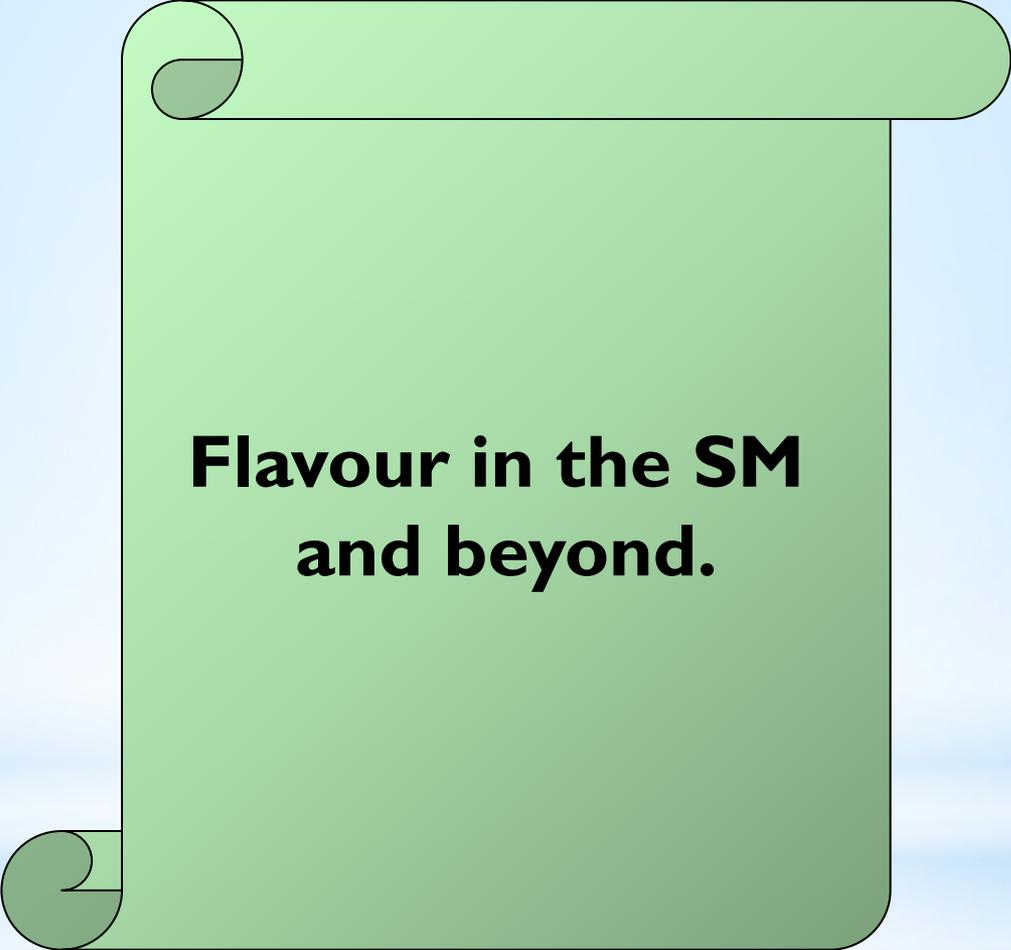
(FTP 49 (1973) 652)

$$\begin{pmatrix} u \\ d' \end{pmatrix} \quad \begin{pmatrix} c \\ s' \end{pmatrix} \quad \begin{pmatrix} t \\ b' \end{pmatrix} \quad \text{with} \quad \begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

Even before finding charm (as needed for GIM to work), theorists were already requiring another quark family to be able to accommodate CP violation! Although this option was competing with Superweak models!

CKM mechanism (SM) was found by looking for:

- 1. Rare processes protected by some symmetry of the current theory, but not necessarily conserved in the next version of the theory (e.g. CP).**
- 2. Processes that should not be rare in the current theory, but that a new mechanism of the next version of the theory protects them (eg. FCNC).**



**Flavour in the SM
and beyond.**

Flavour in the SM

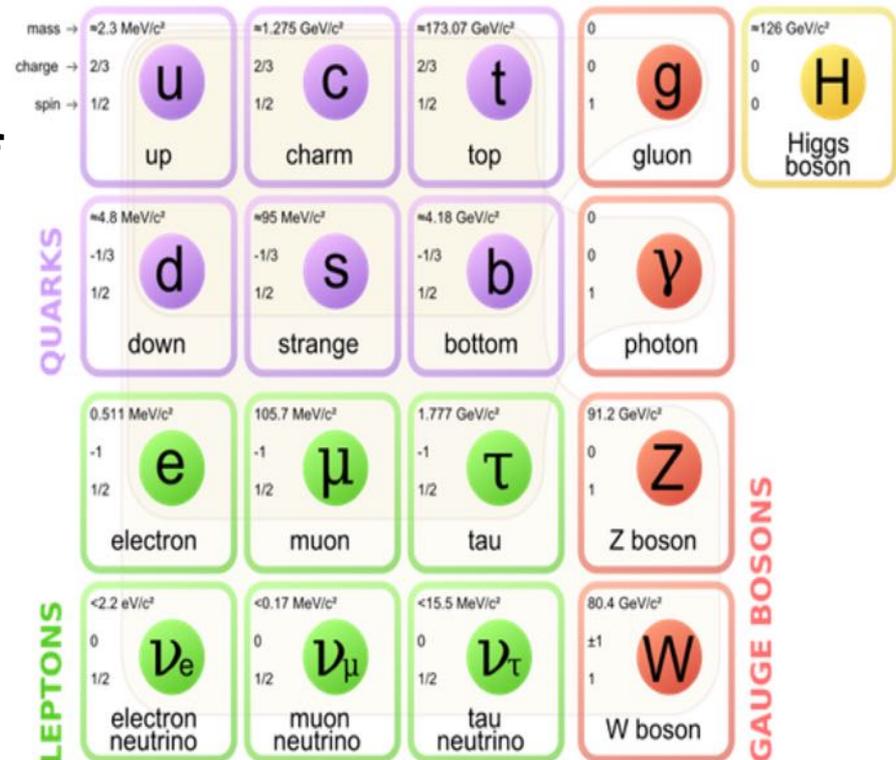
$$\mathcal{L}_{\text{SM}} = \mathcal{L}_{\text{gauge}}(A_a, \Psi_i) + \mathcal{L}_{\text{Higgs}}(\phi, A_a, \Psi_i)$$

The **gauge component** is the “elegant” part. There is **no distinction between different generations** and has a **huge degree of symmetry**. We only need to know α, θ_w, M_w and α_s and everything is determined by the local gauge symmetry group: $\text{SU}(3)_C \times \text{SU}(2)_L \times \text{U}(1)_Y$.

The **Higgs component**, however, **breaks the flavour symmetry**. It is the **origin of the flavour structure** of the model. It is also the component that is **not stable to quantum corrections**. To describe this part we need a total of **14 parameters!**

SM flavour problem

The origin of masses and mixings, together with the origin of family replications is probably the most pressing problem of the SM.



The Standard Model of elementary particles

Flavour in the SM: Yukawa Mechanism in the quark sector.

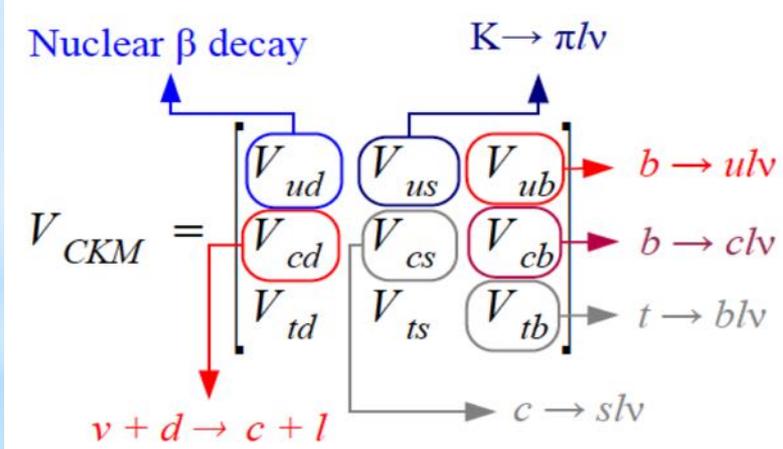
$$-\mathcal{L}_{\text{Yukawa}}^{\text{SM}} = Y_d^{ij} \bar{Q}_L^i \phi D_R^j + Y_u^{ij} \bar{Q}_L^i \tilde{\phi} U_R^j + Y_e^{ij} \bar{L}_L^i \phi E_R^j + \text{h.c.}$$

$$Y_d = \lambda_d, \quad Y_u = V^\dagger \lambda_u,$$

$$\lambda_d = \text{diag}(y_d, y_s, y_b), \quad \lambda_u = \text{diag}(y_u, y_c, y_t), \quad y_q = \frac{m_q}{v}.$$

The **quark flavour structure** within the SM is described by **6 couplings** and **4 CKM parameters**. In practice, it is convenient to move the CKM matrix from the Yukawa sector to the weak current sector. But don't be confused, in the SM quarks are allowed to **change flavour** as a consequence of the **Higgs mechanism**.

Using **Wolfenstein** parameterization (A, λ, ρ, η):



$$V = \begin{pmatrix} 1 - \lambda^2/2 - \lambda^4/8 & \lambda & A\lambda^3(\rho + i\eta) \\ -\lambda & 1 - \lambda^2/2 - \lambda^4/8(1 + 4A^2) & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 + A\lambda^4/2(1 - 2(\rho + i\eta)) & 1 - A^2\lambda^4/2 \end{pmatrix} + \mathcal{O}(\lambda^5)$$

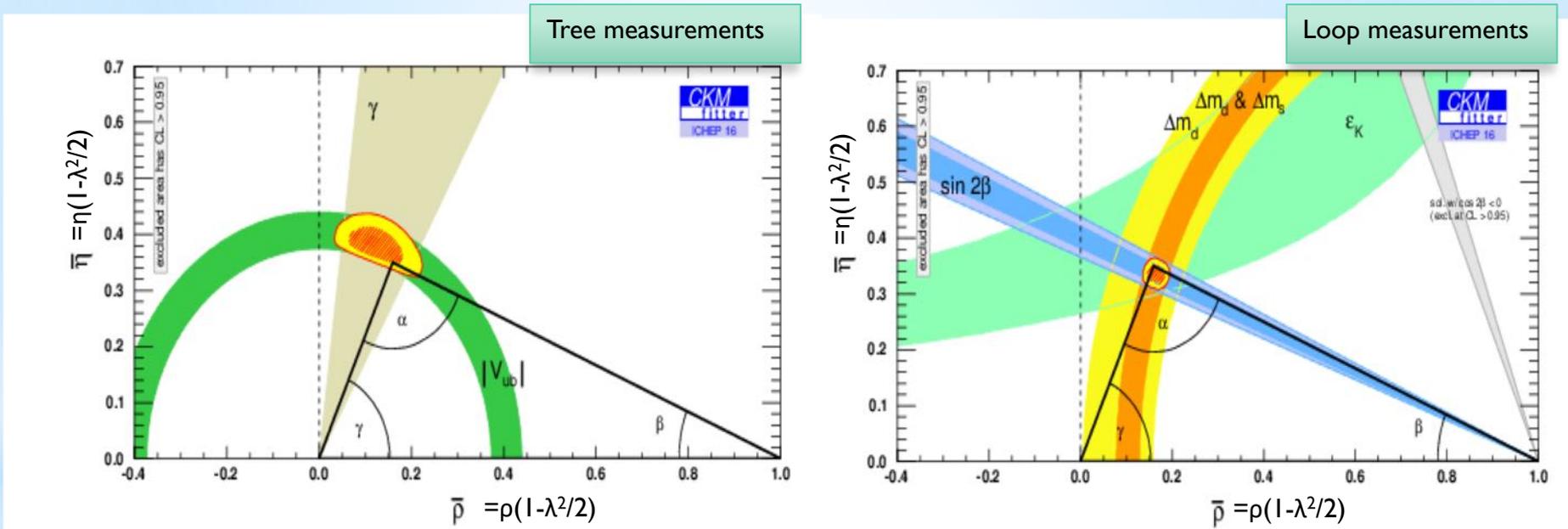
$$A = 0.80 \pm 0.02 \\ \lambda = 0.225 \pm 0.001$$

$\lambda = \sin\theta_c \approx V_{us}$ measured precisely in K semileptonic decays. Notice that all V_{ij} couplings can be accessed experimentally using **tree-level decays**, with the exception of V_{td} and V_{ts} .

Tree vs loop measurements

(A, λ, ρ, η) are **not predicted** by the SM. They need to be measured!

If we assume **NP enters only (mainly) at loop level**, it is interesting to compare the determination of the parameters (ρ, η) from processes dominated by **tree diagrams** ($V_{ub}, V_{cb}, \gamma, \dots$) with the ones from **loop diagrams** ($\Delta M_d \& \Delta M_s, \beta, \epsilon_K, \dots$).



Need to improve the future precision of the measurements at **tree (loop) level in $b \rightarrow d(s)$ transitions to (dis-)prove the existence of NP contributions in loops relatively to tree processes.**

Yukawa Mechanism in the lepton sector.

$$-\mathcal{L}_{\text{Yukawa}}^{\text{SM}} = Y_d^{ij} \bar{Q}_L^i \phi D_R^j + Y_u^{ij} \bar{Q}_L^i \tilde{\phi} U_R^j + Y_e^{ij} \bar{L}_L^i \phi E_R^j + \text{h.c.}$$

In the SM the **lepton Yukawa** matrices can be diagonalized independently due to the **global G_1 symmetry** of the Lagrangian, and therefore there are **not FCNC**.

$$\mathcal{G}_\ell = SU(3)_{L_L} \otimes SU(3)_{E_R}$$

However, the discovery that **ν oscillate** (and ν have mass) implies that **Lepton Flavour is not conserved**. The level of **Charged Lepton Flavour Violation** depends on the mechanism to **generate neutrino masses (Seesaw mechanism?)**.

		PMNS		
$\begin{bmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{bmatrix}$	$=$	$\begin{bmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu1} & U_{\mu2} & U_{\mu3} \\ U_{\tau1} & U_{\tau2} & U_{\tau3} \end{bmatrix}$	$\begin{bmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{bmatrix}$	$\theta_{12} [^\circ] = 33.36_{-0.78}^{+0.81}$ $\theta_{23} [^\circ] = 40.0_{-1.5}^{+2.1}$ or $50.4_{-1.3}^{+1.3}$ $\theta_{13} [^\circ] = 8.66_{-0.46}^{+0.44}$ $\delta_{\text{CP}} [^\circ] = 300_{-138}^{+66}$

In general, while **quark flavour changing Yukawa** couplings to the Higgs are **strongly suppressed** by $\Delta F=2$ indirect measurements, processes like **$H \rightarrow \tau\mu$** or **$H \rightarrow \tau e$** are only loosely bounded (**$O(10\%)$**).

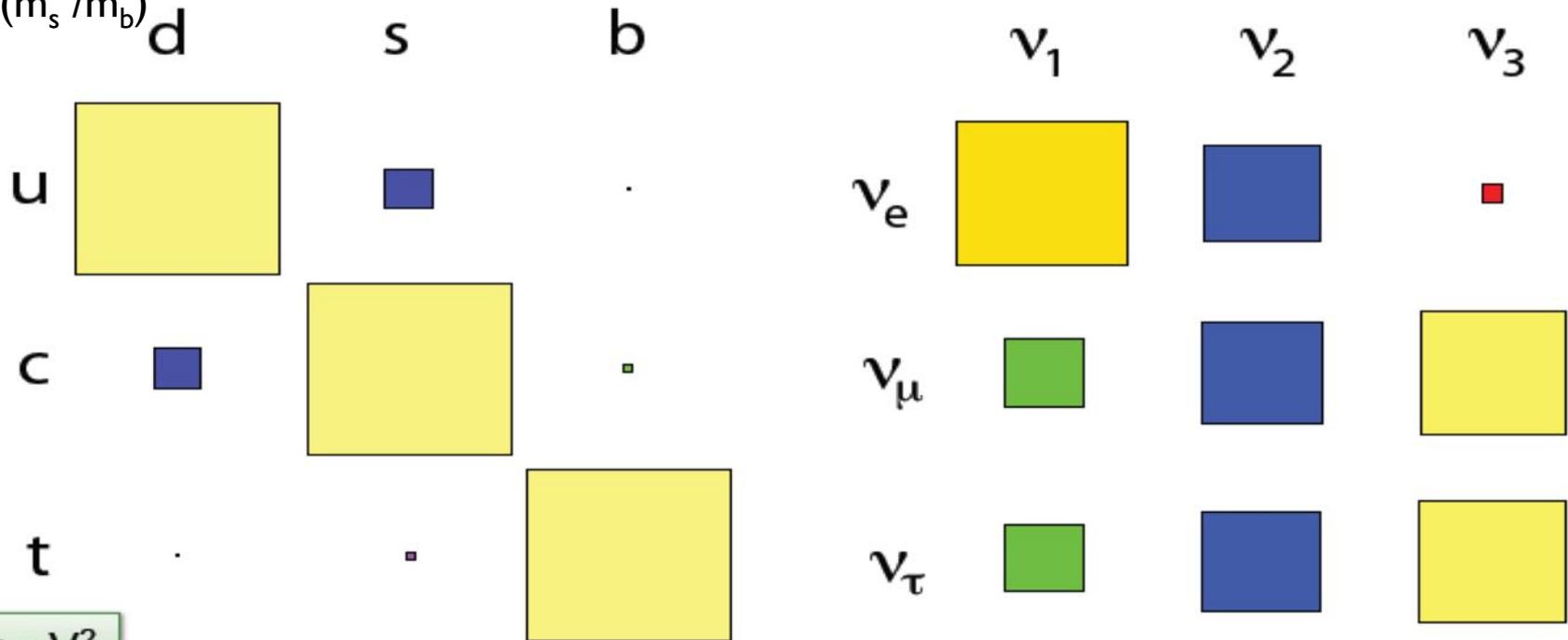
Flavour structure is not simple!

$$V_{us} \sim \sqrt{(m_d / m_s)}$$

$$V_{cb} \sim (m_s / m_b)$$

CKM

PMNS

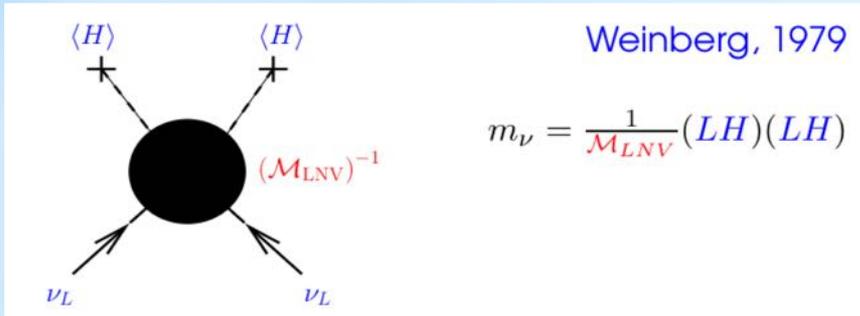


Area $\sim V^2$

Why these values? Are the two related? Are they related to masses?

Can the **seesaw mechanism** explain the very different structures between **quarks and leptons**?

Seesaw mechanism and LFV

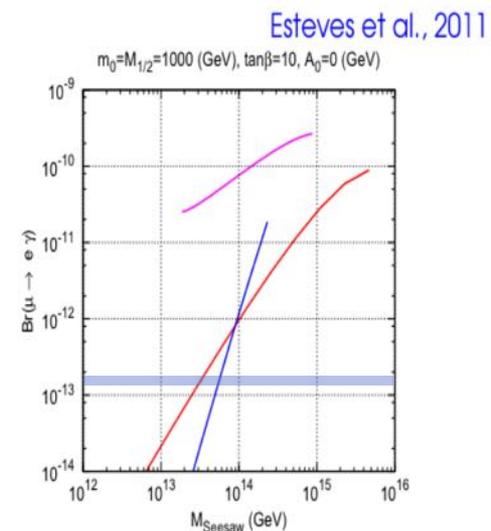
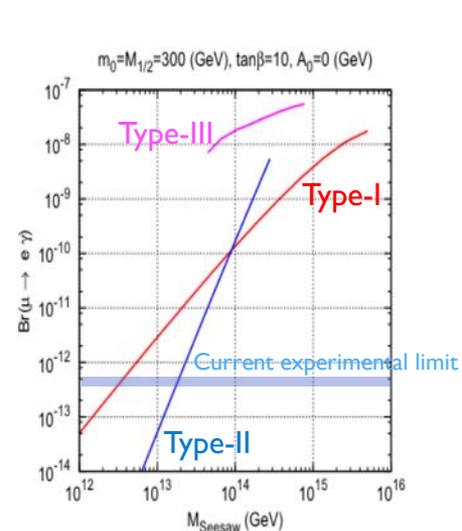
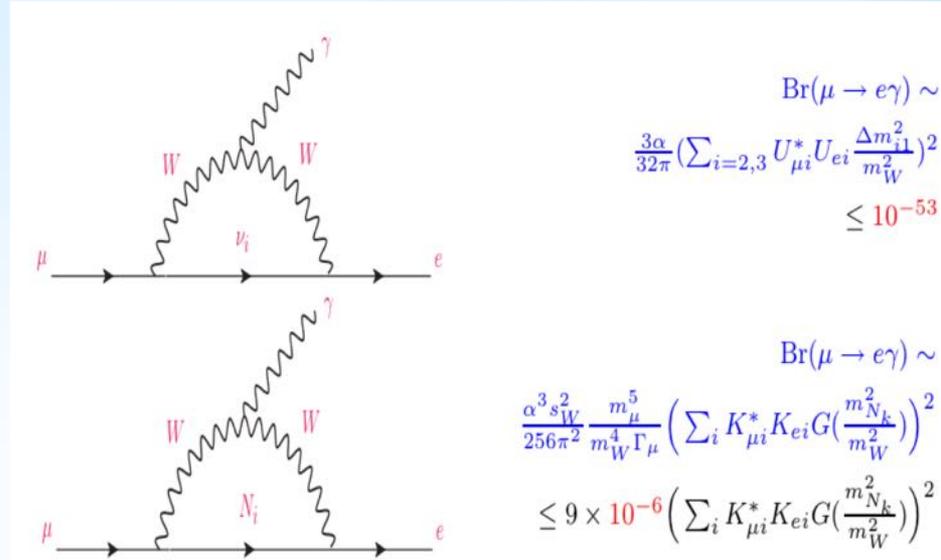


If neutrinos are **Dirac particles**, expect **very small** (far from experimental sens.) **LFV**.

However, if neutrinos are **Majorana particles** and something like the **Seesaw mechanism** is at work, **large values** (close to experimental sens.) are favoured.

In general, many **extensions of the SM** with new states at the **TeV scale** generates **large charged LFV**.

Future precision of LFV experiments should provide important information on the nature of the neutrino mass!



Flavour Beyond the SM

We know the **SM** does not describe ν masses, does not have a good **DM** candidate and cannot explain the **baryon asymmetry** in the Universe. Moreover, there is no explanation for the **flavour structure**, does not include **Gravity** and suffers from **fine-tuning issues in the Higgs sector**.

So, let's take the **SM** as an **approximation** to the true underlying theory:

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{gauge}}(A_a, \psi_i) + \mathcal{L}_{\text{Higgs}}(\phi, A_a, \psi_i) + \sum_{d \geq 5} \frac{c_n}{\Lambda^{d-4}} \mathcal{O}_n^{(d)}(\phi, A_a, \psi_i)$$

ν masses indicate already the existence of **d=5** operators in this expansion and of very **large values of Λ** (probably related to the breaking of Lepton Number). Precision FCNC measurements in the quark sector also indicate **large values of Λ** . On the other hand, the **d=2** operators in the **Higgs sector** require a **low value of Λ** to stabilize the Higgs mass term.

The search for the scale Λ at the High Energy Frontier is complemented by the sensitivity of (c_n/Λ^{d-4}) of experiments at the High Intensity Frontier.

Something in fashion: Lepton Non-Universality

G. Isidori – B-physics anomalies: model building & future implications

LHCb implications, CERN, 10th Nov 2017

► Introduction [*a possible shift of paradigm in model-building*]

So far, the vast majority of BSM model-building attempts

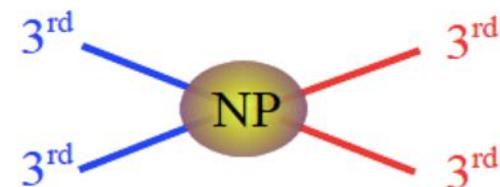
- Concentrate only on the (SM gauge) hierarchy problem
- Postpone (ignore) the flavor problem, implicitly assuming the 3 families are “identical” copies (but for Yukawa-type interactions)

The recent flavor anomalies seem to suggest a shift of paradigm:

- We should not ignore the flavor problem [*→ new (non-Yukawa) interactions at the TeV scale distinguishing the different families*]
- A (very) different behavior of the 3 families (with special role for 3rd gen.) *may be the key to solve/understand also the gauge hierarchy problem*



~~large (more interesting...)~~
small (less interesting...)



~~small (less interesting...)~~
large (more interesting...)

What about new sources of CP violation: EDMs

$$d_n^{\text{SM}} \sim (10^{-16} \text{ e cm}) \times \theta_{\text{QCD}} + (1-6) \times 10^{-32} \text{ e cm.}$$

$$d_n^{\text{BSM}} \sim (10^{-16} \text{ e cm}) \times (v/\Lambda)^2 \times \sin(\Phi) \times y_f F$$

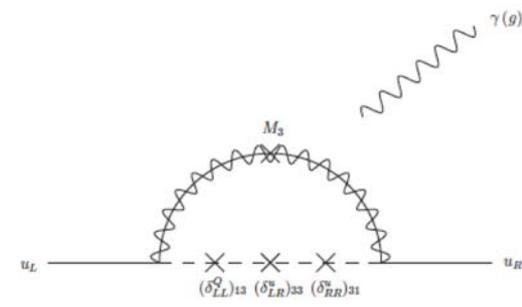
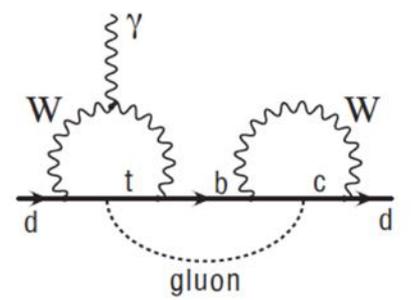
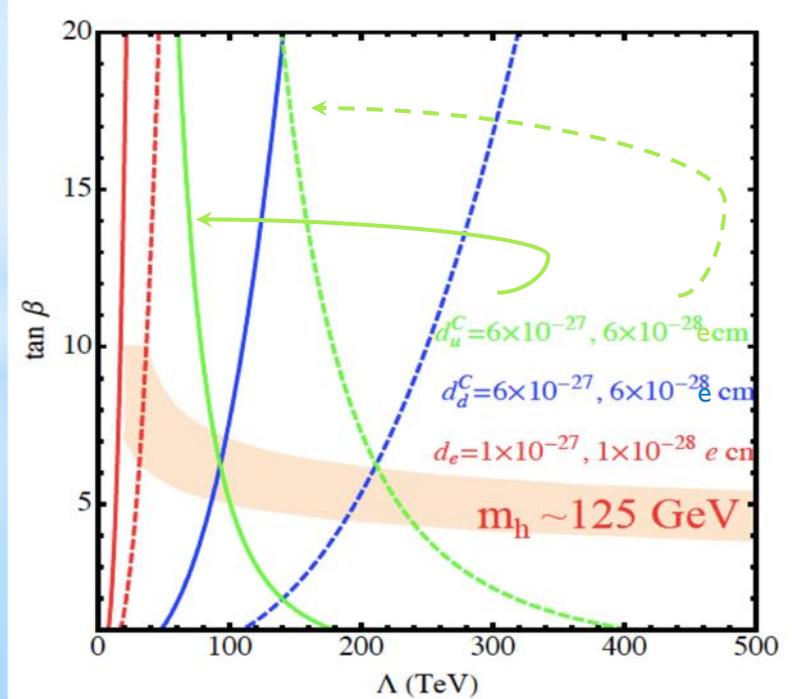
$\sin(\Phi) \rightarrow$ CPV phase must be large enough to explain baryogenesis.

$(v/\Lambda)^2 \rightarrow$ BSM mass scale?

$y_f F \rightarrow$ BSM dynamics: perturbative? strongly coupled? dependence on other parameters?

EDMs provide information on the three “frontiers”: cosmic frontier (baryon asymmetry), high energy frontier (scale of BSM) and intensity frontier (couplings of BSM).

For example, take “minimally unnatural SUSY” \rightarrow **probing scales as several 100 TeV!**



The search for nucleon/lepton EDMs is a very sensitive probe for new sources of CP violation at very large energy scales!



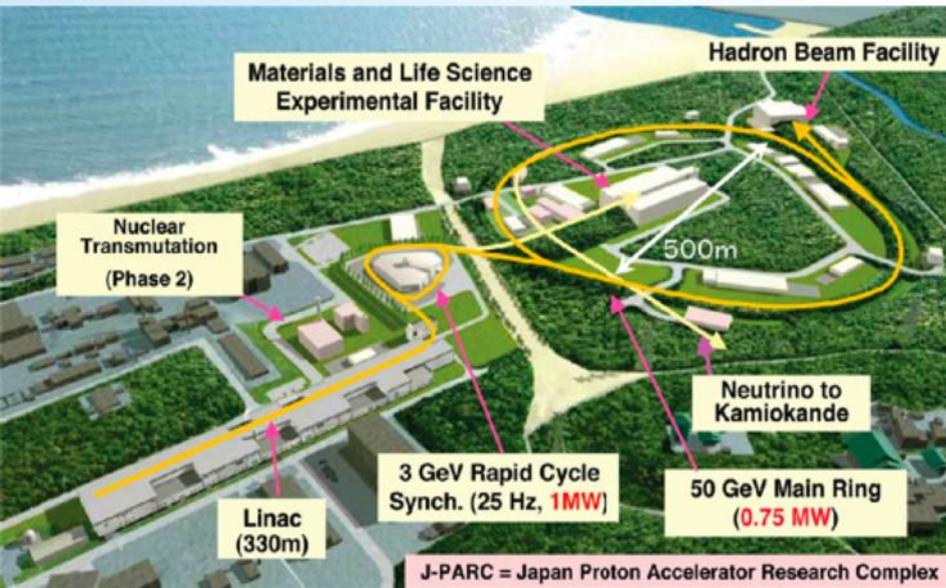
**Future experimental
facilities: opportunities
and challenges.**

μ/p -beams facilities

Existing μ beams 10^8 Hz. Next 10 years experiments will be able to increase rate by at least $\times 100$.

JPARC: 2×10^{14} 30 GeV PoT/3sec
 SPS: 10^{12} 400 GeV PoT/sec

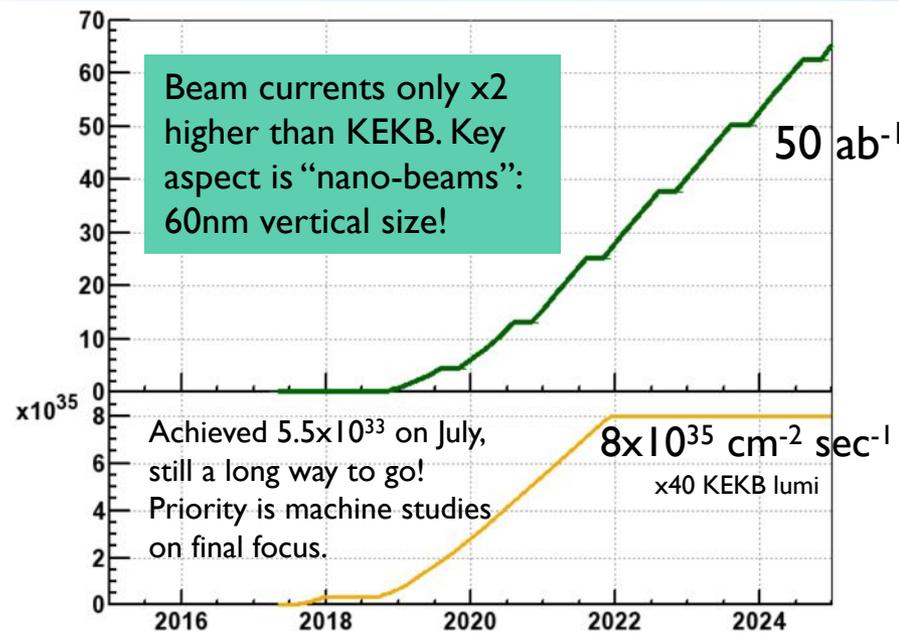
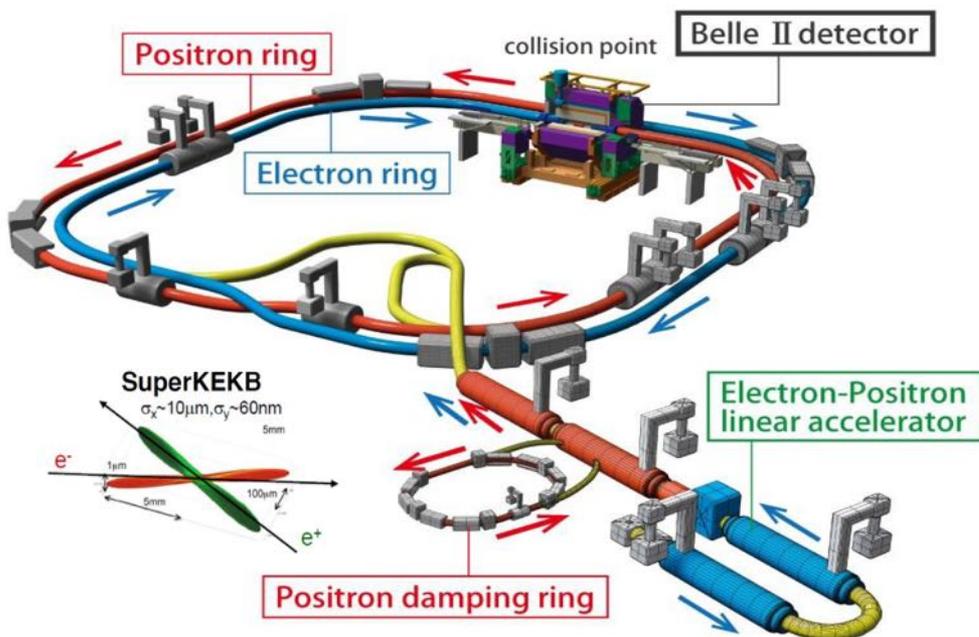
Laboratory / Beam Line	Energy / Power	Present Surface μ^+ rate (Hz)	Future estimated μ^+/μ^- rate (Hz)
PSI (CH)	(590 MeV, 1.3 MW, DC)		
LEMS	"	$4 \cdot 10^8$	
$\pi E5$	"	$1.6 \cdot 10^8$	
HiMB	(590 MeV, 1 MW, DC)		$4 \cdot 10^{10}(\mu^+)$
J-PARC (JP)	(3 GeV, 1MW, Pulsed) currently 210 kW		
MUSE D-line	"	$3 \cdot 10^7$	
MUSE U-line	"		$2 \cdot 10^8(\mu^+)$ (2012)
COMET	(8 GeV, 56 kW, Pulsed)		$10^{11}(\mu^-)$ (2019/20)
PRIME/PRISM	(8 GeV, 300 kW, Pulsed)		$10^{11-12}(\mu^-)$ (> 2020)
FNAL (USA)			
Mu2e	(8 GeV, 25 kW, Pulsed)		$5 \cdot 10^{10}(\mu^-)$ (2019/20)
Project X Mu2e	(3 GeV, 750 kW, DC to pulsed)		$2 \cdot 10^{12}(\mu^-)$ (> 2022)



Joint Project between KEK and JAEA

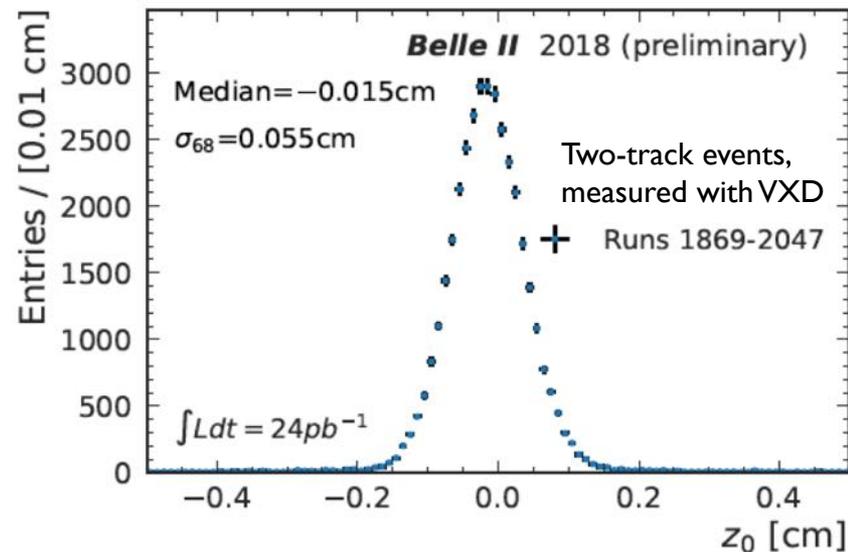


Colliders facilities: SuperKEKB



New positron damping ring and positron ring just commissioned (spring 2018). New **large crossing angle nano-beams** effectively reduce the bunch length from 10mm to 0.5mm!

Phase 2 completed. VXD will be installed later in 2018. **Full detector Belle II data taking (Phase 3)** to start in **Feb. 2019**.

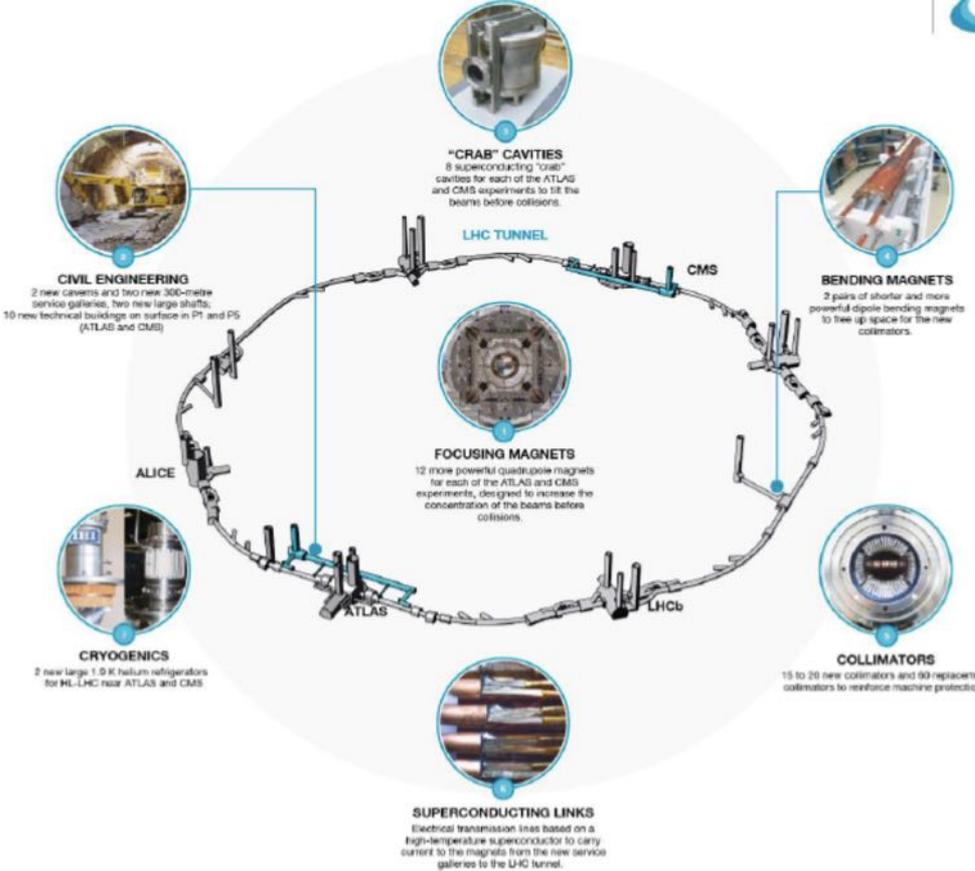


Colliders facilities: HL-LHC

Replace **focusing magnets** with more **powerful and very large aperture** in ATLAS/CMS. Use **"CRAB"** cavities to increase overlap between beams.

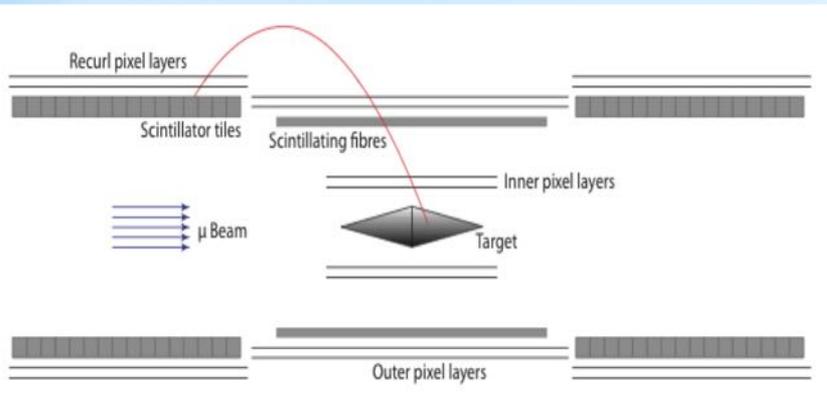
Peak luminosity $5 \times 10^{34} \text{ cm}^{-2} \text{ sec}^{-1}$ after leveling! Integrate 250 fb^{-1} per year. Ultimate performance $7.5 \times 10^{34} \text{ cm}^{-2} \text{ sec}^{-1}$.

LHCb U2 integrated luminosity limited by lifetime of focusing magnets $O(300 \text{ fb}^{-1})$. **Detector Pileup** in **ATLAS/CMS** up to **240**, in **LHCb U2** up to **50**.



2019	2020	2021	2022	2023	2024	2025	2026	2027	2028	2029	2030	2031	2032	2033+
		Run III						Run IV					Run V	
LS2					LS3						LS4			
LHCb 40 MHz UPGRADE I		$L = 2 \times 10^{33}$			LHCb Consolidate: Upgr Ib			$L = 2 \times 10^{33}$ 50 fb^{-1}			LHCb UPGRADE II		$L = 1-2 \times 10^{34}$ 300 fb^{-1}	
ATLAS Phase I Upgr		$L = 2 \times 10^{34}$			ATLAS Phase II UPGRADE			HL-LHC $L = 5 \times 10^{34}$			ATLAS		HL-LHC $L = 5 \times 10^{34}$	
CMS Phase I Upgr		300 fb^{-1}			CMS Phase II UPGRADE						CMS		3000 fb^{-1}	
Belle II	5 ab^{-1}	$L = 8 \times 10^{35}$			50 ab^{-1}			Rule of thumb: 1 ab⁻¹ at Belle-II ~ 1 fb⁻¹ at LHCb						

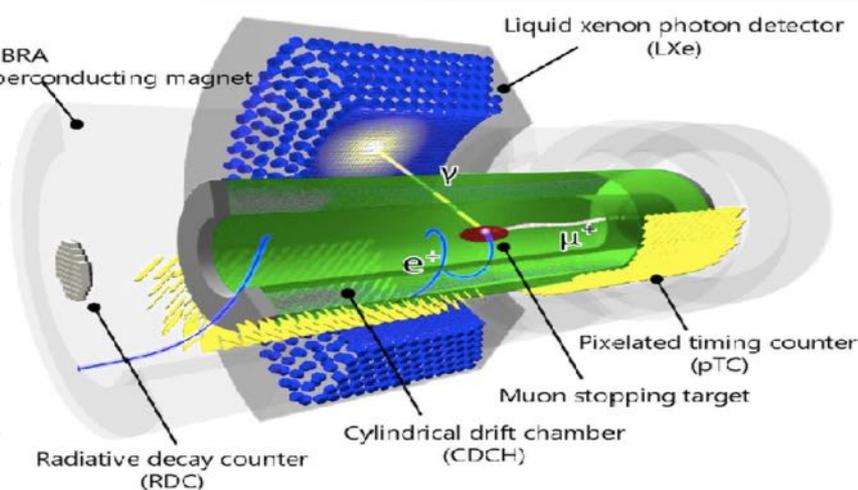
Detectors and technologies: Muon Experiments



Mu3e detector needs to deal with **high rates** 0.1 MHz/mm² (NA62 Gigatracker 1.3 MHz/mm²) with continuous reading, and minimal scattering → DMAPS (50 μm thick, less 1% radiation length, integrated sensor and readout).

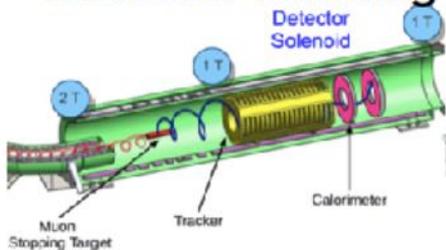
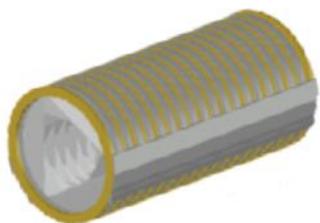
Excellent e/γ resolution required for **MEG-II, twice better than MEG!**

PDF parameters	MEG	MEG II
E_{e^-} (keV)	380	130
θ_{e^-} (mrad)	9.4	5.3
ϕ_{e^-} (mrad)	8.7	3.7
z_{e^-}/y_{e^-} (mm) core	2.4/1.2	1.6/0.7
E_γ (%) ($w > 2$ cm)/($w < 2$ cm)	2.4/1.7	1.1/1.0
$u_\gamma, v_\gamma, w_\gamma$ (mm)	5/5/6	2.6/2.2/5
$t_{e-\gamma}$ (ps)	122	84

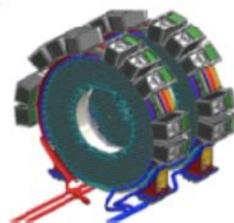


Detector Building

Straw Tube Tracker



CsI Calorimeter



2 disks, each disk contains 674 undoped CsI crystals of 20x3.4x3.4cm³

Mu2e detector is building a state of the art **CsI calorimeter**. Prototype shows performances as expected, for **100 MeV electrons** (energy resolution ~7% and time resolution ~150ps).

Detectors and technologies: Belle-II and LHCb UI



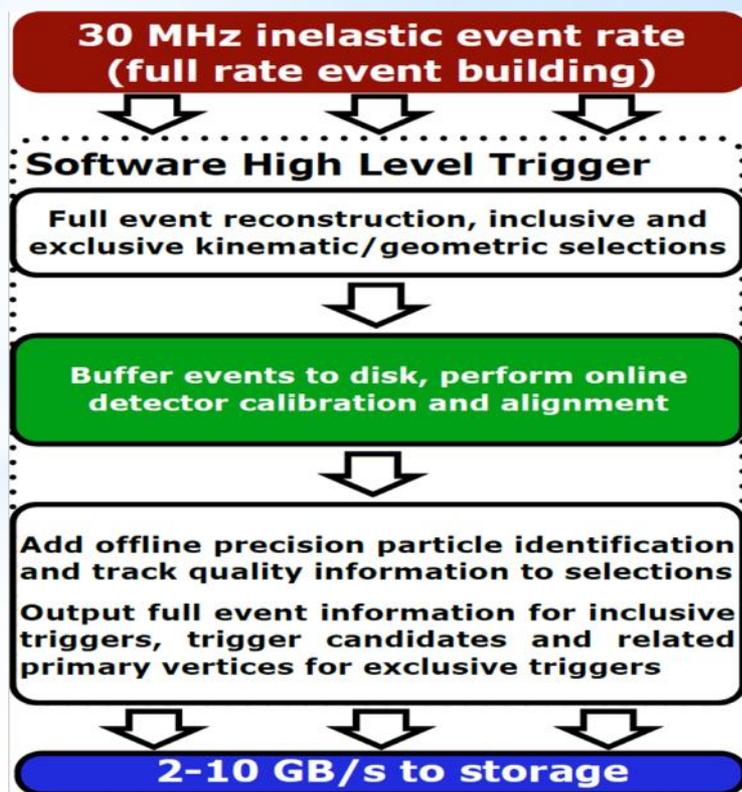
Innovative technologies used for **Belle-II** → **pixel photon sensors** play central role (collaboration with industry)

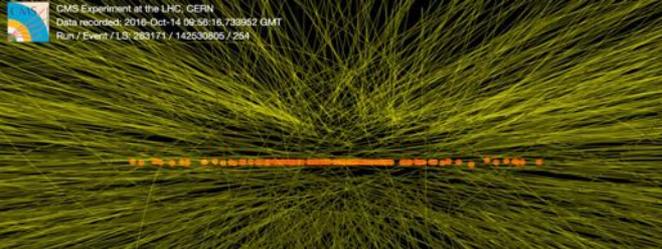
DEPFET pixel detector (**50 μm pixel size, 75 μm thick**, air cooling). 2 layers at 14 and 22 mm radius (with 8 and 12 layers each).

LHCb upgrade I in 2019-20, is basically a front-end electronics upgrade to readout the full detector at 40 MHz → **Full software trigger**.

Target **luminosity x5** w.r.t. LHCb RUN1&2, and collect **50 fb^{-1}** during RUN3&4.

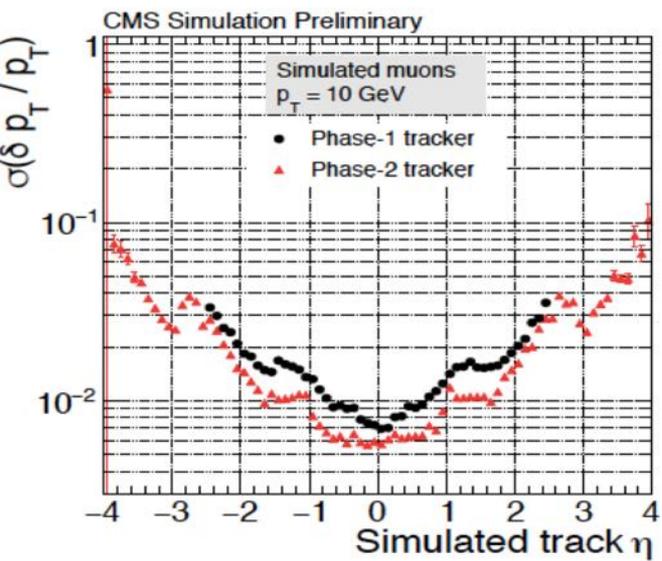
Some detectors are upgraded with **higher granularity and more radiation hardness** (like the vertex detector VELO).





Detectors and technologies: HL-LHC experiments

Detectors at **HL-LHC** need to mitigate the effect of **pileup $O(200)$** , and survive **2×10^{16} I MeV n_{eq}/cm^2** .

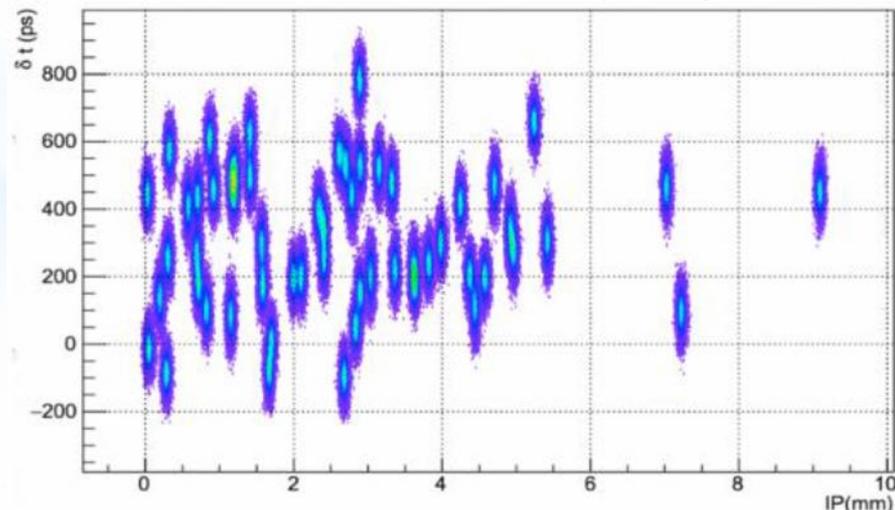


3D and **planar** sensors can reach the radiation requirements. Common effort (RD53) to develop chips with 65nm **CMOS technology**. **DMAPS** development important (profit from Belle-II experience). **CMS** phase 2 tracker is even **improving momentum resolution** w.r.t. phase I. **LI track trigger (CMS)** can improve also on **low Pt physics**.

In this environment, **timing** is absolutely needed to reduce pileup. **ATLAS/CMS** achieve **30ps/track** with thin layers of **LGAD** tiles forward and **LYSO** in the barrel (CMS).

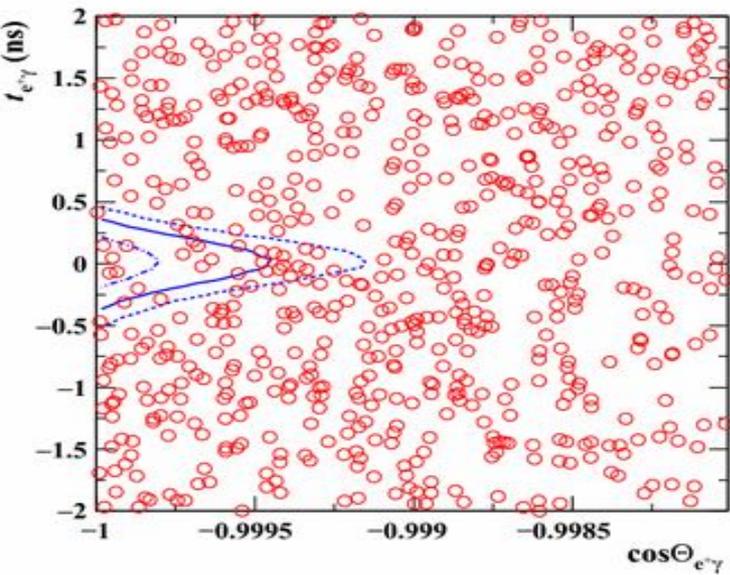
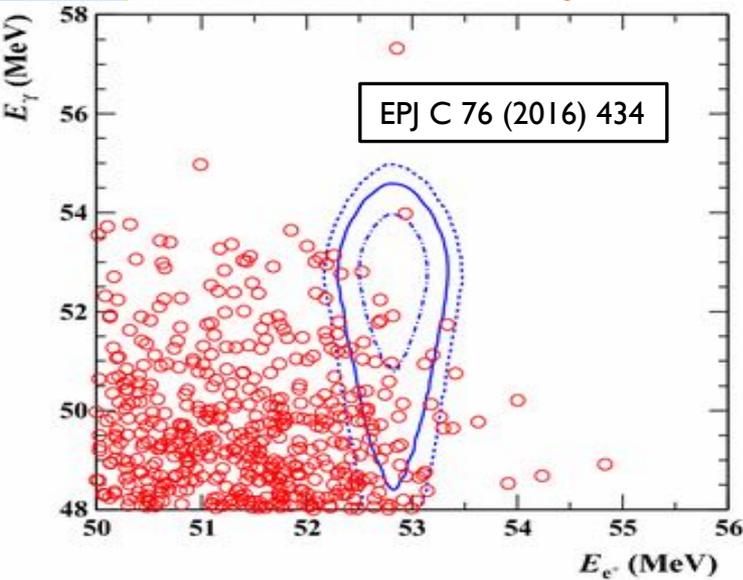
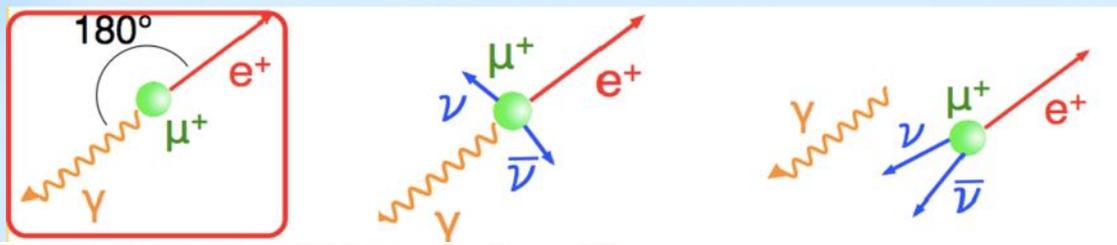
LHCb upgrade 2 in 2030, to use the full potential of HL-LHC, at **$2 \times 10^{34} \text{ cm}^{-2} \text{ sec}^{-1}$** . Profit from generic detector **R&D for HL-LHC**, in particular timing layers and 4D tracking. New detector able to sustain radiation and occupancies.

Opportunity, too, to **improve on ECAL performance**... may be critical to study e/μ universality.





**Future
measurements in the
lepton sector.**



The **MEG collaboration** at PSI using 7.5×10^{14} stopped muons collected within 2009-13 have achieved a sensitivity of $\text{BR}(\mu \rightarrow e\gamma) < 4.2 \times 10^{-13}$ @90% C.L.

Relevant variables $E_{\nu,e}$ and the timing (e,γ) and $\cos\theta_{e\gamma}$

MEG upgrade (MEG-II) expects to increase $\times 10$ sensitivity with **upgraded detector** (2019-2021).

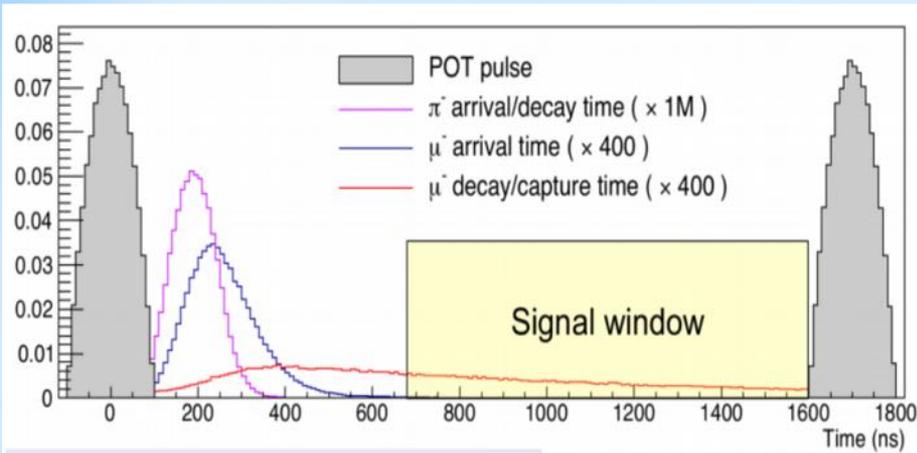
Difficult to further improve with this technique due to **accidental backgrounds**, which should increase with beam intensity.

$$N_{\text{acc}} \propto R_{\mu}^2 \times \Delta E_{\gamma}^2 \times \Delta P_e \times \Delta \Theta_{e\gamma}^2 \times \Delta t_{e\gamma} \times T,$$

Maybe improving Δe_{γ} using converted photons, could overcome the lost in efficiency, in future proposals.

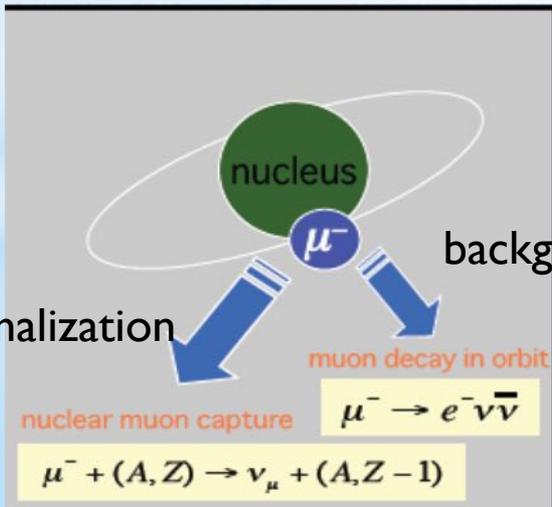
CLFV: $\mu \rightarrow e\gamma$

More feasible is to improve on $\mu \rightarrow e\gamma$ conversions. Best existing limits from **SINDRUM-II at PSI**: $R(\mu \rightarrow e\gamma) < 7 \times 10^{-13}$ @90% C.L. with $O(10^8)$ μ^- /sec and time between pulses < 20 ns.



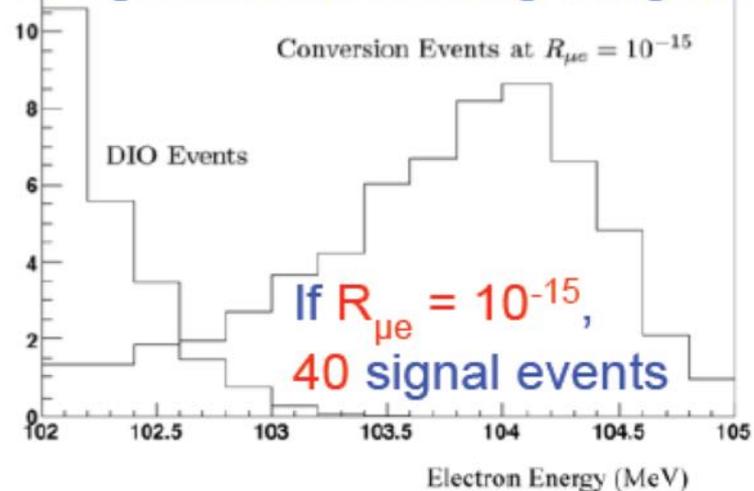
Mu2e at the booster will use $O(10^{10})$ μ^- /sec and time between pulses ~ 1700 ns, to reach $R(\mu \rightarrow e\gamma) < 7 \times 10^{-17}$ @90% C.L. In a similar time scale (> 2020), and with similar beam parameters, **COMET-II at JPARC's main ring** will reach similar sensitivities.

Preliminary studies show that an upgraded Mu2e and PRIME/PRISM (using Ti) at JPARC could increase $\times 10$ sensitivity of Mu2e.

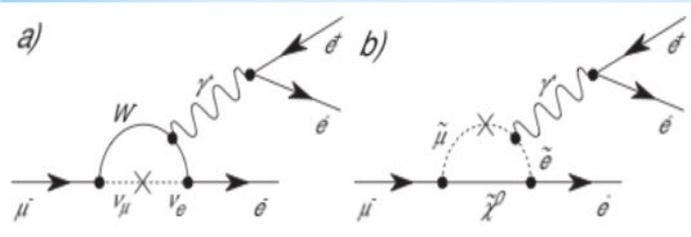


Single 105 MeV electron, beyond endpoint of DIO.

In two years of running, fewer than one background event in the signal region.

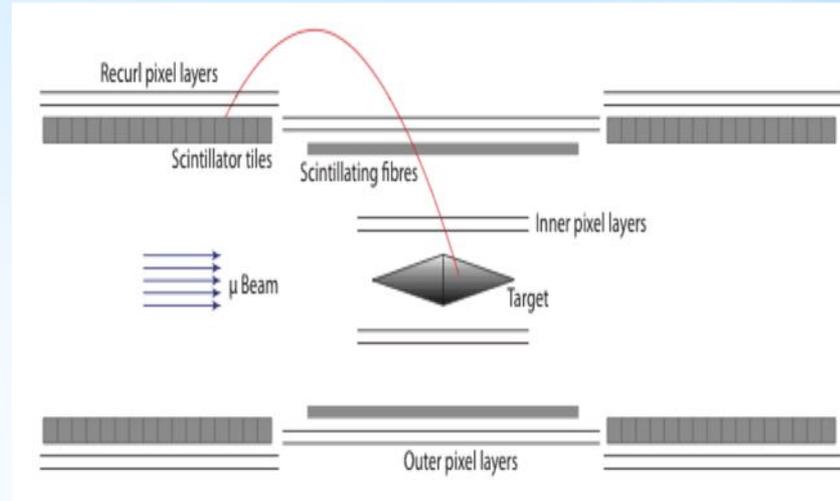


CLFV: $\mu \rightarrow eee$, $\tau \rightarrow \mu \mu \mu$



The best limit $BR(\mu \rightarrow eee) < 10^{-12}$ is from **SINDRUM**, with essentially **zero bkg**.

Mu3e proposal improves sensitivity to 10^{-16} , by using the proposed **HiMB line at PSI**, with rates of $2 \times 10^9 \mu/\text{sec}$ **DC** beams. Accidental bkg are under control with excellent detector resolution. Limitation may come from $\mu \rightarrow e\nu\gamma(ee)$. **Phase-I (2019-21)** aims for 10^{-15} .



In principle τ are **more sensitive** per event than μ since mass typically decreases GIM suppression, (**>500**), and allows for other contributions (e.g. Higgs contributions).

However, τ **production** rates at e^+e^- B-factories are not in the same league! With **$\sim 1.4 \times 10^9 \tau$ events at the B-factories** the best limits at 90% C.L. are:

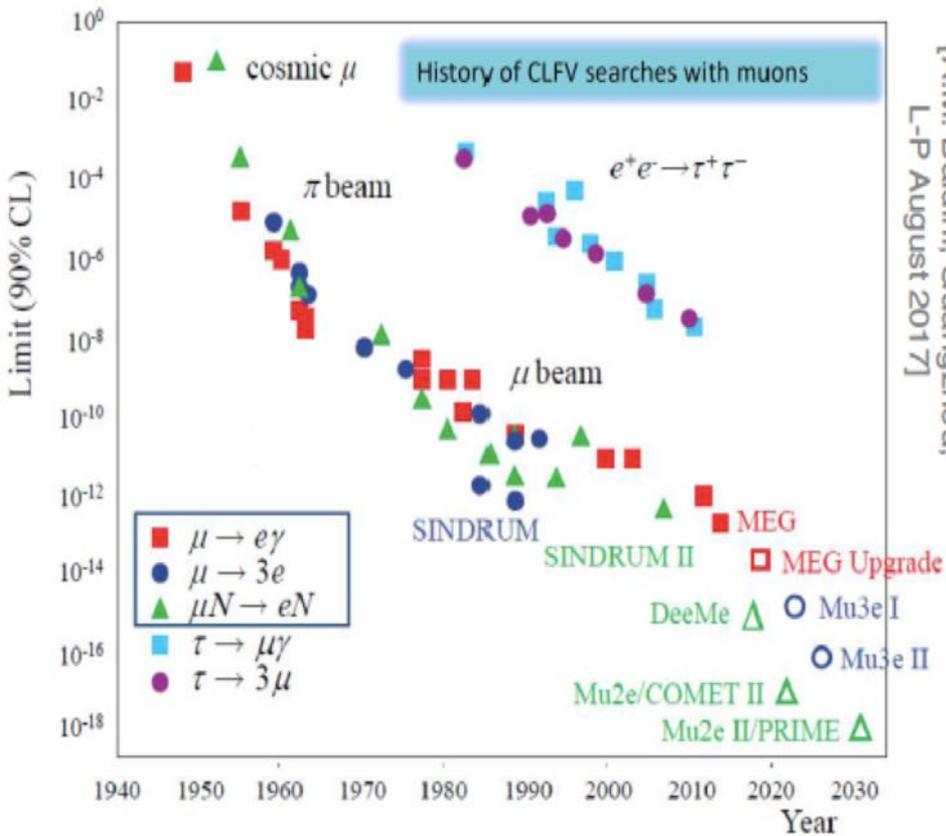
	$BR(\tau \rightarrow \mu\gamma)$	$BR(\tau \rightarrow \mu\mu\mu)$
BELLE:	4.5×10^{-8}	2.1×10^{-8}
BABAR:	4.4×10^{-8}	3.3×10^{-8}

At the LHC τ are copiously produced $\sim 2 \times 10^{11} \tau/\text{fb}^{-1}$ (mainly from charm decays, $D_s \rightarrow \tau\nu$). **LHCb** has reached similar sensitivities for $BR(\tau \rightarrow \mu\mu\mu)$ than B-factories using only 3fb^{-1} , providing a world average limit on **$BR(\tau \rightarrow \mu\mu\mu) < 1.2 \times 10^{-8}$ @90%CL**.

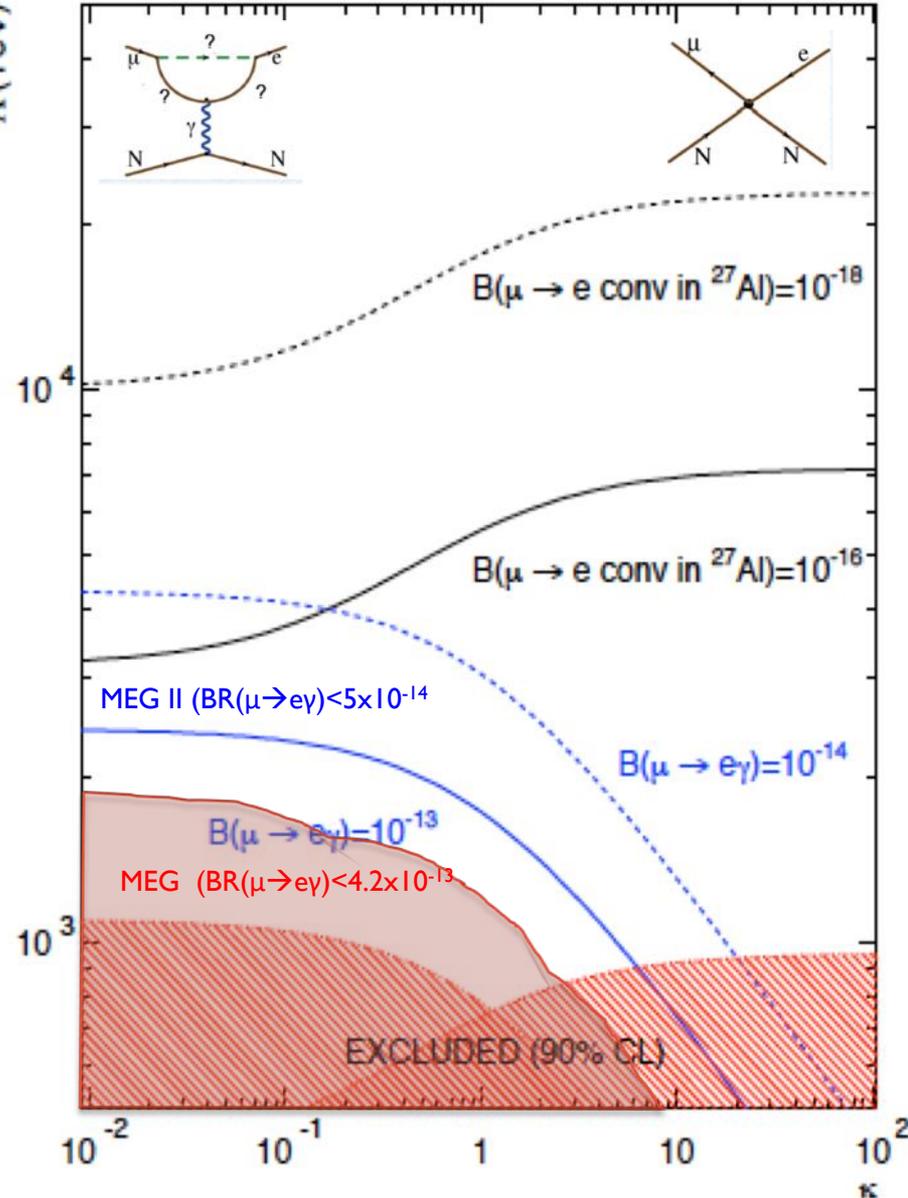
Belle-II (2019-2025) aims to probe the region (10^{-9} - 10^{-8}) with 50ab^{-1} . LHCb Upgrade 2 proposal should reach similar sensitivities (203x). Some proposal to use charm production in fixed target beams.

CLFV overview

Modified from A.Gouvea and P.Vogel, arXiv:1303.4097



(TeV) Λ



Typically **two operators** contribute as function of Λ :

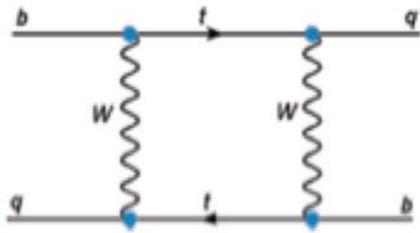
$$\mathcal{L}_{CLFV} = \frac{m_\mu}{(\kappa + 1)\Lambda^2} \bar{\mu}_R \sigma_{\mu\nu} e_L F^{\mu\nu} + \frac{\kappa}{(\kappa + 1)\Lambda^2} \bar{\mu}_R \gamma_\mu e_L \bar{f} \gamma^\mu f$$

And κ is the **relative strength** of their contribution.

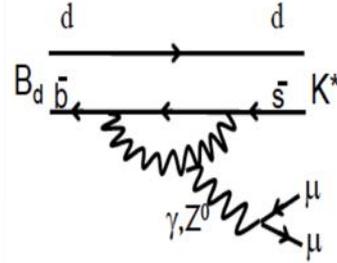
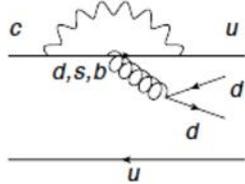


**Future
measurements in the
quark sector.**

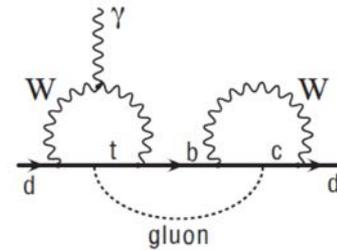
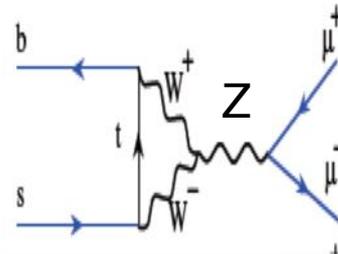
FCNC in quarks: loops categories



$\Delta F=2$ box



$\Delta F=1$ Penguins



$\Delta F=0$ Penguins

Examples of quark Flavour transitions and type of loop processes:

	$b \rightarrow s$ ($ V_{tb}V_{ts} \alpha\lambda^2$)	$b \rightarrow d$ ($ V_{tb}V_{td} \alpha\lambda^3$)	$s \rightarrow d$ ($ V_{ts}V_{td} \alpha\lambda^5$)	$c \rightarrow u$ ($ V_{cb}V_{ub} \alpha\lambda^5$)
$\Delta F=2$ box	$\Delta M_{B_s}, A_{CP}(B_s \rightarrow J/\psi\Phi)$	$\Delta M_B, A_{CP}(B \rightarrow J/\psi K)$	$\Delta M_K, \epsilon_K$	$x, y, q/p, \Phi$
QCD Penguin	$A_{CP}(B \rightarrow hhh), B \rightarrow X_s\gamma$	$A_{CP}(B \rightarrow hhh), B \rightarrow X\gamma$	$K \rightarrow \pi^0\ell\ell, \epsilon'/\epsilon$	$\Delta a_{CP}(D \rightarrow hh)$
EW Penguin	$B \rightarrow K^{(*)}\ell\ell, B \rightarrow X_s\gamma$	$B \rightarrow \pi\ell\ell, B \rightarrow X\gamma$	$K \rightarrow \pi^0\ell\ell, K^\pm \rightarrow \pi^\pm\nu\nu$	$D \rightarrow X_u\ell\ell$
Higgs Penguin	$B_s \rightarrow \mu\mu$	$B \rightarrow \mu\mu$	$K \rightarrow \mu\mu$	$D \rightarrow \mu\mu$
$\Delta F=0$ (EDMs)			n, p, d EDMs ($d(u) \rightarrow d(u)$)	



**Tree Level
Measurements:
 $V_{ub}, V_{cb}, \arg(V_{ub})$**

Current status of the CKM magnitudes

$$V_{\text{CKM}} \approx \begin{pmatrix} 1 & \lambda & V_{ub} \\ -\lambda & 1 & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$$

The 2x2 matrix formed by $|V_{ud}|, |V_{us}|, |V_{cd}|$ and $|V_{cs}|$ has been measured using nucleus, pion, kaon and charm decays to be “almost” unitary. It only depends on $\lambda = \mathbf{0.2251 \pm 0.0003}$.

This sub-matrix is real up to $O(\lambda^5)$.

$|V_{ub}|$ and $|V_{cb}|$ are measured in semileptonic B^\pm and B_d decays: inclusive and exclusive methods.

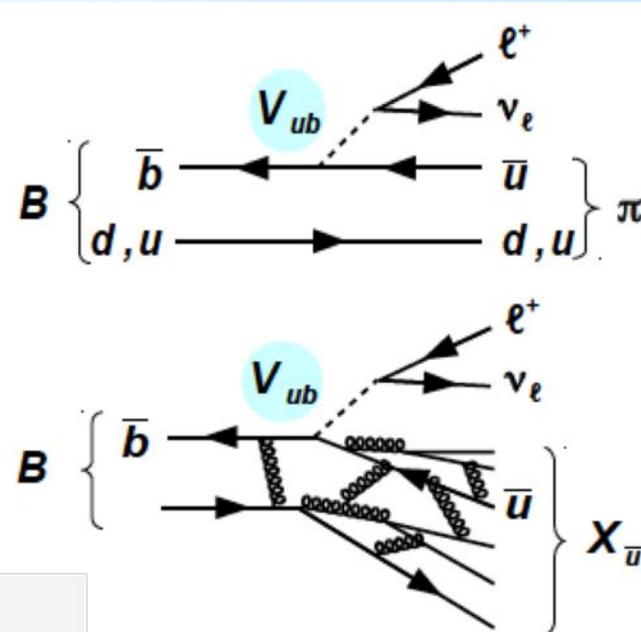
Exclusive measurements “easier” experimentally, but QCD form factors!

New Belle result using BGL z-expansion
(using CLN model: $|V_{cb}| = (38.4 \pm 0.8) \times 10^{-3}$)

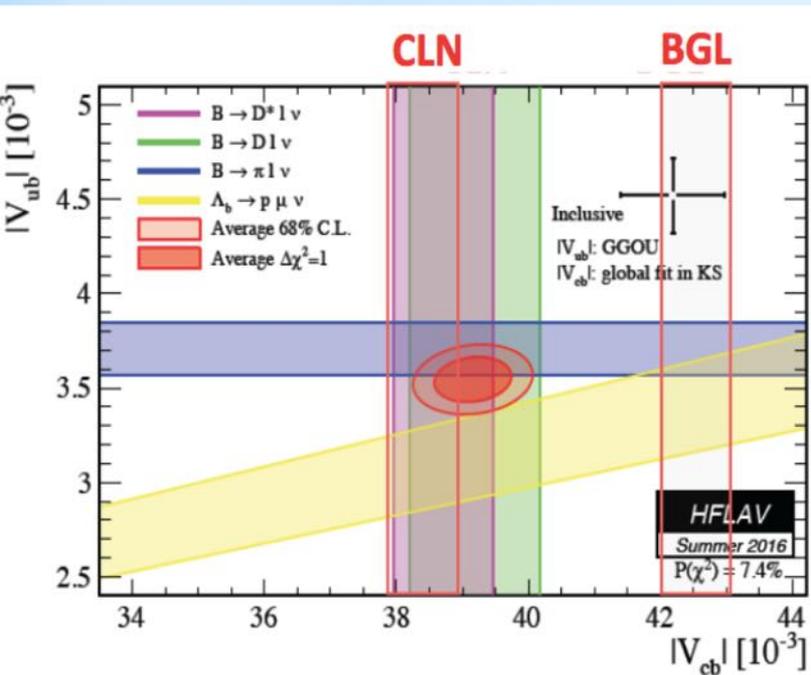
$$\begin{aligned} |V_{ub}| &= (3.65 \pm 0.27) \times 10^{-3} && (7\%) \\ |V_{cb}| &= (42.5 \pm 1.0) \times 10^{-3} && (2\%) \end{aligned}$$

Inclusive measurements more robust theoretically, but need to control experimental backgrounds!

$$\begin{aligned} |V_{ub}| &= (4.52 \pm 0.14) \times 10^{-3} && (3\%) \\ |V_{cb}| &= (42.2 \pm 0.8) \times 10^{-3} && (2\%) \end{aligned}$$



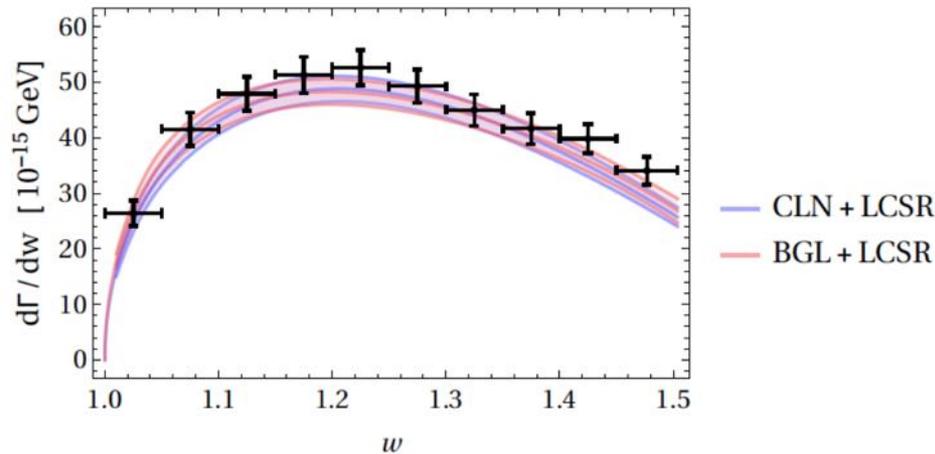
$|V_{ub}|, |V_{cb}|$ exclusive vs inclusive



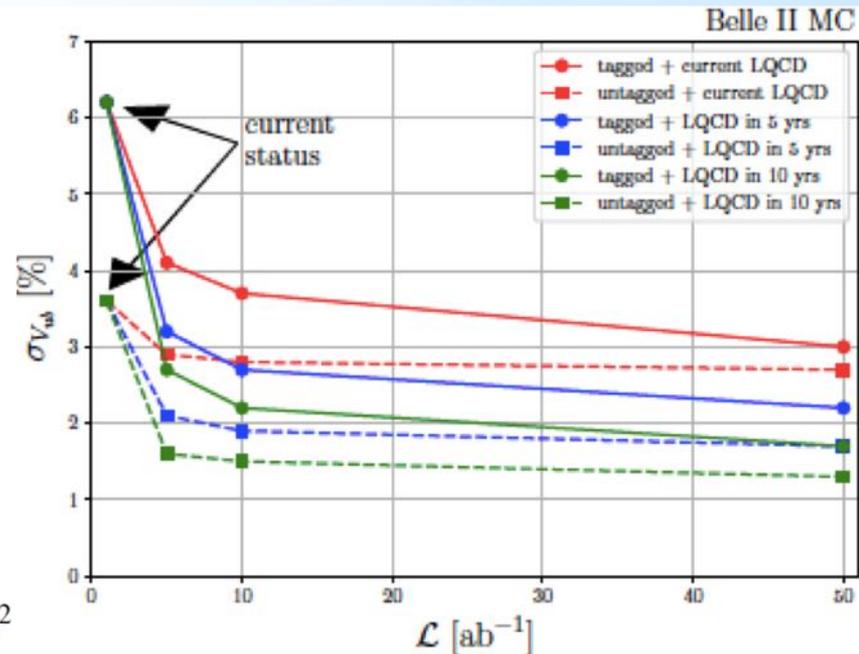
BGL fit of $B \rightarrow D^* l \nu$ in good agreement with inclusive. But differences still persist in $|V_{ub}|$.

Belle-2 statistics should allow for a precise study of form factors, and open new clean decays like $\sigma(\text{BR}(B \rightarrow \mu \nu)) \sim 7\%$. **LHCb upgrades (I&2)** should help with the **exclusive** decays including **baryons**.

Expect to reach $\sigma(|V_{ub}|)_{\text{incl.}} \sim 3\%$ and $\sigma(|V_{ub}|)_{\text{exc.}} \sim 2\%$



$$w = \frac{m_B^2 + m_{D^*}^2 - q^2}{2m_B m_{D^*}}, \quad q^2 = (p_B - p_{D^*})^2$$

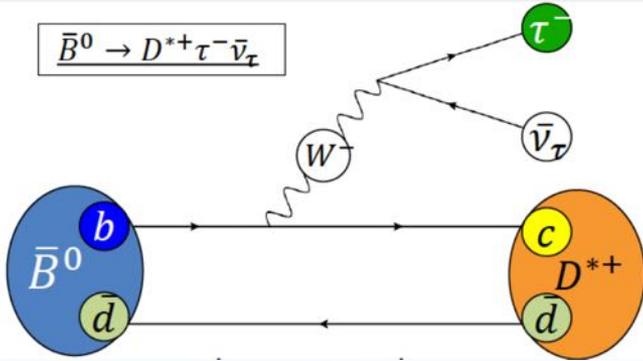
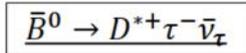


Is LU violated in tree decays?

Uncertainties on $|V_{cb}|$ drop out in ratio. Test of LU.
 Currently $\sigma(\mathbf{R}(D^*)) \sim 9\%$ and $\sigma(\mathbf{R}(D)) \sim 12\%$.

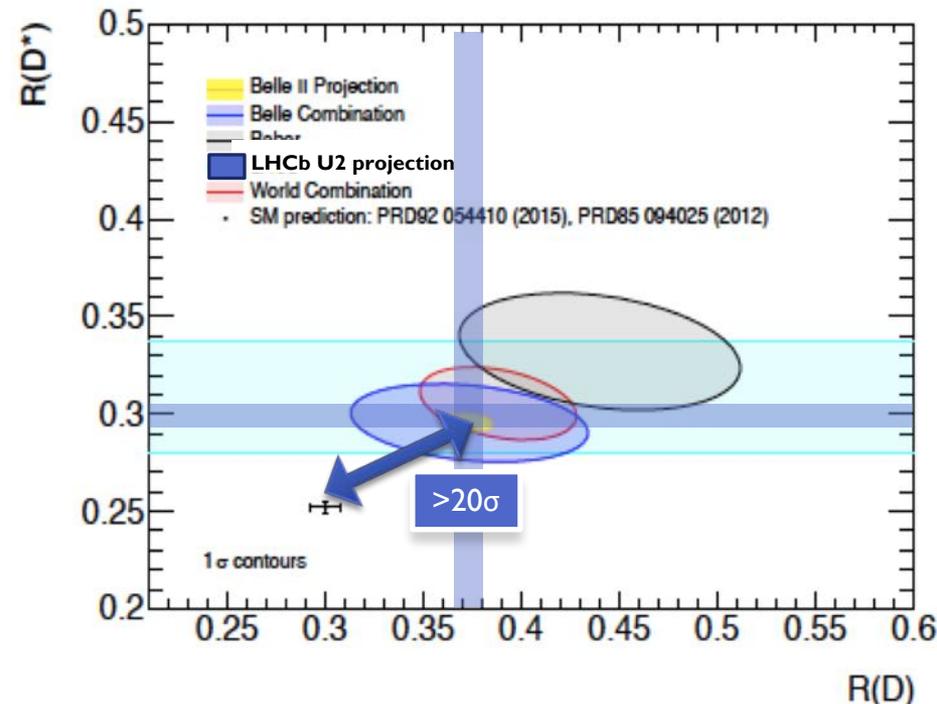
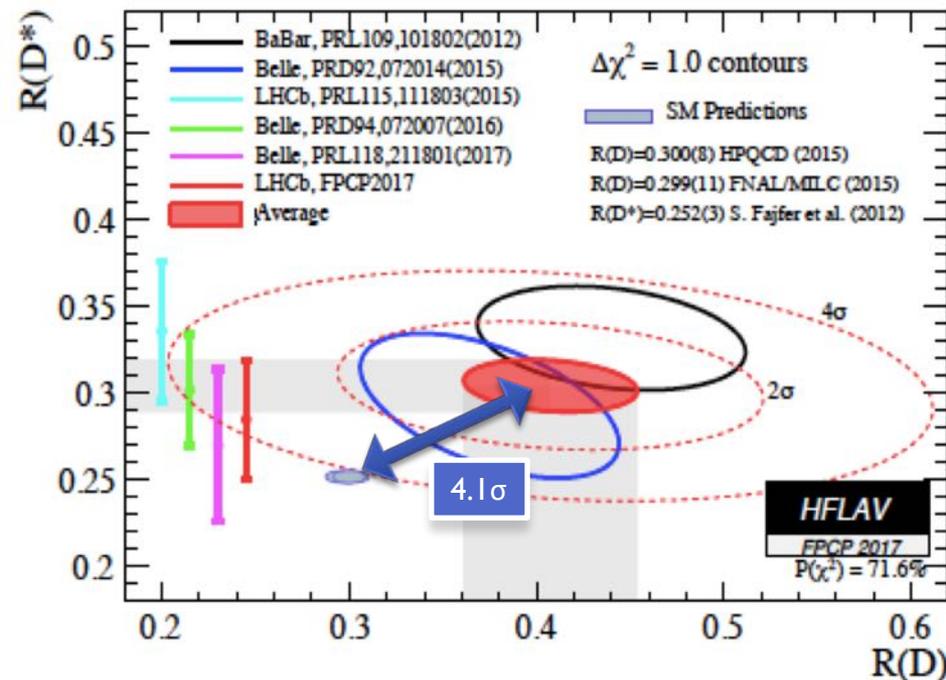
Both **Belle-2** and **LHCb UI** expect to reach a **$\sim 2\%$ precision** on $\mathbf{R}(D)$ and $\mathbf{R}(D^*)$. Moreover **LHCb U2** can also test LU in \mathbf{B}_c and $\mathbf{\Lambda}_c$ decays with good precision, and **differential measurements!**

If current experimental central values stay, these future experiments should have a **clear NP observation**.



$$R(D) = \frac{\mathcal{B}(B \rightarrow D \tau^+ \nu_\tau)}{\mathcal{B}(B \rightarrow D \ell^+ \nu_\ell)}$$

$$R(D^*) = \frac{\mathcal{B}(B \rightarrow D^* \tau^+ \nu_\tau)}{\mathcal{B}(B \rightarrow D^* \ell^+ \nu_\ell)}$$



V_{ub} phase: Experimental Strategies

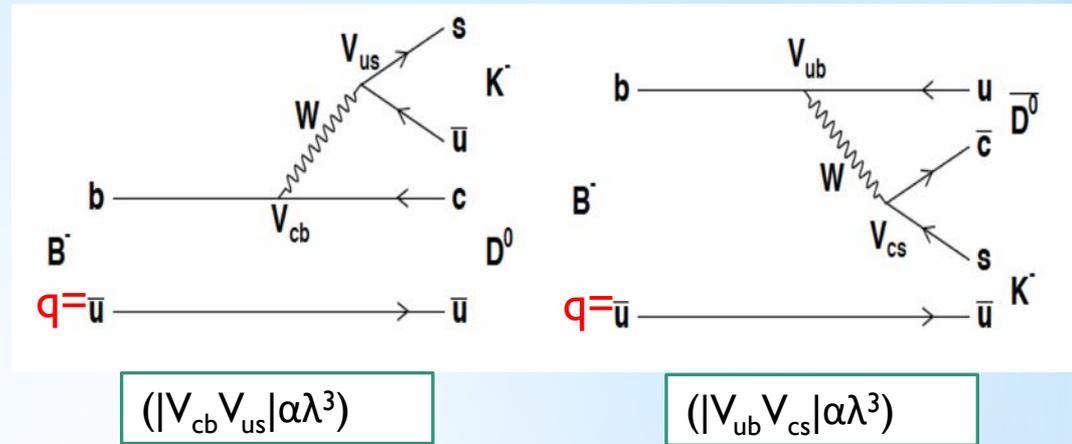
$q=u$: with D and anti-D in same final state

$$B^\pm \rightarrow D X_s \quad X_s = \{K^\pm, K^\pm \pi \pi, K^{*\pm}, \dots\}$$

$q=s$: Time dependent CP analysis.

Interference between B_s mixing and decay.

$$B_s \rightarrow D^\pm_s K^\mp$$



In the case $q=u$ the **experimental analysis is relatively simple**, selecting and counting events to measure the ratios between B and anti-B decays. NP contributions to D mixing are assumed to be negligible or taken from other measurements.

However the extraction of γ requires the knowledge of the ratio of amplitudes ($r_{B(D)}$) and the difference between the strong and weak phase in B and D decays ($\delta_{B(D)}$) \rightarrow **charm factories input (CLEO/BESIII)**.

In the case $q=s$, a time dependent CP analysis is needed to exploit the interference between B_s mixing and decay. NP contributions to the mixing needs to be taken from other measurements ($B_s \rightarrow J/\psi \phi$).

V_{ub} phase: current status and future prospects

The most precise determination of γ from B-factories is from the Dalitz analysis (**GGSZ**) of the decays $B^\pm \rightarrow D(K_s \pi \pi) K^\pm$. Combining with the decays $B \rightarrow D_{CP} X_s$ (**GLW**) and the decays $B \rightarrow D(K^+ \pi^-(\pi^0)) X_s$ (**ADS**): BABAR: $\gamma = 69^{+17}_{-16}^\circ$ ($r_B(DK) = 0.092 \pm 0.013$)

$$\tan \gamma \approx \frac{\eta}{\rho}$$

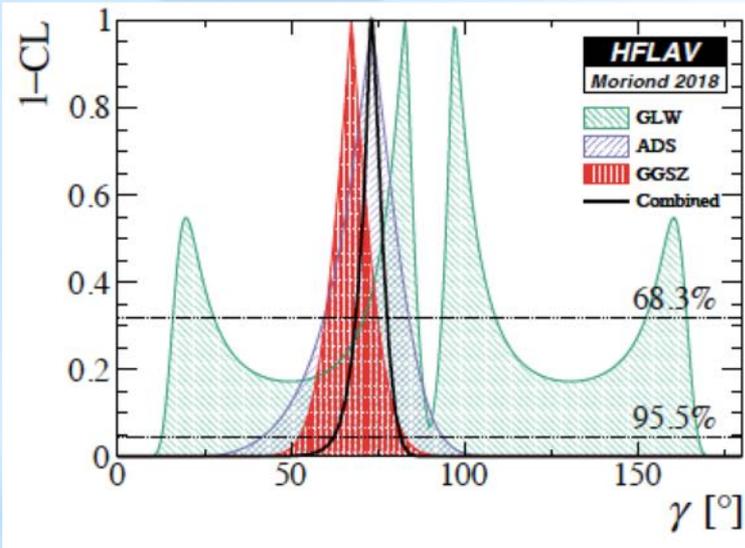
Belle : $\gamma = 68^{+15}_{-14}^\circ$ ($r_B(DK) = 0.112 \pm 0.015$)

LHCb preliminary combination using mostly only RUN1 data dominates already now the world average:

$\gamma = 74.0^{+5.0}_{-5.8}^\circ$ ($r_B(DK) = 0.099 \pm 0.005$) LHCb-CONF-2018-002

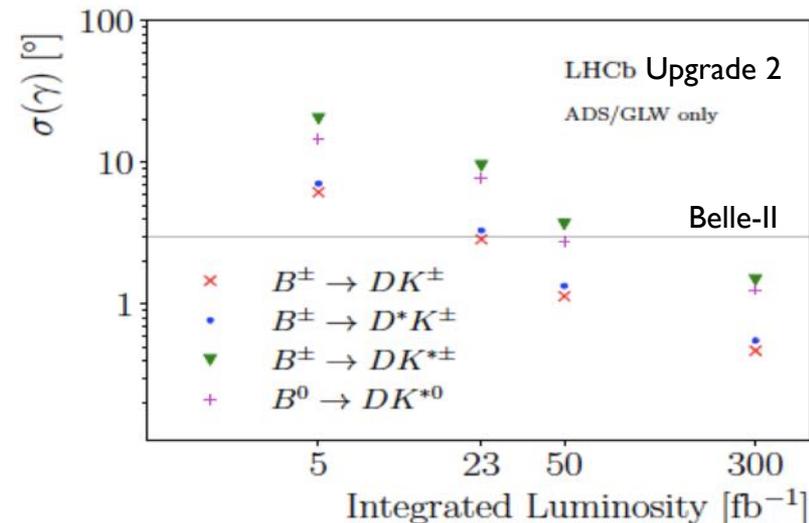
Excellent internal compatibility of GGSZ and GLW/ADS. Slight tension with still more precise loops determination:

$\gamma(\text{loops}) = 65.3^{+1.0}_{-2.5}^\circ$



Belle-II projections reach $\sigma(\gamma) \sim 3^\circ$ while **LHCb U1** should reach $\sigma(\gamma) \sim 1^\circ$, and **LHCb U2** should reach an **ultimate precision** $\sigma(\gamma) \sim 0.35^\circ$, which will allow for a comparison of **loops vs tree** with **similar precision**.

40



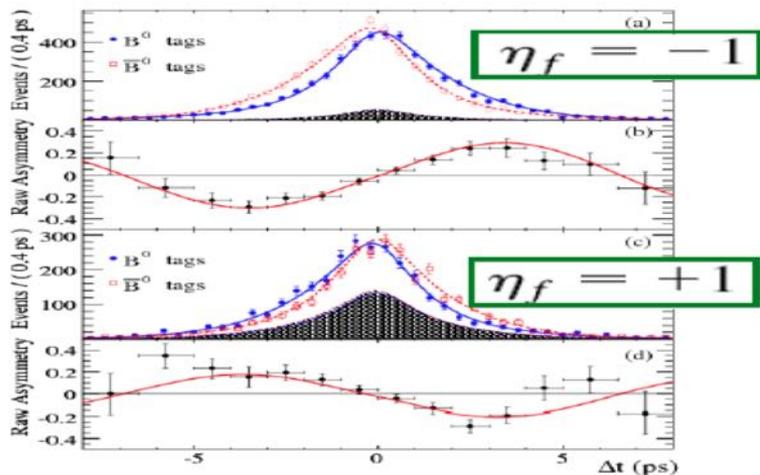


$\Delta F=2$ Box Measurements

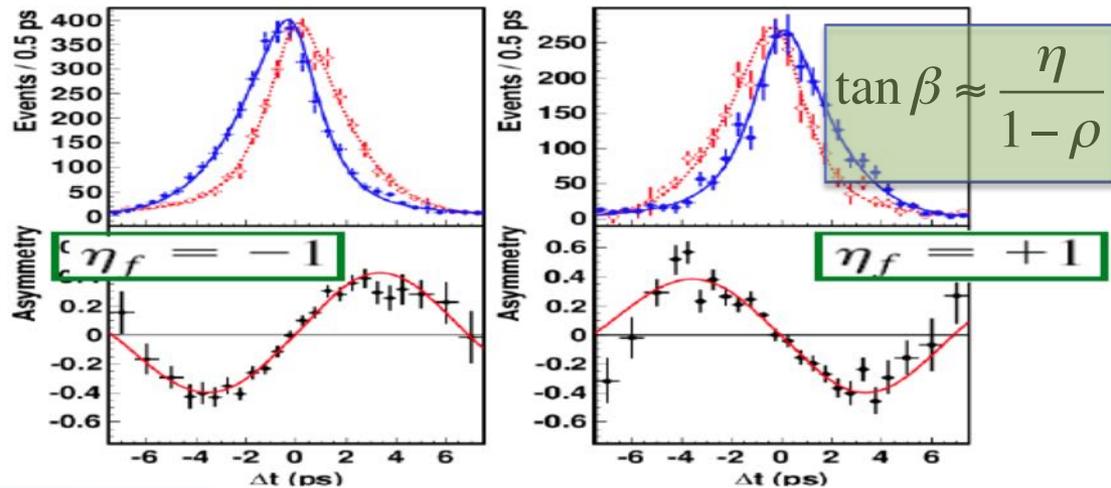
$\Delta F=2$ box in $b \rightarrow d$ transitions: V_{td} phase

$B \rightarrow J/\psi K_s(K_L)$

BABAR PRD 79 (2009) 072009



BELLE PRL 108 (2012) 171802

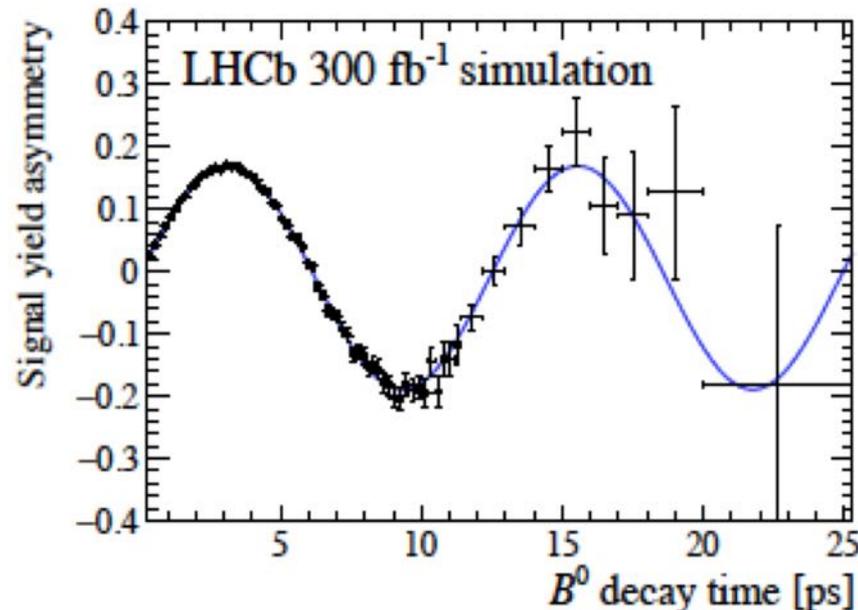


B-factories and LHCb (RUN-1) have measured β using $J/\psi K$ modes with similar precision :

$\sin(2\beta) = 0.690 \pm 0.018$ (2.6% precision)

However if there is NP affecting B_d mixing, the measurement is in reality $(\beta + \varphi_{bd}^{NP})$. **Need to compare to tree level determination.**

LHCb U1 and **Belle-II** will each reach $\sim 0.8\%$ while **LHCb U2** potential is $\sim 0.4\%$! . Statistics should allow to control penguin contributions.



$\Delta F=2$ box in $b \rightarrow s$ transitions: V_{ts} phase

Angular analysis is needed in $B_s \rightarrow J/\psi \Phi$ decays, to disentangle statistically the **CP-even and CP-odd** components.

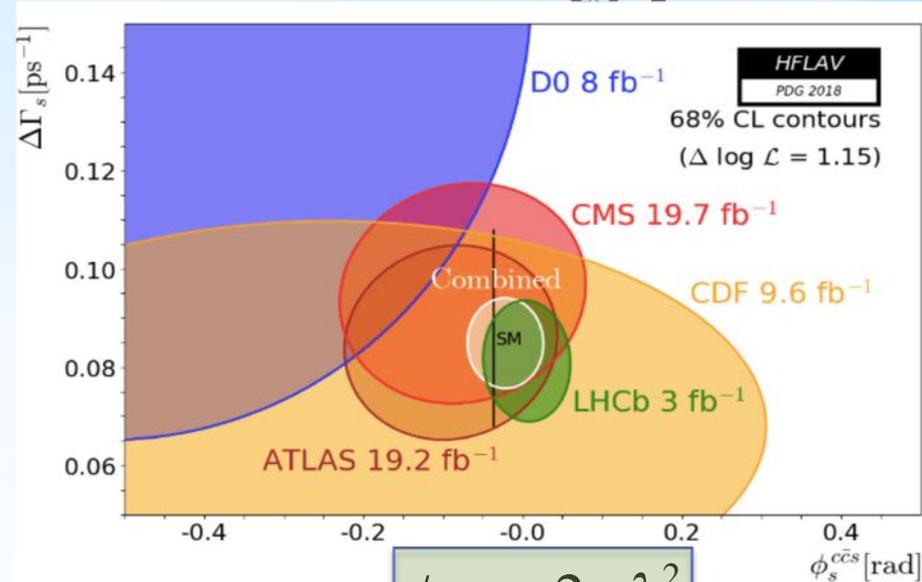
LHCb results most precise, but also ATLAS/CMS contribute to the combination using $B_s \rightarrow J/\psi K K$:

$$\varphi_s = (-21 \pm 31) \text{ mrad}$$

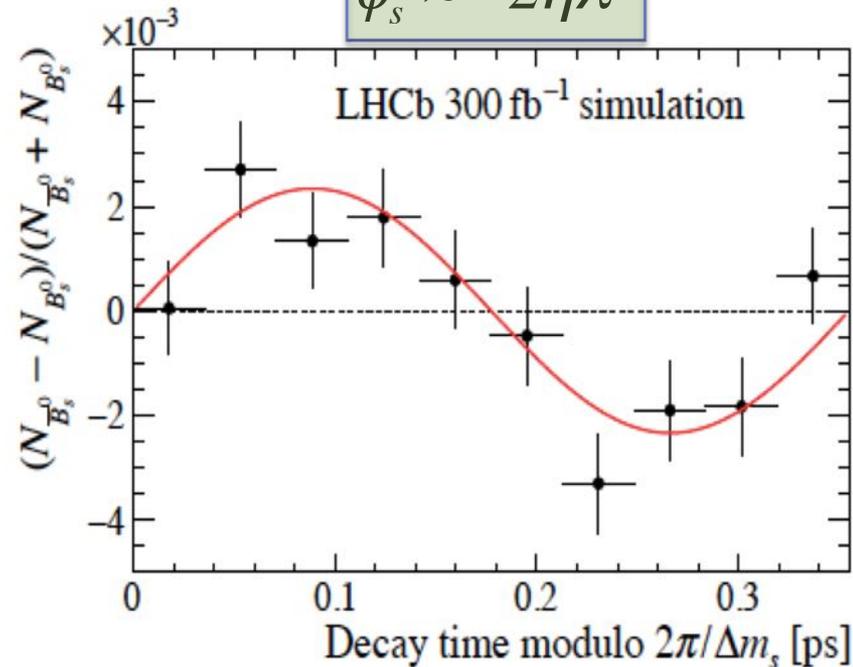
to be compared with $\varphi_s = (-37 \pm 2) \text{ mrad}$ using “tree level measurements”.

ATLAS/CMS may be able to reach a sensitivity better than **20 mrad with 3 ab^{-1}** .

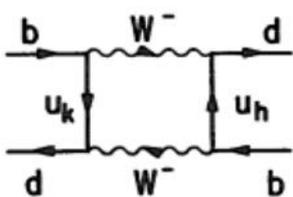
LHCb U2 sensitivity expected to be better than **3 mrad with 300 fb^{-1}** \rightarrow Should allow for a **meaningful trees vs loop comparison** also for $b \rightarrow s$ transitions.



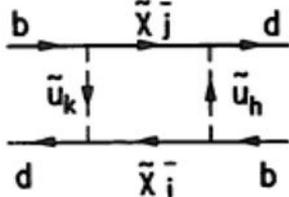
$$\phi_s \approx -2\eta\lambda^2$$



NP in $\Delta F=2$ box status today



$$\text{SM: } \frac{C_{\text{SM}}}{m_W^2}$$



$$\text{NP: } \frac{C_{\text{NP}}}{\Lambda^2}$$

$$\langle B_q^0 | M_{12}^{\text{SM}+\text{NP}} | \bar{B}_q^0 \rangle \equiv \Delta_q^{\text{NP}} \cdot \langle B_q^0 | M_{12}^{\text{SM}} | \bar{B}_q^0 \rangle$$

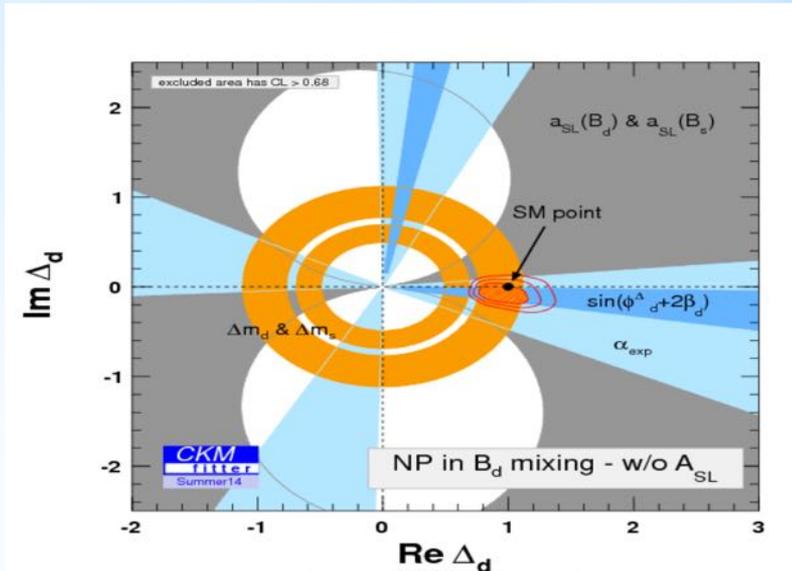
$$\Delta_q^{\text{NP}} = \text{Re}(\Delta_q) + i \text{Im}(\Delta_q) = |\Delta_q| e^{i\phi^{\Delta_q}}$$

No significant evidence of NP in B_d or B_s mixing .

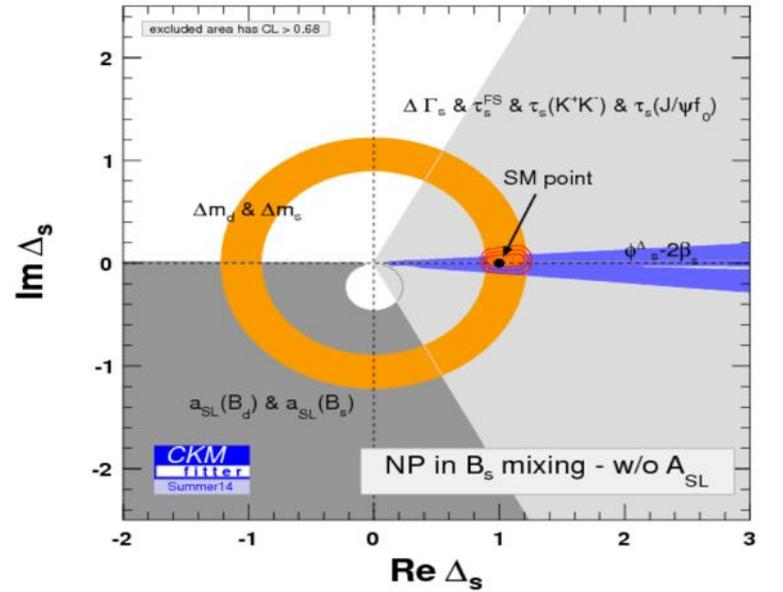
Remember that what is named SM prediction in these plots, is in fact the determination from other measurements (tree level).

New ϕ^{Δ_q} in box diagrams constrained @95%CL to be $<7^\circ$ ($<5^\circ$) for $B_d(B_s)$.

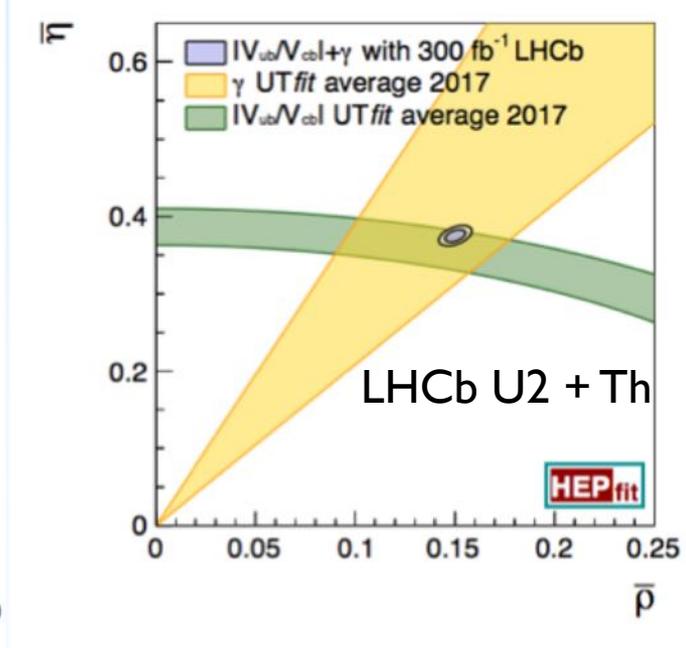
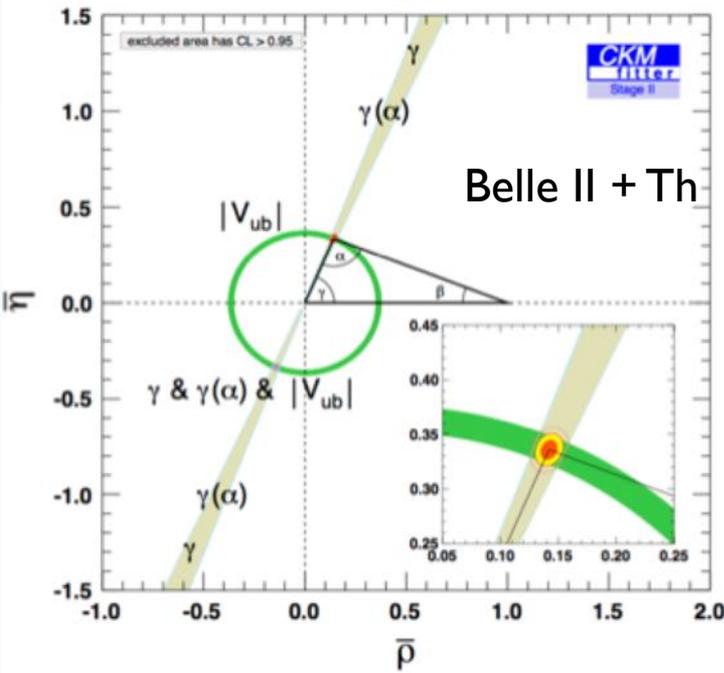
Need to increase precision to disentangle NP phases of few degrees in B_d and B_s mixing



arXiv:1501.05013



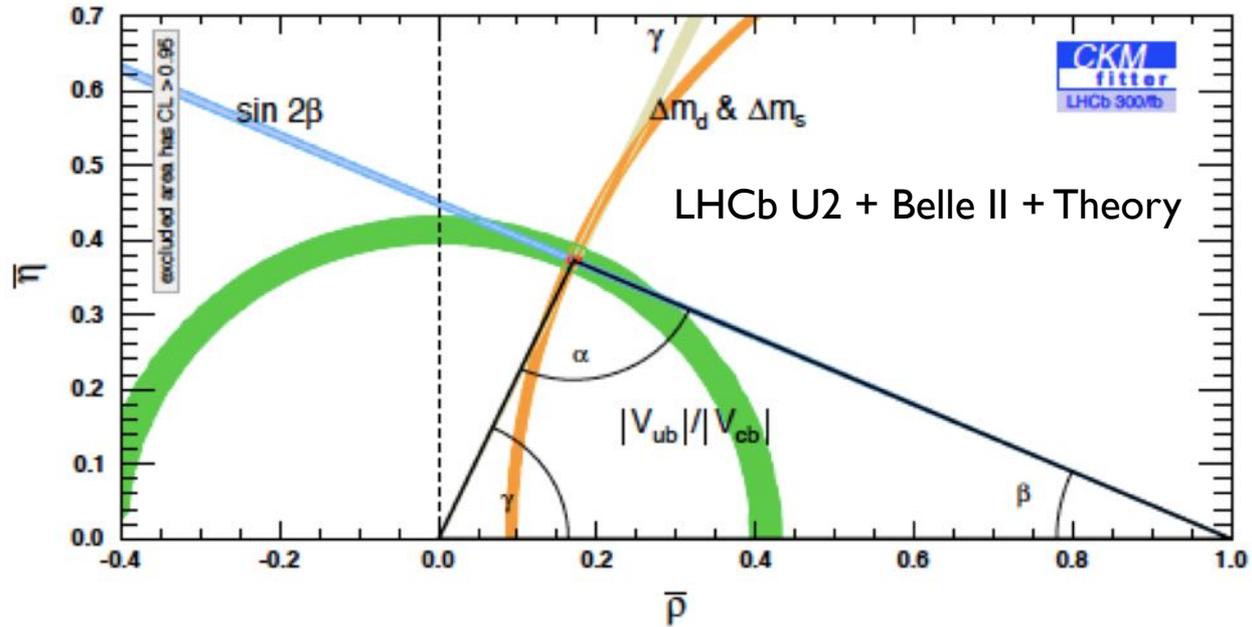
NP in $\Delta F=2$ box status ~ 2035



Circa 2035

From tree processes:
 $\sigma(\rho) \sim 2\%$, $\sigma(\eta) \sim 1\%$

From loop processes:
 $\sigma(\rho) \sim 1\%$, $\sigma(\eta) \sim 0.5\%$

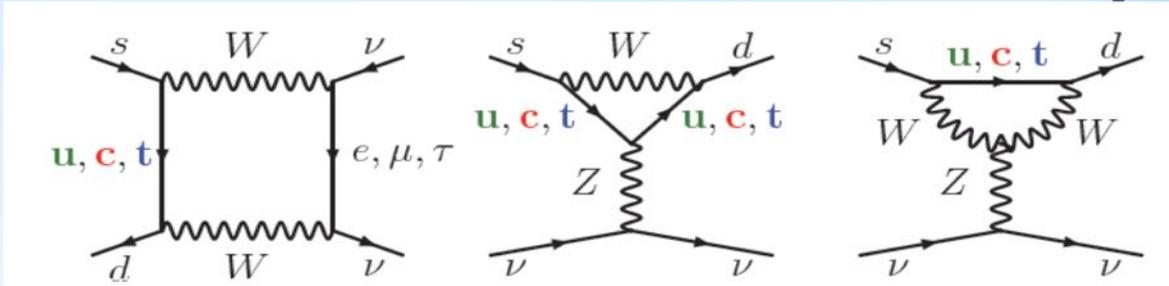




**$\Delta F=1$ EW
Penguins and
LNU in FCNC**

$\Delta F=1$ EW penguins in $s \rightarrow d$ transitions: Kaon decays

$$s \rightarrow d \quad (|V_{ts} V_{td}| \propto \lambda^5)$$



$K^+ \rightarrow \pi^+ \nu \nu$ and $K \rightarrow \pi^0 \nu \nu$ are certainly the “cleanest” Kaon decays (not long distance pollution affecting lepton modes, dominated by a single operator) and provide sensitivity to $|V_{td}|$.

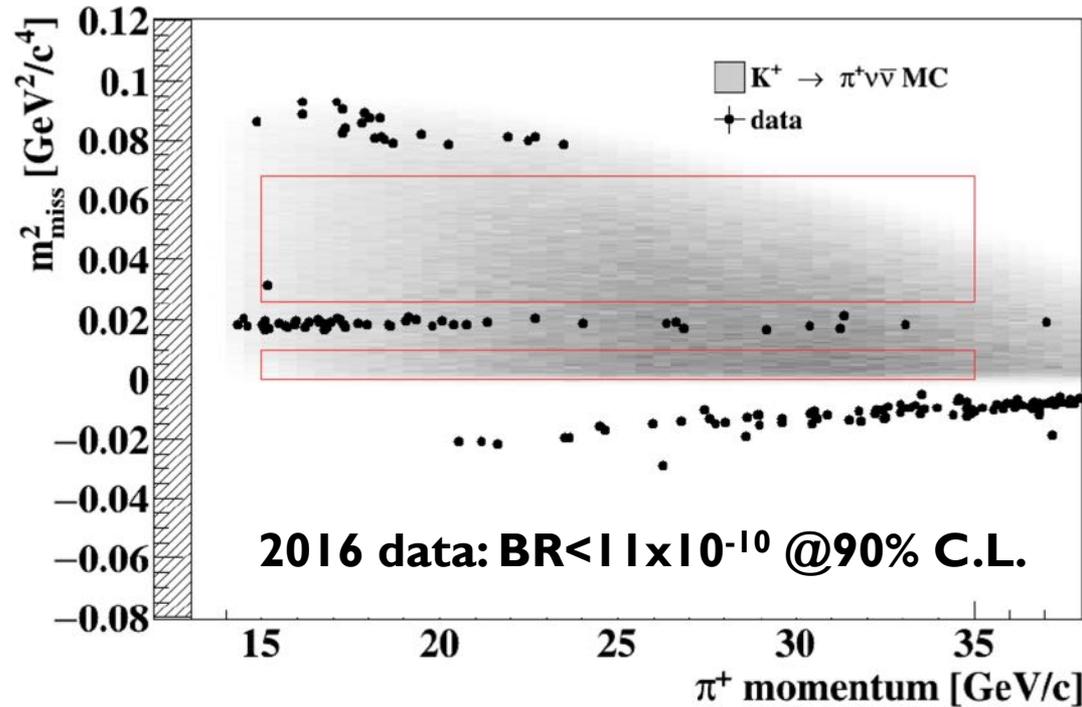
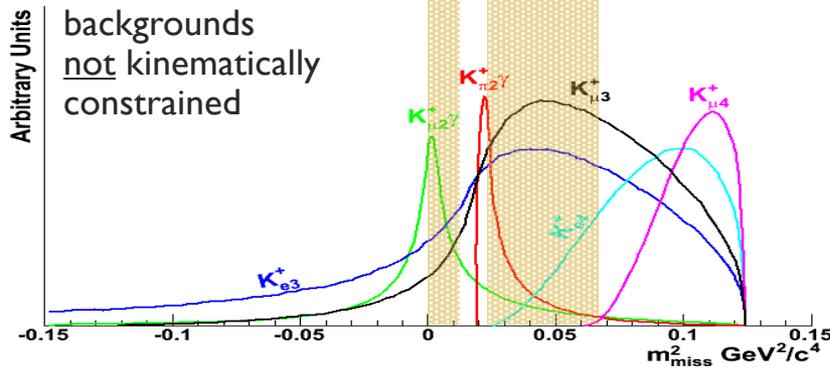
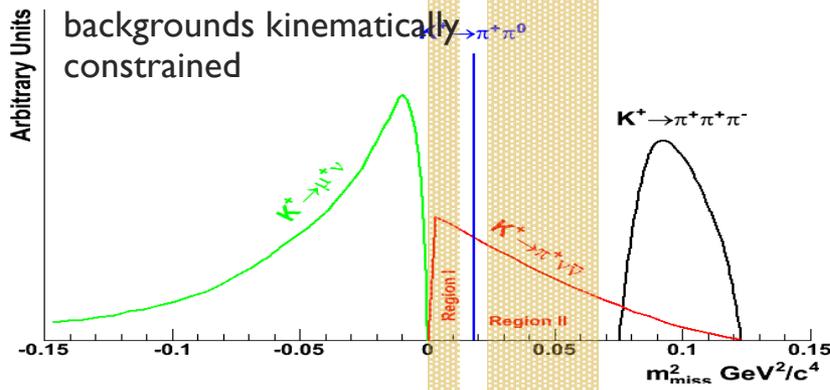
$BR_{TH}(K^+ \rightarrow \pi^+ \nu \nu) = (8.4 \pm 1.0) \times 10^{-11}$ and $BR_{TH}(K^0 \rightarrow \pi^0 \nu \nu) = (3.4 \pm 0.6) \times 10^{-11}$ both uncertainties are expected to be below 10% ultimately. The charged(neutral) mode is sensitive to CP-conserving(violating) NP.

BNL E787/E949 observed **7 $K^+ \rightarrow \pi^+ \nu \nu$ candidates** \rightarrow **$BR = (17 \pm 11) \times 10^{-11}$**
KEK E391 had **no $K^0 \rightarrow \pi^0 \nu \nu$ candidates** \rightarrow **$BR < 2.6 \times 10^{-8}$ @90% C.L.**

NA62 data taking 2016-2018. Only 2016 (10^{11} K^+ decays) analyzed so far. Expect by the **end of 2018 \sim x80 times more K^+ decays on tape.**

KOTO data taking 2012, 2015-2018. Only 2015 (10^9 K^0 decays) analyzed so far. Already **>x2 times more K^0 decays on tape.**

NA62 decay in flight technique



Process

$K^+ \rightarrow \pi^+ \nu \bar{\nu}$ (SM)

Total Background

Expected events in R1+R2

$0.267 \pm 0.001_{\text{stat}} \pm 0.020_{\text{syst}} \pm 0.032_{\text{ext}}$

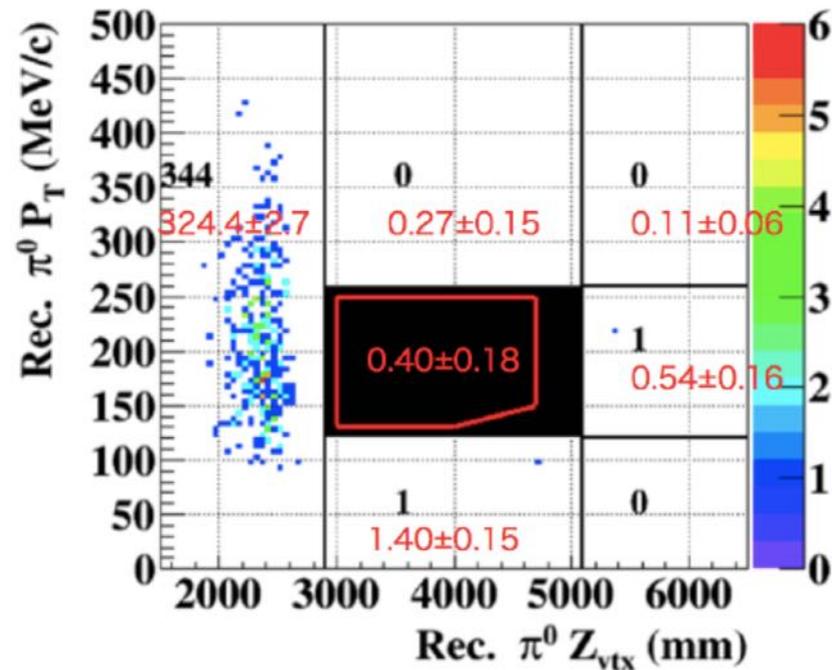
$0.15 \pm 0.09_{\text{stat}} \pm 0.01_{\text{syst}}$

Expect to have **~20 SM** signal events, and **improve S/B** (in particular reducing upstream bkg).
A measurement at the **10% level** of the branching ratio does not seem too way off.

KOTO: $K_L \rightarrow \pi^0 \nu \nu$

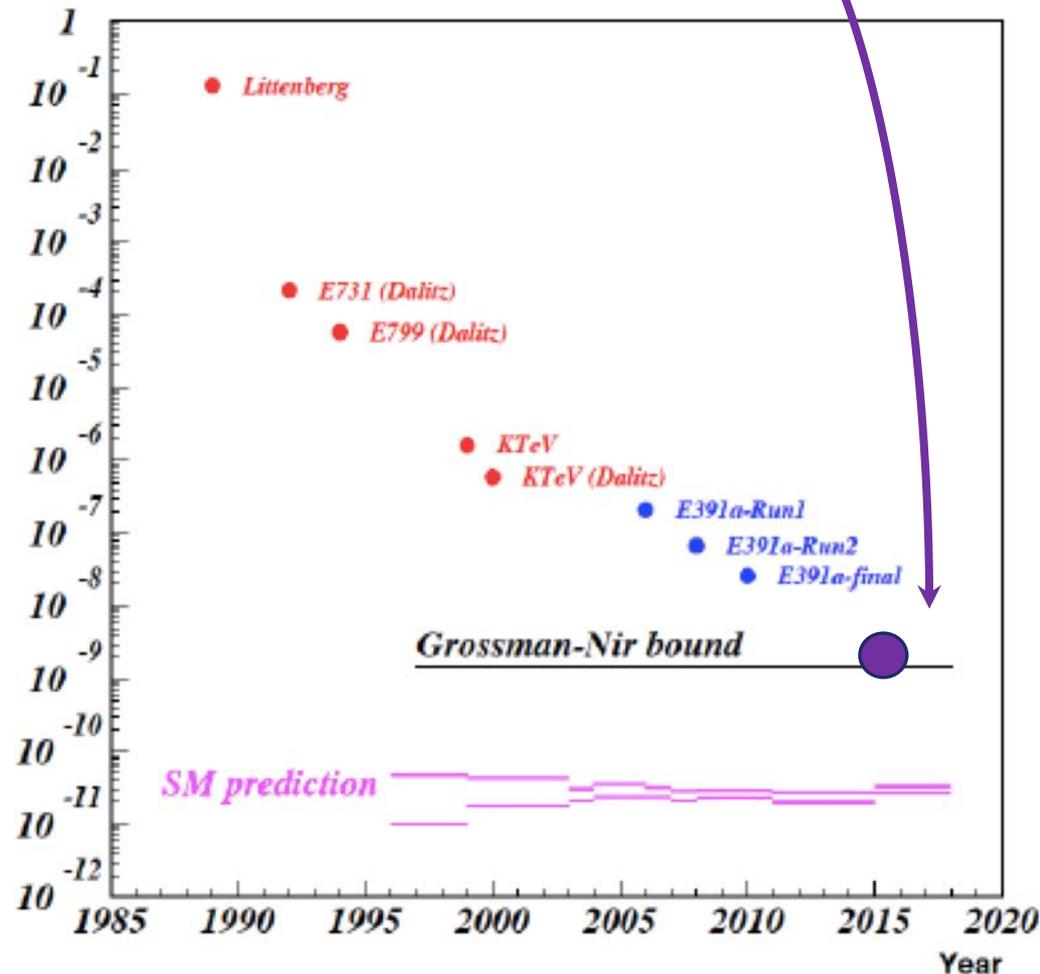
With **2015** data, **0** events observed, 0.4 bkg expected, negligible SM signal:

BR 3.0×10^{-9} @90% C.L.



With **2015-2018** data already expect to improve **sensitivity by x2**, and reach the Grossman-Nir bound!

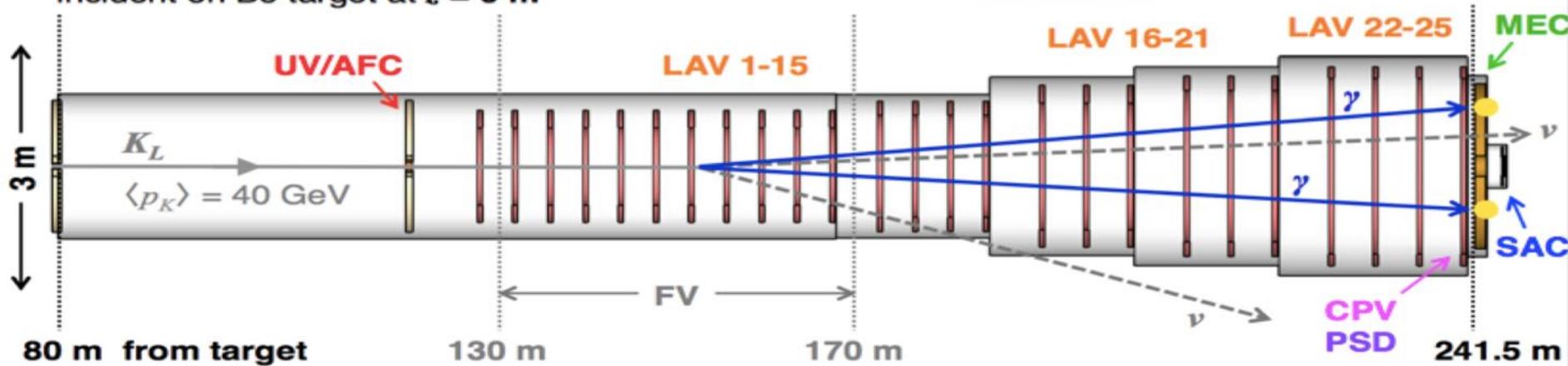
After 2018 summer, plans to improve detector and increase power from 50 kW to 90 kW. Reach 10^{-10} in a timely manner.



KLEVER: future $K_L \rightarrow \pi^0 \nu \nu$

400-GeV SPS proton beam 10^{19} PoT/year
incident on Be target at $z = 0$ m

M. Moulsson, ICHEP 2018



K_L EVER target sensitivity:
 5 years starting Run 4
 60 SM $K_L \rightarrow \pi^0 \nu \nu$
 $S/B \sim 1$
 $\delta BR/BR(\pi^0 \nu \nu) \sim 20\%$

Main detector/veto systems:

- UV/AFC** Upstream veto/Active final collimator
- LAV1-25** Large-angle vetoes (25 stations)
- MEC** Main electromagnetic calorimeter
- SAC** Small-angle vetoes
- CPV** Charged particle veto
- PSD** Pre-shower detector

Small-angle photon calorimeter system (SAC)

- Rejects high-energy γ s from $K_L \rightarrow \pi^0 \pi^0$ escaping through beam hole
- Must be insensitive as possible to 430 MHz of beam neutrons

Beam comp.	Rate (MHz)	Req. $1 - \epsilon$
$\gamma, E > 5$ GeV	50	10^{-2}
$\gamma, E > 30$ GeV	2.5	10^{-4}
n	430	-

$\Delta F=1$ Higgs penguins in $b \rightarrow d, s$ transitions

The pure leptonic decays of **K, D and B** mesons are an interesting case of EW penguin. The **helicity suppression** of the vector(-axial) terms, makes these decays particularly sensitive to **new (pseudo-)scalar** interactions \rightarrow **Higgs penguins!**

These decays are well predicted theoretically, and experimentally are exceptionally clean. Within the SM,

$$\begin{aligned} \text{BR}_{\text{SM}}(B_s \rightarrow \mu\mu) &= (3.66 \pm 0.23) \times 10^{-9} \\ \text{BR}_{\text{SM}}(B_d \rightarrow \mu\mu) &= (1.06 \pm 0.09) \times 10^{-10} \end{aligned} \quad \text{PRL 112 (2014) 101801}$$

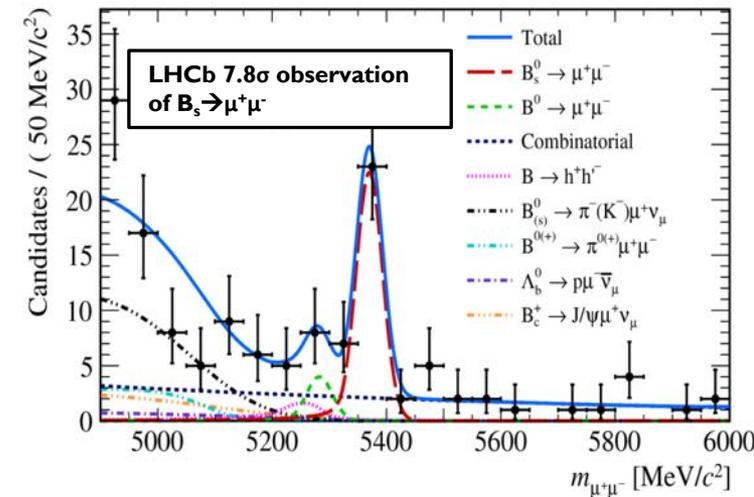
The combined RUN-1 analyses from LHCb and CMS were published in Nature 522, 68 (2015), as the first **5 σ** observation of the B_s decay, compatible with SM. ATLAS also produced compatible results with RUN-1 data although less precise.

LHCb has updated the RUN-1 analysis **including 1.7 fb⁻¹ RUN-2 data** and a first measurement of the effective $B_s \rightarrow \mu\mu$ lifetime, reaching a **$\sim 8\sigma$** observation of the B_s mode by a single experiment:

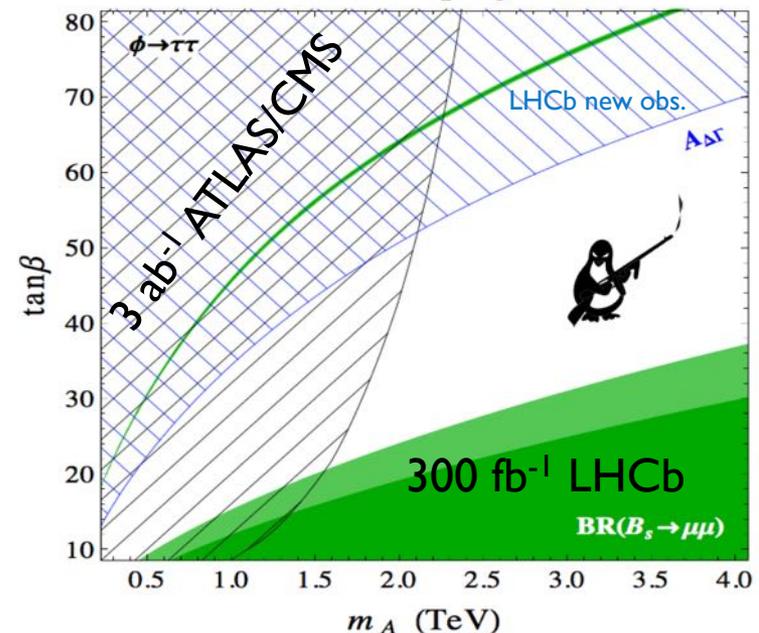
$$\begin{aligned} \text{BR}(B_s \rightarrow \mu\mu) &= (3.0 \pm 0.6^{+0.3}_{-0.2}) \times 10^{-9} \\ \text{BR}(B_d \rightarrow \mu\mu) &< 3.4 \times 10^{-10} \text{ @95\%C.L.} \end{aligned} \quad \text{arXiv:1703.05747}$$

Next in the priority list is to observe the B_d mode, and measure **R** = $\text{BR}(B_d \rightarrow \mu\mu) / \text{BR}(B_s \rightarrow \mu\mu)$. Needs **HL-LHC** to reach interesting precision: **CMS** can reach **20%** with 3ab^{-1} , and **LHCb U2** can reach **10%** with 300fb^{-1} . Any deviation from the SM prediction known within 1%, would imply **NP with non-MFV** structure.

Large statistics will allow to measure new observables: effective lifetime ($\sim 2\%$), CPV,...



LHCb Run 5 projection

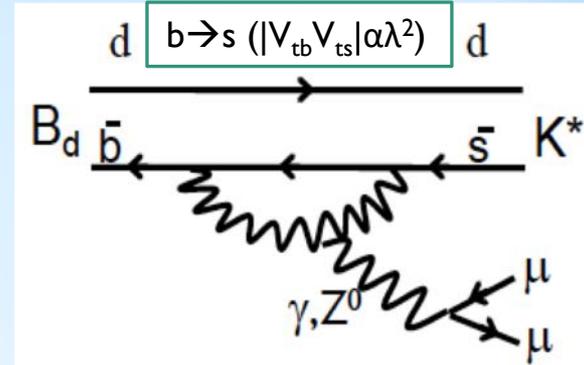


$\Delta F = IEW$ penguins in $b \rightarrow s$ transitions: $B \rightarrow K^* \mu^+ \mu^-$ angular analysis

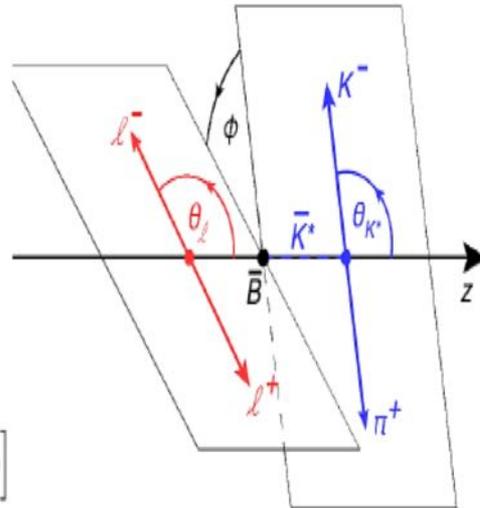
$B \rightarrow K^* \mu^+ \mu^-$ is the **golden mode** to test **new vector(-axial) couplings** in $b \rightarrow s$ transitions.

$K^* \rightarrow K \pi$ is **self tagged** (if your experiment has hadron ID), hence angular analysis ideal to test helicity structure.

Sensitivity to C_7, C_9 and C_{10} and their primed counterparts.



$$\frac{1}{d(\Gamma + \bar{\Gamma})/dq^2} \frac{d^3(\Gamma + \bar{\Gamma})}{d\vec{\Omega}} \Big|_P = \frac{9}{32\pi} \left[\frac{3}{4}(1 - F_L) \sin^2 \theta_K + F_L \cos^2 \theta_K \right. \\ \left. + \frac{1}{4}(1 - F_L) \sin^2 \theta_K \cos 2\theta_l \right. \\ \left. - F_L \cos^2 \theta_K \cos 2\theta_l + S_3 \sin^2 \theta_K \sin^2 \theta_l \cos 2\phi \right. \\ \left. + S_4 \sin 2\theta_K \sin 2\theta_l \cos \phi + S_5 \sin 2\theta_K \sin \theta_l \cos \phi \right. \\ \left. + \frac{4}{3} A_{FB} \sin^2 \theta_K \cos \theta_l + S_7 \sin 2\theta_K \sin \theta_l \sin \phi \right. \\ \left. + S_8 \sin 2\theta_K \sin 2\theta_l \sin \phi + S_9 \sin^2 \theta_K \sin^2 \theta_l \sin 2\phi \right]$$



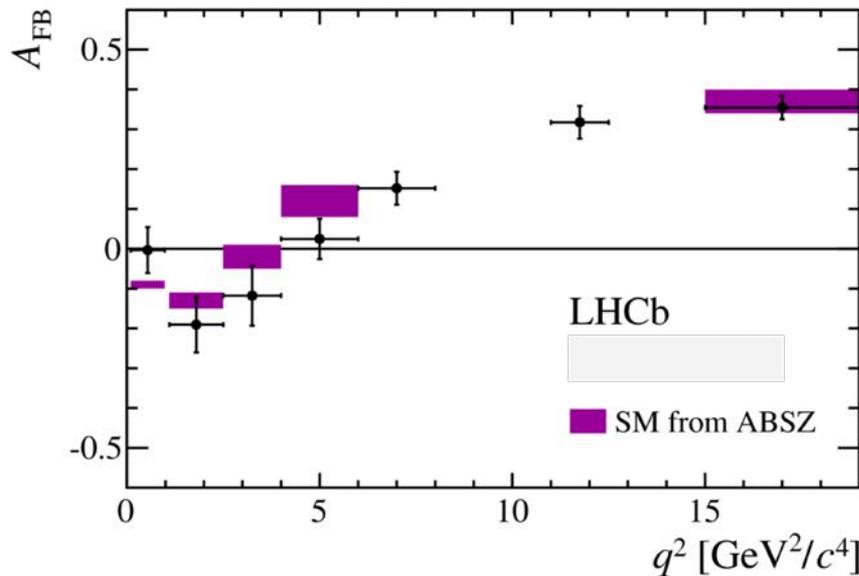
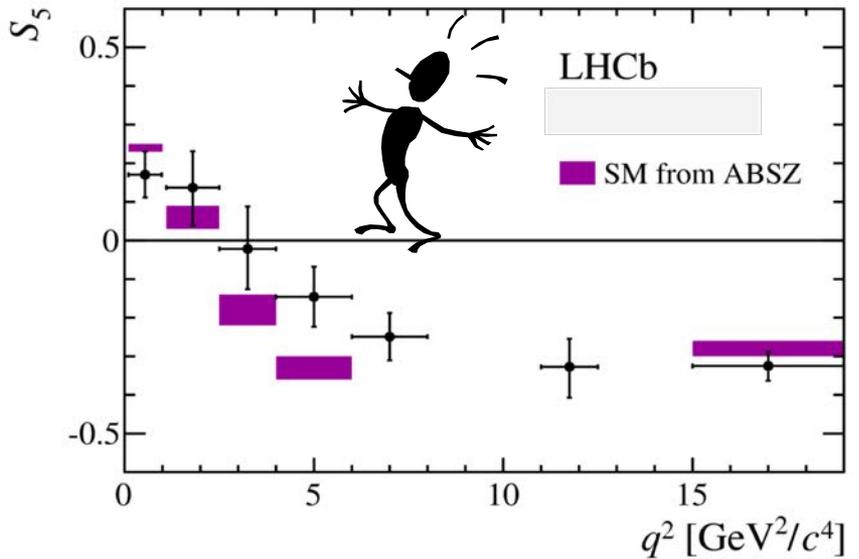
	sens. at low q^2	sens. at high q^2
F_L	$C_{7,9}, C'_{9,10}$	$C'_{9,10}$
A_{FB}	C_7, C_9	$C_{9,10}, C'_{9,10}$
S_3	$C'_{7,10}$	$C'_{9,10}$
S_4	$C_{7,10}, C'_{7,10}$	$C'_{9,10}$
S_5	$C_{7,9}, C'_{7,9,10}$	$C_9, C'_{9,10}$

Results from **B-factories** and **CDF** were very much **limited by the statistical uncertainty**. **LHCb, ATLAS and CMS** already had the largest sample after RUN-I.

LHCb $B \rightarrow K^* \mu^+ \mu^-$ full angular analysis

JHEP 02 (2016) 104

SM: Aoife Bharucha, Straub, Zwicky, arXiv:1503.05534



LHCb « Tour de force » full angular analysis performed for the first time using RUN-1 data.

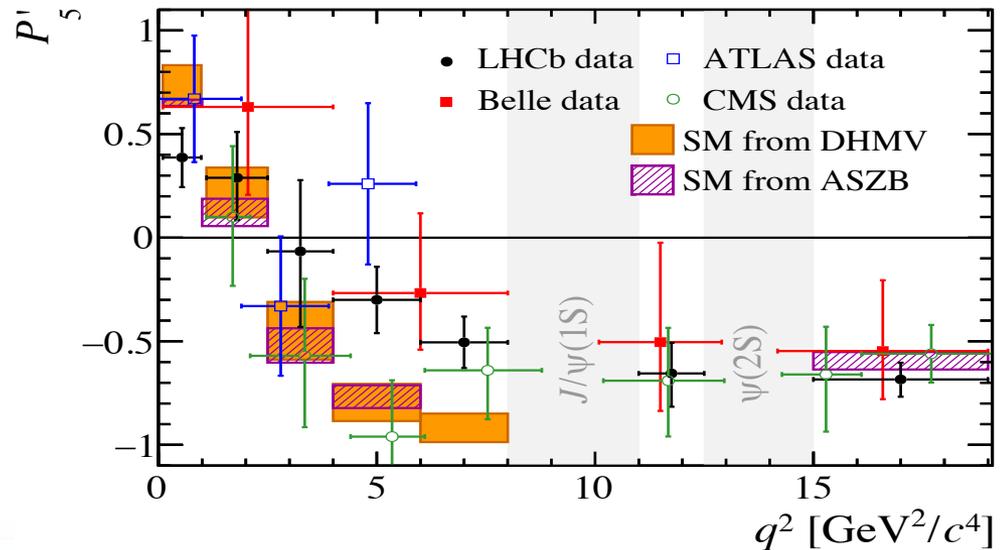
Most of the distributions are in good agreement with the expectations, with only some hints for deviations for the CP-averaged measurements of S_5 and A_{FB} .

$$S_5 \sin 2\theta_K \sin \theta_l \cos \phi$$

$$P'_5 = \frac{S_5}{\sqrt{F_L(1-F_L)}}$$

$$\frac{4}{3} A_{FB} \sin^2 \theta_K \cos \theta_l$$

Belle P'_5 (I-D, electrons+muons) results in 2016 also seem to confirm LHCb results, albeit with large uncertainties.



$\Delta F = IEW$ penguins in $b \rightarrow s$ transitions: Implications

The overall fit of $b \rightarrow s \mu \mu$ measurements assuming the SM has a **p-value of $\sim 1\%$** . Few measurements have a pull larger than 2σ

EPJ 75: 382 (2015)

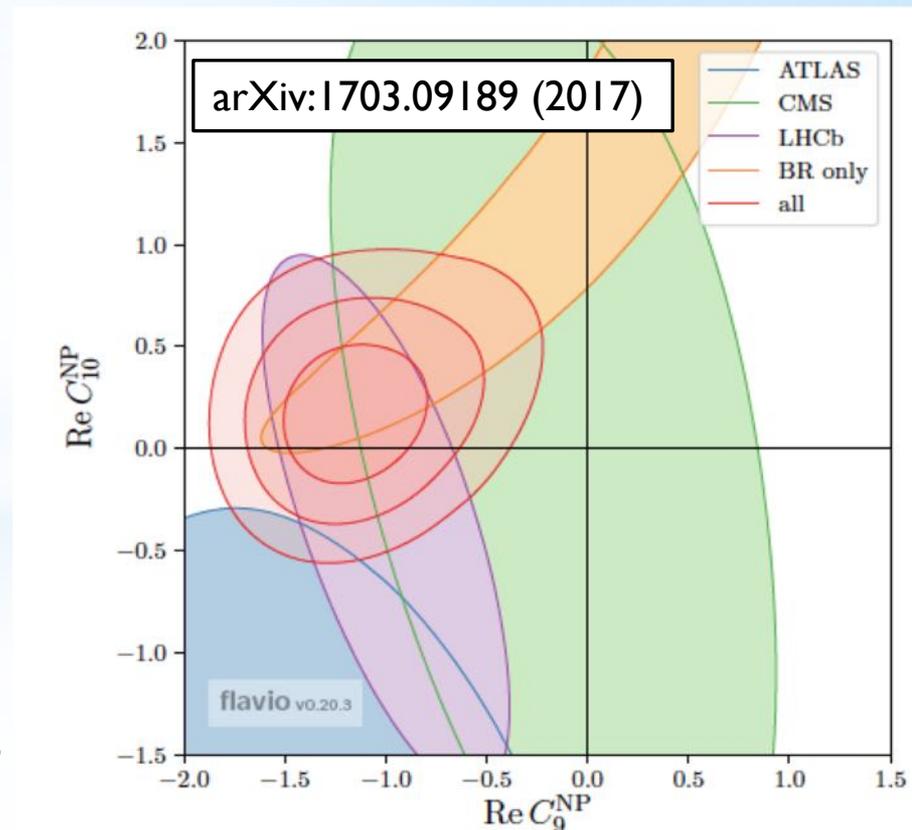


Decay	Obs.	q^2 bin	SM pred.	Measurement		Pull
$B_s \rightarrow \phi \mu^+ \mu^-$	$10^7 \frac{dBR}{dq^2}$	[1, 6]	0.48 ± 0.06	0.23 ± 0.05	LHCb	+3.1
$\bar{B}^0 \rightarrow \bar{K}^{*0} \mu^+ \mu^-$	F_L	[2, 4.3]	0.81 ± 0.02	0.26 ± 0.19	ATLAS	+2.9
$\bar{B}^0 \rightarrow \bar{K}^0 \mu^+ \mu^-$	$10^8 \frac{dBR}{dq^2}$	[16, 23]	0.93 ± 0.12	0.37 ± 0.22	CDF	+2.2
$\bar{B}^0 \rightarrow \bar{K}^{*0} \mu^+ \mu^-$	S_5	[4, 6]	-0.33 ± 0.03	-0.15 ± 0.08	LHCb	-2.2
$B^- \rightarrow K^{*-} \mu^+ \mu^-$	$10^7 \frac{dBR}{dq^2}$	[4, 6]	0.54 ± 0.08	0.26 ± 0.10	LHCb	+2.1

While it could very well be that **theoretical and/or experimental uncertainties are underestimated**, it is also a fact that allowing for **non-SM Wilson coefficients improves the p-value**. For instance, reducing C_9^{SM} by **25%** improves the quality of the fit to **$p \sim 11\%$** .

Coeff.	best fit	1σ	2σ	pull
C_9^{NP}	-1.21	[-1.41, -1.00]	[-1.61, -0.77]	5.2 σ
C_9'	+0.19	[-0.01, +0.40]	[-0.22, +0.60]	0.9 σ
C_{10}^{NP}	+0.79	[+0.55, +1.05]	[+0.32, +1.31]	3.4 σ
C_{10}'	-0.10	[-0.26, +0.07]	[-0.42, +0.24]	0.6 σ

$$\text{pull} \equiv \sqrt{x_{SM}^2 - x_{\text{best fit}}^2}$$



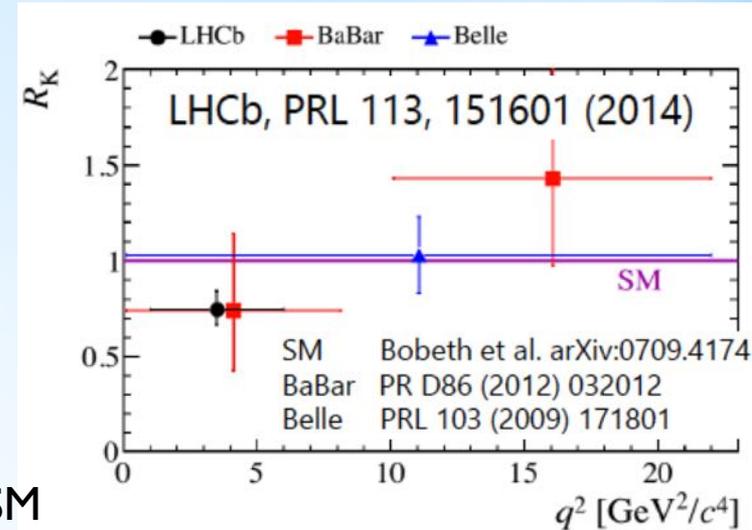
Lepton Non-Universality in EW penguins

While NP could induce lepton non-universality in $b \rightarrow s$ ll transitions, hadronic uncertainties cannot do so. RUN-I **LHCb** measurement of R_K (low q^2):

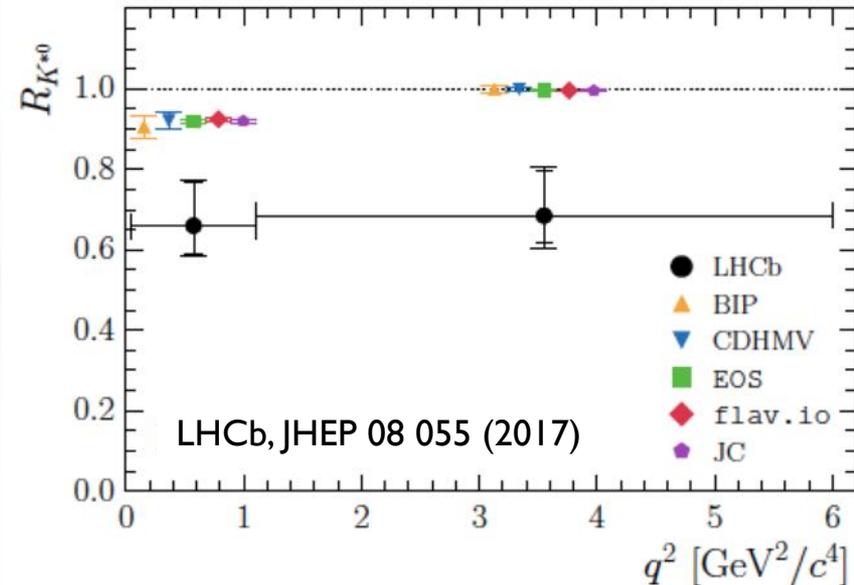
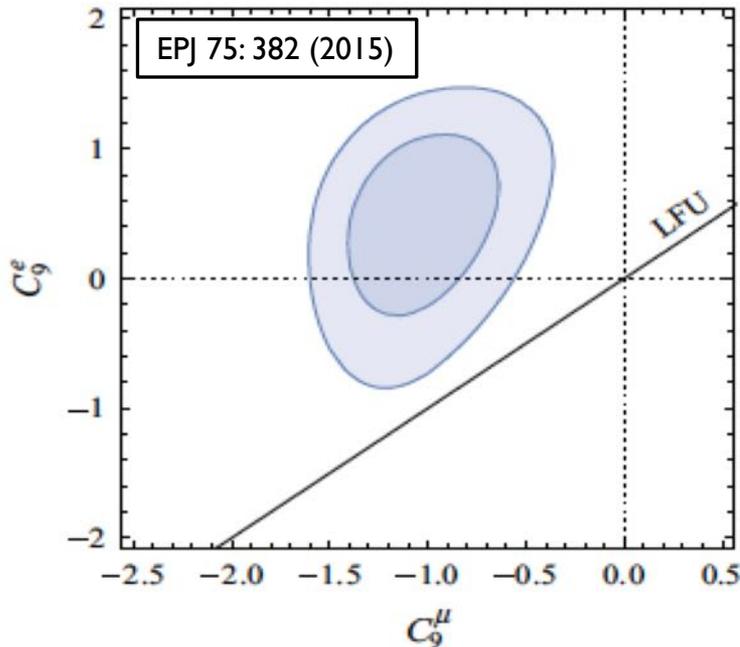
$$R_K = \frac{\text{BR}(B_u^+ \rightarrow K^+ \mu^+ \mu^-)}{\text{BR}(B_u^+ \rightarrow K^+ e^+ e^-)} = 0.745_{-0.074}^{+0.090}(\text{stat.}) \pm 0.036(\text{syst.})$$

Shows a discrepancy (2.6σ) with the SM prediction.

$B^\pm \rightarrow K^\pm ee$ agrees with SM. A global fit, hence, shows $C_9^e \sim \text{SM}$ while $C_9^\mu \sim \text{non-SM}$. Using the fitted values for the Wilson coefficients, one can predict a similar $\sim(20-30)\%$ reduction on:



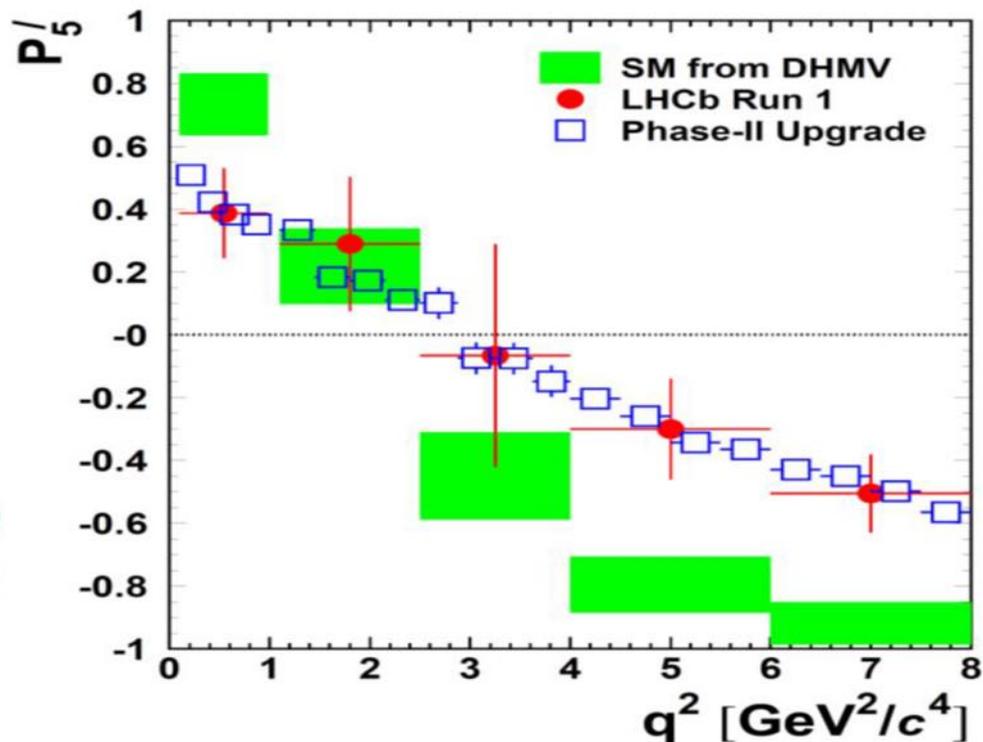
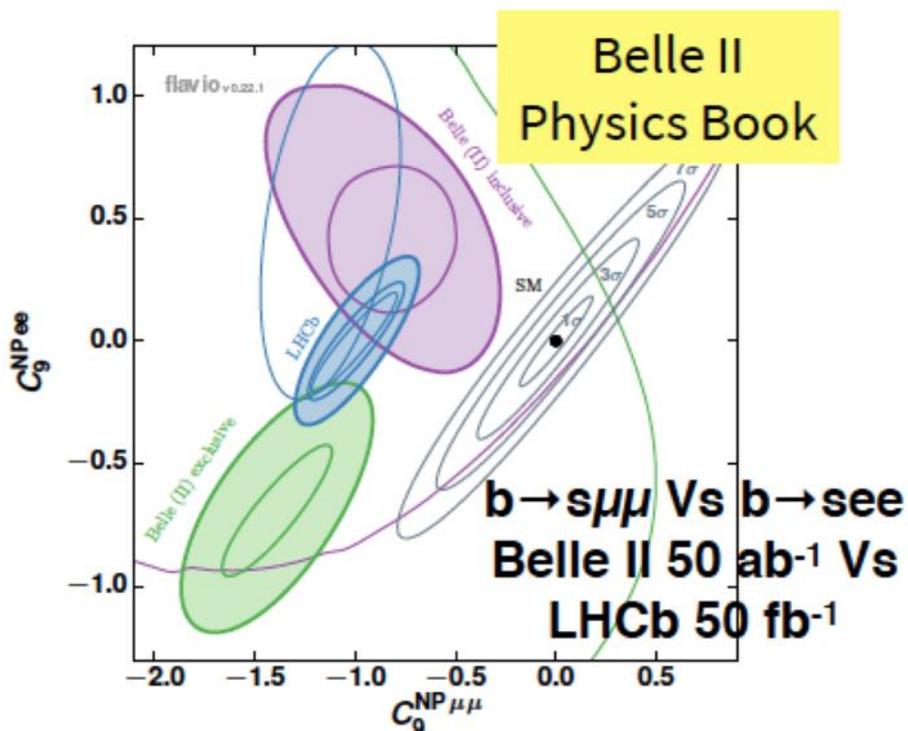
$$R_K = \frac{\text{Br}(B \rightarrow K \mu^+ \mu^-)}{\text{Br}(B \rightarrow K e^+ e^-)}, \quad R_{K^*} = \frac{\text{Br}(B \rightarrow K^* \mu^+ \mu^-)}{\text{Br}(B \rightarrow K^* e^+ e^-)}, \quad R_\phi = \frac{\text{Br}(B_s \rightarrow \phi \mu^+ \mu^-)}{\text{Br}(B_s \rightarrow \phi e^+ e^-)}$$



What can the future experiments do?

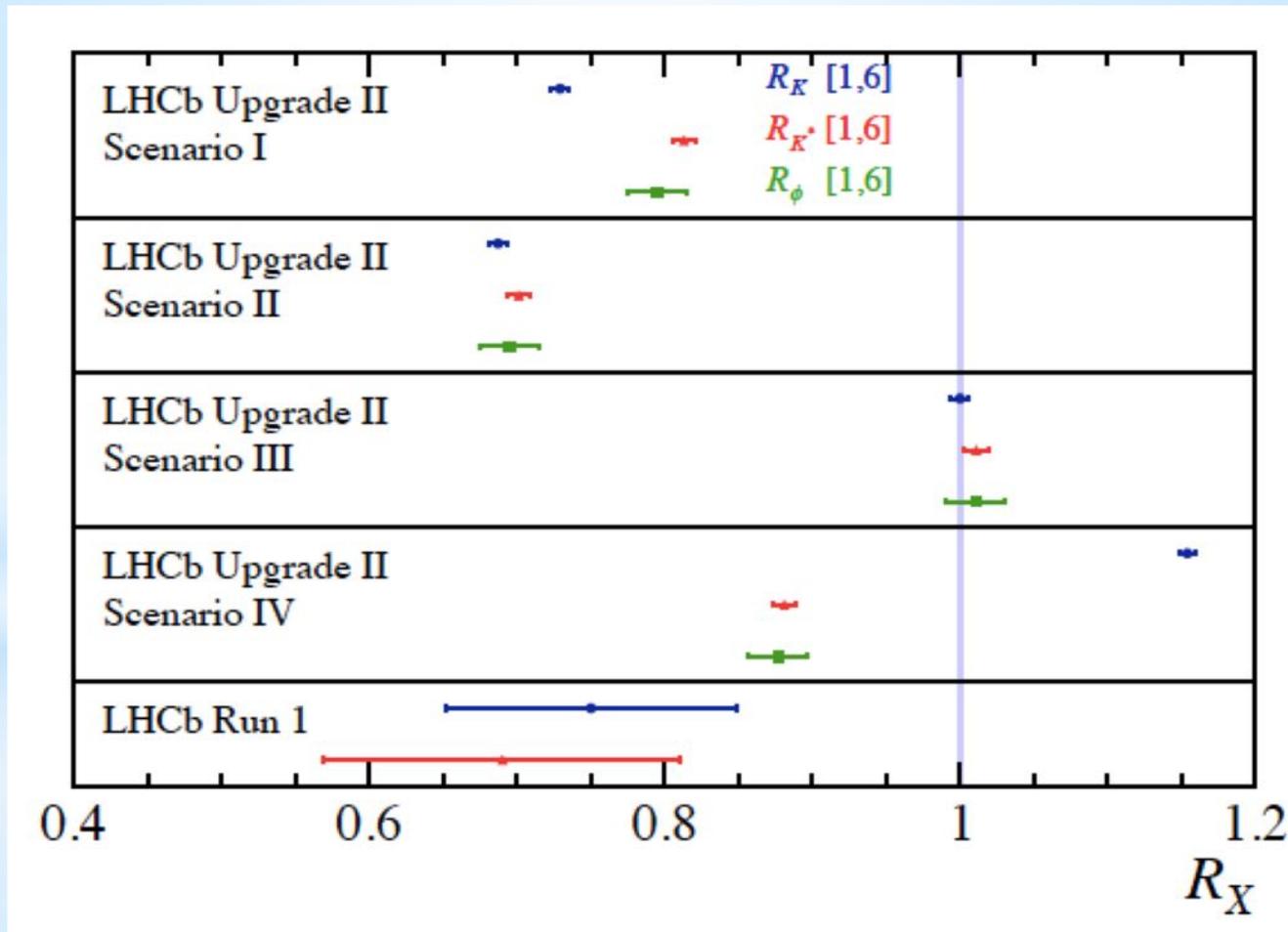
With the current size of LNU effects, **Belle-II** and **LHCb UI** should clearly establish **NP**. However, for a **comprehensive study** including many other $b \rightarrow sll$ transitions, and for a clear observation of LNU effects in angular observables ($b \rightarrow see$) the **LHCb U2** is necessary.

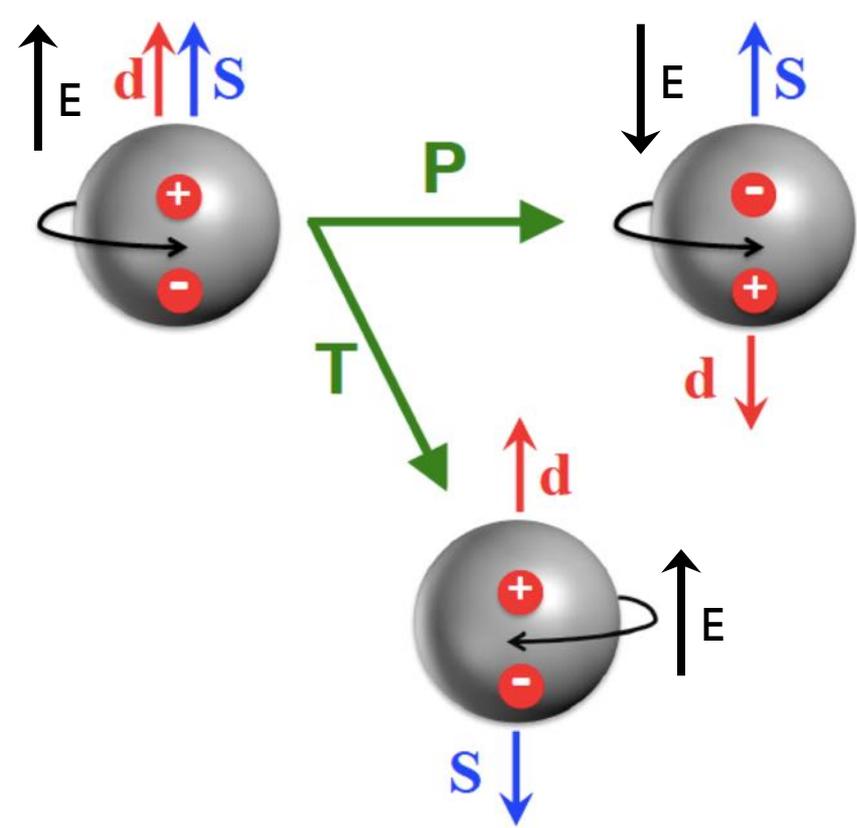
Observable	Current LHCb	LHCb 2025	Belle II	Upgrade II	ATLAS & CMS
EW Penguins					
$R_K (1 < q^2 < 6 \text{ GeV}^2 c^4)$	0.1 [255]	0.025	0.036	0.007	–
$R_{K^*} (1 < q^2 < 6 \text{ GeV}^2 c^4)$	0.1 [254]	0.031	0.032	0.008	–
R_ϕ, R_{pK}, R_π	–	0.08, 0.06, 0.18	–	0.02, 0.02, 0.05	–



What can the future experiments do?

LHCb U2 statistics (and improved calorimeter) needed for a meaningful **angular analysis in $b \rightarrow \text{see}$** transitions. Access to **several other LNU tests** with enough precision should allow to **discriminate NP scenarios!**





$\Delta F=0$ EDM Measurements

Future Nucleon EDMs

Best current sensitivity on neutron EDMs from ILL, with data collected (1998-2002):

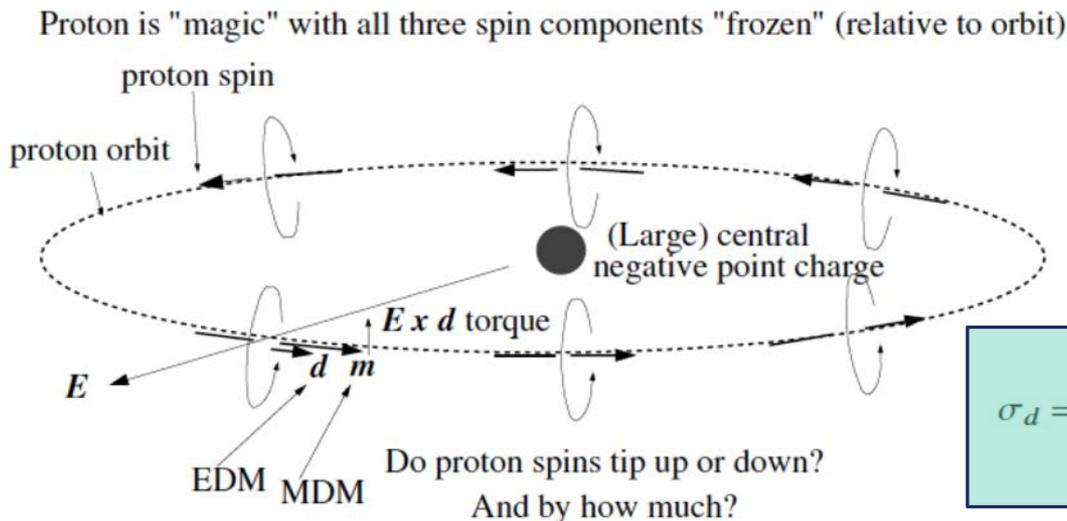
$$d_n < 3.6 \times 10^{-26} \text{ e cm @95\% CL.}$$

PRD92 092003 (2015)

Current effort lead by PSI (**nEDM** Collaboration), expect sensitivity to 10^{-26} e cm with data collected (2015-16). **FRM-II** reactor (Munich) could also reach similar sensitivities

Future efforts at PNPI-ILL, PSI and in particular at **SNS (Oak Ridge)** promises $O(10^{-28})$.

Proposal to use the “**frozen spin**” in all-electric storage ring (~500m circumference) with polarized **p** at the “**magic**” momentum **701 MeV**. Measure difference between **vertical polarization** at earlier and later times, extracting part of the beam in a polarimeter. Control systematics using CW and CCW beams (different effect of residual B field).



$$\vec{\omega}_a = -\frac{q}{m} \left[a_\mu \vec{B} + \left(-a_\mu + \frac{1}{\gamma^2 - 1} \right) \vec{\beta} \times \frac{\vec{E}}{c} \right].$$

$$\vec{\omega}_{\text{EDM}} = -\eta \frac{q}{2m} \left(\vec{\beta} \times \vec{B} + \frac{\vec{E}}{c} \right) = -\frac{\eta}{2mc} \vec{F},$$

$$\sigma_d = \frac{2\hbar}{PAE_0 \sqrt{N_{\text{tot},c} T_{\text{tot},f} \tau_{\text{SCT}}}} \sim 2 \times 10^{-29} \text{ e cm (year)}$$

Take Home Messages

The **SM** has **no explanation for flavour**. **FCNC** is one of the most powerful tools to get **indirect information about NP**, that ideally should provide an explanation for the quark and lepton masses and mixings parameters.

Experiments in the next **10 to 20 years** should improve by **several order of magnitude** what we know about **LFV** in **muon** and **tau** decays.

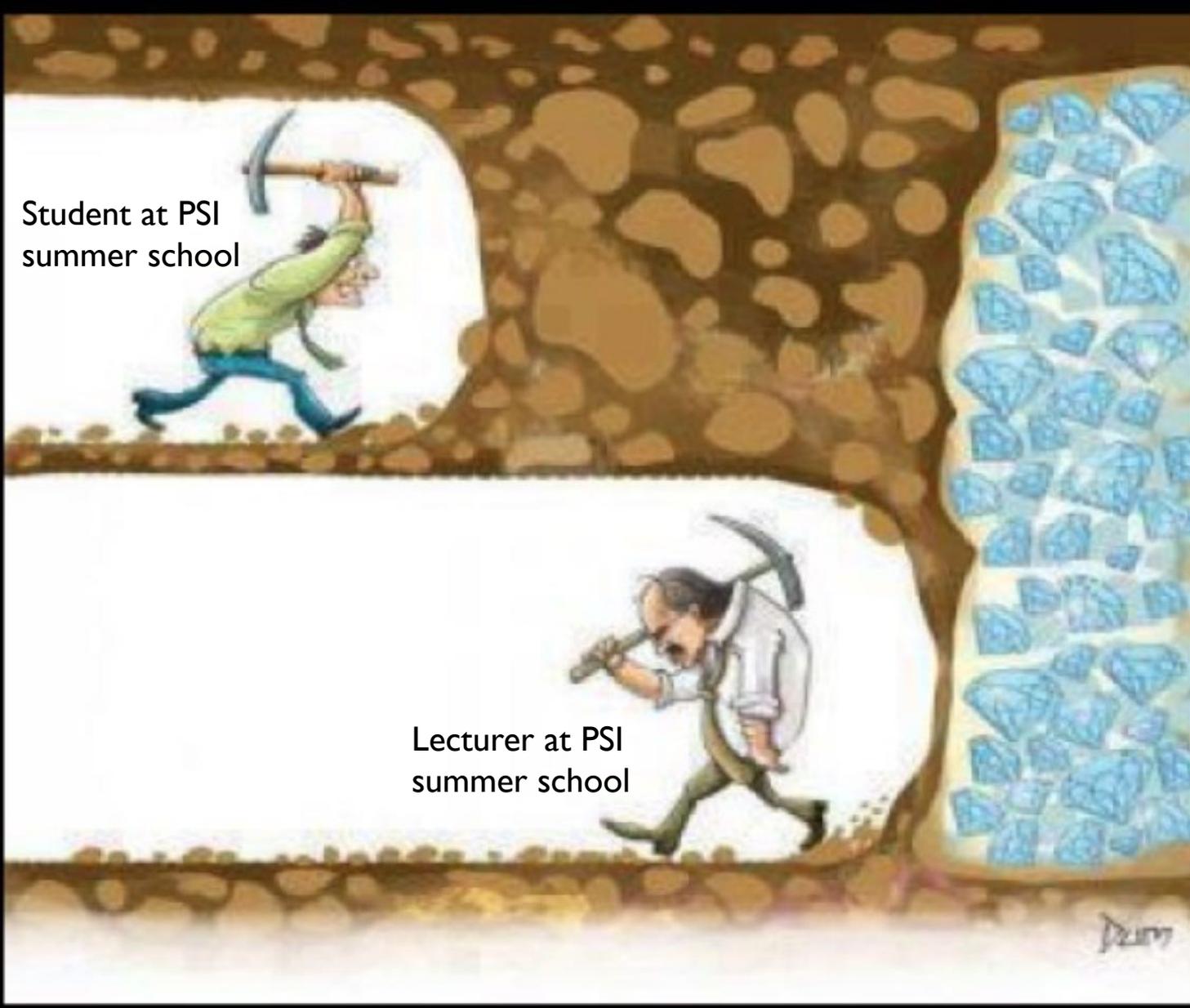
Should **improve by $O(10)$** the precision we have today on the **CKM parameters** in the **quark sector**, and provide **very powerful constrains in rare decays**.

New proposals to improve the precision on **nucleon EDMs** by **orders of magnitude**, may provide evidence for **new sources of CP violation**.

It could very well be that the so called “**B-anomalies**” are here to stay. We should find out soon with the LHC data and the startup of KEKB. If they are **confirmed**, **HL-LHC** and the **LHCb U2** are crucial to **discriminate between NP models**.

Don't give up yet!

Student at PSI
summer school



Lecturer at PSI
summer school