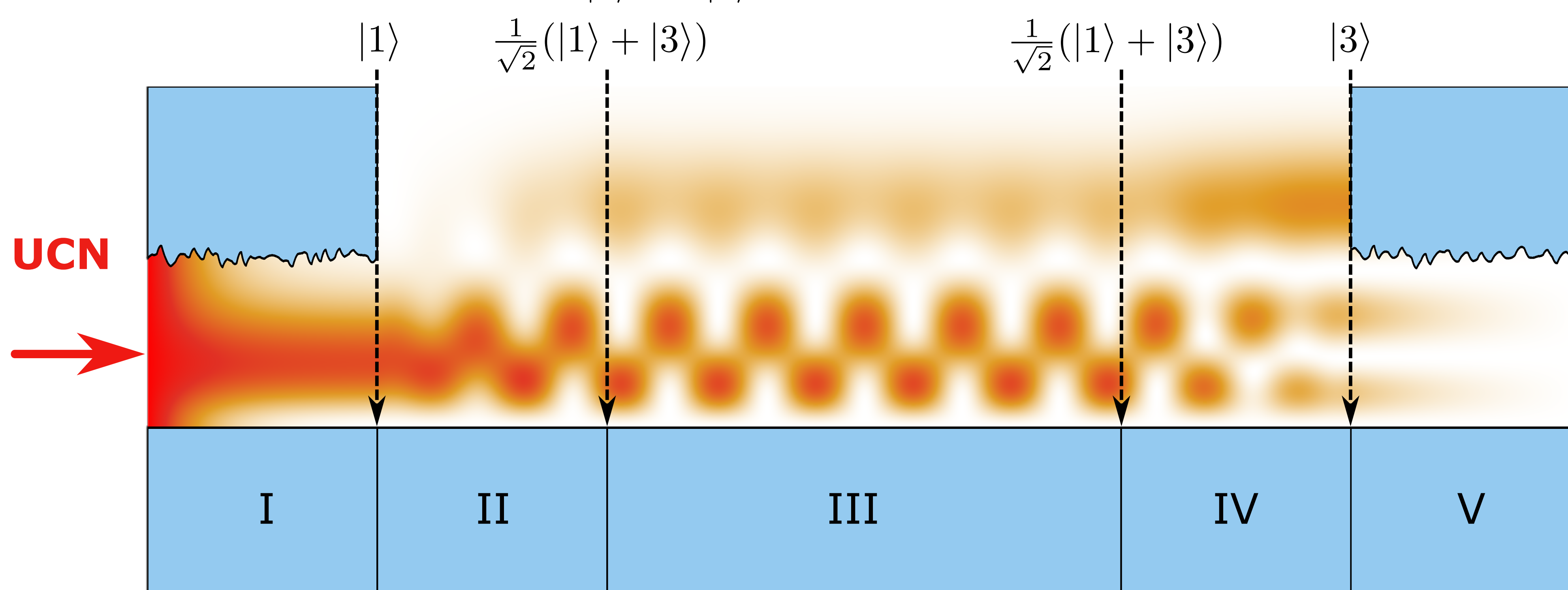


## Abstract

The **qBOUNCE** experiment investigates gravity at small distances. This is done using high precision frequency based spectroscopic methods. **Ultracold neutrons (UCNs)** form macroscopic bound states above a flat surface in the gravity potential of the Earth, connecting the quantum mechanical neutron wavefunction and gravity. Using this system we developed techniques for **Gravity Resonance Spectroscopy (GRS)** [1,2]. We realized a proof of principle with **Ramsey's method of separated oscillating fields** with gravitationally bound UCNs [3]. This method can be used to probe any interaction that couples to the neutron and shifts the eigenenergies of the neutron. Previous iterations of the qBounce experiment implemented GRS in a Rabi configuration and set limits on chameleon dark energy, axion-like **dark matter** and symmetron **dark energy** scenarios [4].

The qBounce experiment is located at the UCN source **PF2** at the **Institut Laue-Langevin (ILL)** in Grenoble. After achieving the proof of principle for Ramsey-GRS in 2018 and optimising experimental parameters during the first half of 2019, we are prepared to take data at a projected sensitivity of  $5 \times 10^{-16}$  eV/day.

## Schematic Overview, Example $|1\rangle \rightarrow |3\rangle$



**Section I/V, Preparation/Selection:** UCNs enter the setup from the left and **only the first states in the gravity potential are transmitted**. Section I is used to prepare the system in the ground state and section V to scatter all excited neutrons out of the system.

**Section II/III, Excitations:** **Mechanical oscillation** of the neutron wavefunction mirrors perturb the neutrons. In-phase excitation in sections II and IV leads to a transition from the initial to the target state.

**Section III, Propagation:** The superposition of states from section II **propagates freely** and the relative phase accumulates according to the energy difference between the states. This **phase is sensitive to all perturbations of the gravitational eigenstates** and allows an analysis of the perturbing potential.

## Experimental key facts

- high vacuum  $p = 3 \times 10^{-5}$  mbar
- $\mu$ -Metal magnetic shielding with attenuation factor 100
- experiment leveled relative to local gravitational acceleration  $\leq 100$  nrad
- relative height alignment of mirrors  $\leq 500$  nm
- detector (neutron counter tube): background  $(0.63 \pm 0.03) \times 10^{-3}$  s<sup>-1</sup>
- sensitivity:
  - reached:  $2 \times 10^{-15}$  eV (Rabi)
  - short term:  $7 \times 10^{-17}$  eV
  - long term:  $5 \times 10^{-21}$  eV (ideal)

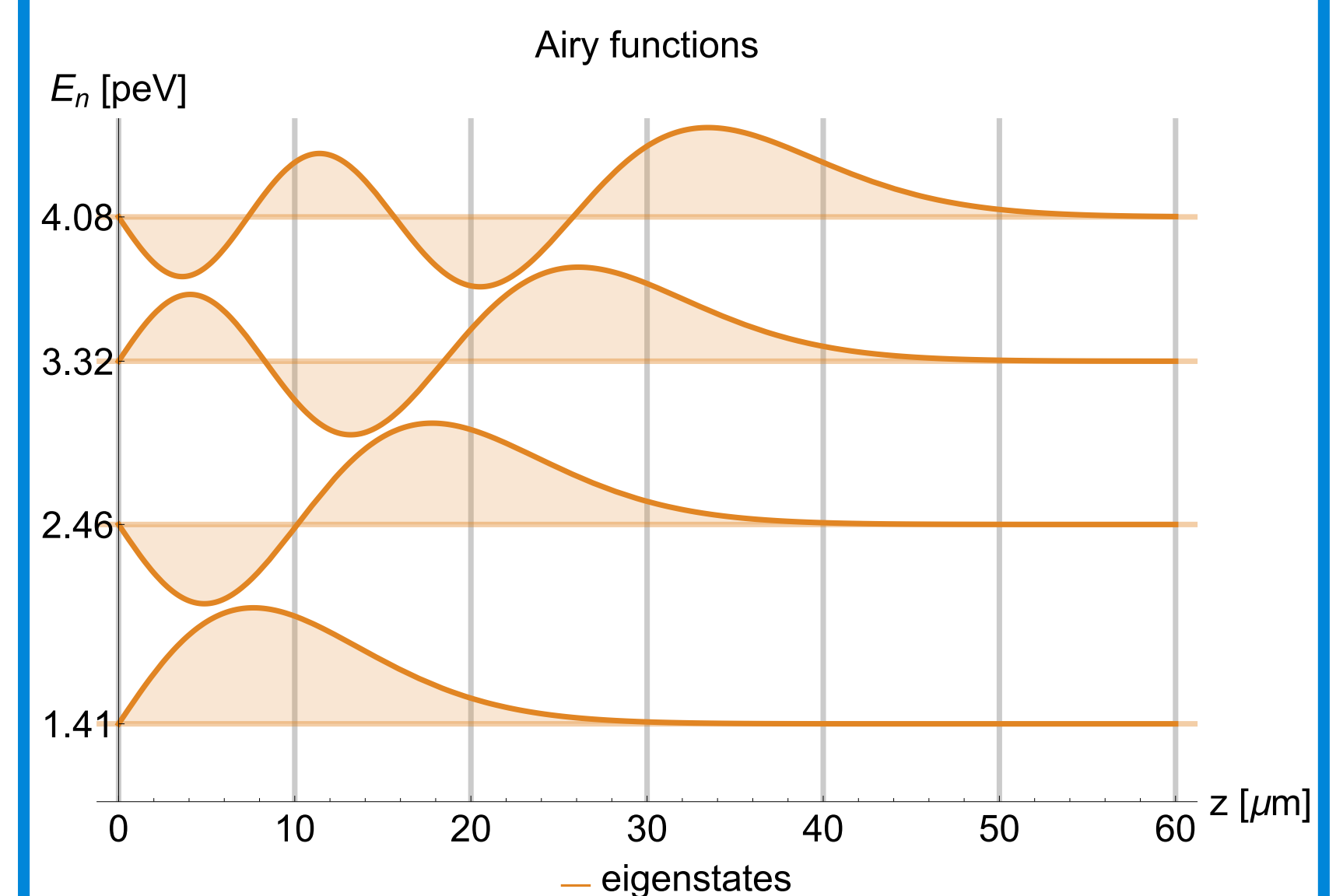
## Theory

The neutron in the gravity potential is described by the Schrödinger equation with a linear potential

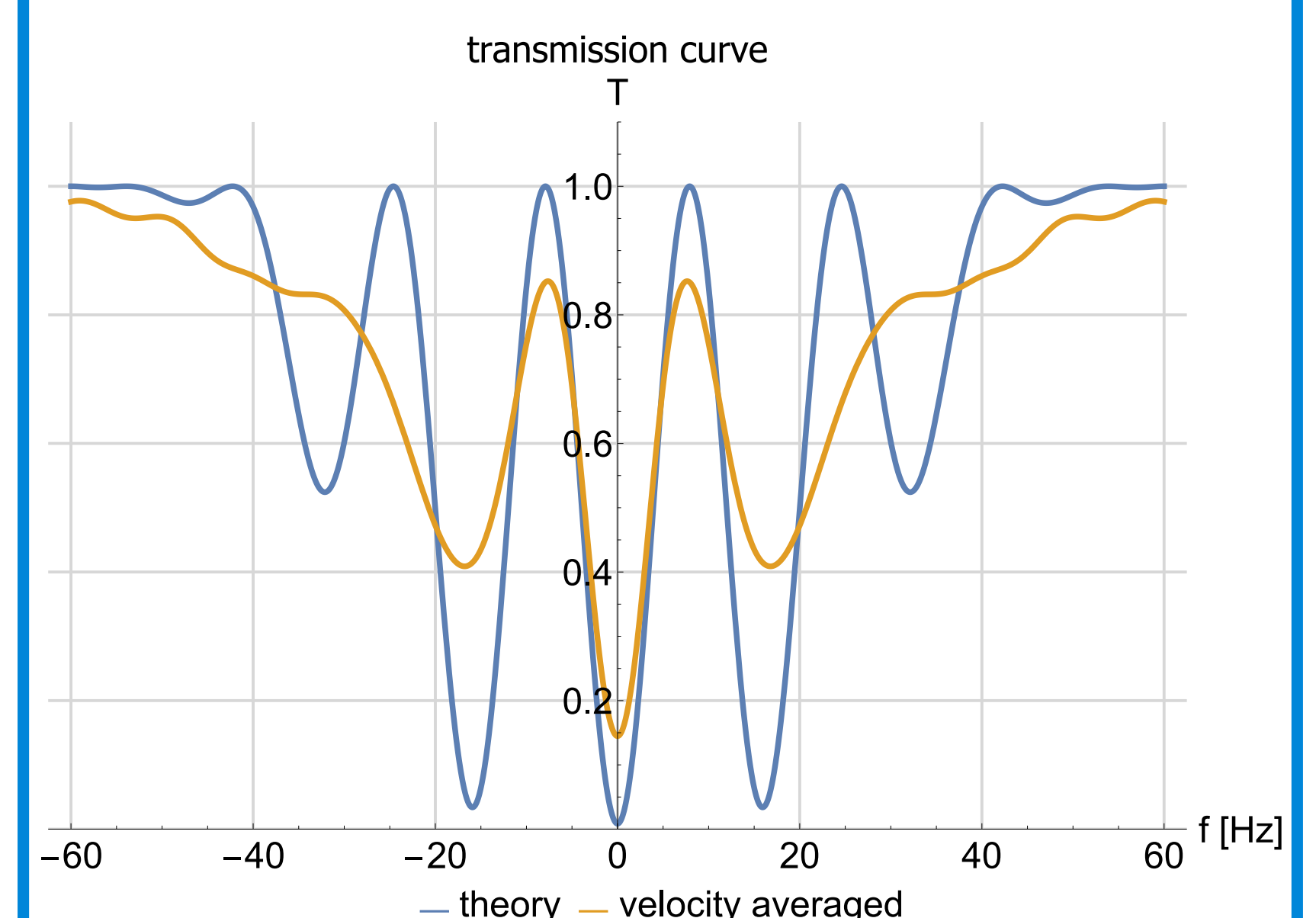
$$E_n \psi_n = \left( -\frac{\hbar^2}{2m_i} \frac{\partial^2}{\partial z^2} + m_g g z \right) \psi_n$$

with eigenenergies  $E_n$ .

The solutions to this equation are the so called Airy functions.



Driving transitions leads to a resonance in the transmission curve.



where the velocity spectrum used for the average was measured in 2019.

